

Proceedings of the

ARGE Sensorik PhD-Summit 2011

June 29-30, 2011

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Science Park, Room MT 226/1

Edited by Bernhard Jakoby (Johannes Kepler University Linz)

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Content

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Preface

The Austrian Working Group on Sensors (ARGE Sensorik) was founded in 2006 aiming at the optimization of the joint utilization of sensor know-how and associated technology distributed over Austria. One major goal of the ARGE Sensorik is the initiation of joint research networks also involving industrial partners. The ARGE now serves as platform representing various facets of interdisciplinary sensor research in Austria. Its members are research institutes and centers of competence working on sensors or dealing with problems where sensors play a major role. The activities of the ARGE have been stimulated and financially supported by the Austrian Research Association (Österreichische Forschungsgemeinschaft, ÖFG) from the very beginning.

One of the main activities of the ARGE is the organization of workshops featuring the presentation of current research topics by major Austrian players in sensor research and leading to scientific exchange among them. This is done in plenary workshops but also in topically focuses small groups. For more information on the ARGE and current activities, please visit www.arage-sensorik.at.

In 2009 the ARGE steering committee decided to have a plenary meeting where young researchers, in particularly those who are about to or have recently finished their PhD theses present their work. Due to the success of that event (held in Vienna) we decided to continue with another young researcher meeting in 2011, this time in Linz. The ARGE Sensorik Award was also presented at this occasion where the jury selection was based on the presentations at the workshop and one journal publication per participant submitted before the workshop. The award was presented to Roman Bruck and two special awards have been given to Norbert Reitingner and Thomas Voglhuber-Brunnmaier.

A selection of the contributions is presented in this electronic Proceedings volume.

At this occasion I would like to thank all individuals who helped to organize this event (in particular staff at the Institute of Microelectronics and Microsensors), our financial sponsors (Johannes Kepler University Linz, Austrian Center of Competence in Mechatronics ACCM, Österreichische Forschungsgemeinschaft ÖFG), and of course the contributors for presenting and discussing their work!

Linz, September 2011

Bernhard Jakoby

Workshop Program

Time	Name	Affiliation	Topic*
09:00	B. Jakoby	JKU	<i>Welcome and Introduction</i>
09:15	Roman Bruck	AIT	Integrated polymer-based Mach-Zehnder interferometer label-free streptavidin biosensor compatible with injection molding
09:35	Norbert Reitingner	UG	Radiationless energy transfer in CdSe/ZnS quantum dot aggregates embedded in PMMA
09:55	Thomas Voglhuber	JKU	Modeling of an LFE piezoelectric fluid sensor as layered structure in the spectral domain
10:15	Wolfgang Buchegger	TUW	A highly uniform lamination micromixer with wedge shaped inlet channels for time resolved infrared spectroscopy
10:35			<i>Coffee Break</i>
11:00	Dominik Samson	TUW	Wireless sensor node powered by aircraft specific thermoelectric energy harvesting
11:20	Lukas Richter	AIT	Monitoring Cellular Stress Responses to Nanoparticles using a Lab-on-a-Chip
11:40	Michael Moser	TUG	Strong and Weak Electric Fields Interfering: Capacitive Icing Detection and Capacitive Energy Harvesting on a 220 kV High-Voltage Overhead Power Line
12:00			<i>Lunch Break</i>
13:00	Michael Rosenauer (ARGE Sensorik Award Winner 2010)	Osram	Introduces his research associated with the ARGE Sensorik Award 2010 and his current work with OSRAM
13:20	Moritz Eggeling	AIT	Low spin current-driven dynamic excitations and metastability in spin-valve nanocontacts with unpinned artificial antiferromagnet
13:40	Thomas Lederer	JKU	Utilizing a high fundamental frequency quartz crystal resonator as a biosensor in a digital microfluidic platform
14:00	Sander van den Driesche	TUW	A label-free indicator for tumor cells based on the CH ₂ -stretch ratio
14:20			<i>Coffee Break</i>
14:40	Johannes Sell	ACCM, JKU	Real-time monitoring of a high pressure reactor using a gas density sensor
15:00	Markus Neumayer	TUG	Accelerated Markov Chain Monte Carlo Sampling in Electrical Capacitance Tomography
15:20	Nicola Moscelli	TUW	An Imaging System for Real-Time Monitoring of Adherently Grown Cells
15:40	Alexander Niedermayer	ACCM, JKU	Yet another precision impedance analyzer (YAPIA)—Readout electronics for resonating sensors
16:00			<i>Short Break (Jury Meeting)</i>
16:15	B. Jakoby, M.J. Vellekoop, F. Kohl	JKU, TUW, ÖAW	Presentation of the ARGE Sensorik Awards 2010 (M. Rosenauer) and 2011 (to be announced at this moment)
16:30	B. Jakoby	JKU	<i>Closing Discussion</i>

*indicated topics are titles of papers submitted for the ARGE Sensorik Award 2011, topics of talks may vary.

Selected Contributions

Polymer-based photonic label-free biosensor, R. Bruck et al

Quantum dots in plasmonic systems for optochemical sensors, N. Reitingner

Modeling of an LFE piezoelectric fluid sensor as layered structure in the spectral domain, T. Voglhuber-Brunnmaier

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Yet another precision impedance analyzer - Readout electronics for resonating sensors, A.O. Niedermayer

Notes:

In this electronic compilation, the page format has not been unified but has been kept as provided by the individual authors. Thus in the remainder of this document the page format (size) varies, which may have to be kept in mind when printing selected contributions.

In the following, page numbers are given at the bottom of the respective pages (in red color if you view or print in color) - these were electronically imprinted on the documents provided by the authors (some contributions use independent page numbering).

Polymer-based photonic label-free biosensor

**R. Bruck^a, E. Melnik^a, P. Muellner^a, R. Hainberger^a,
M. Lämmerhofer^b**



^a AIT Austrian Institute of Technology GmbH, Health & Environment Department, Nano Systems

^b University of Vienna, Department of Analytical Chemistry



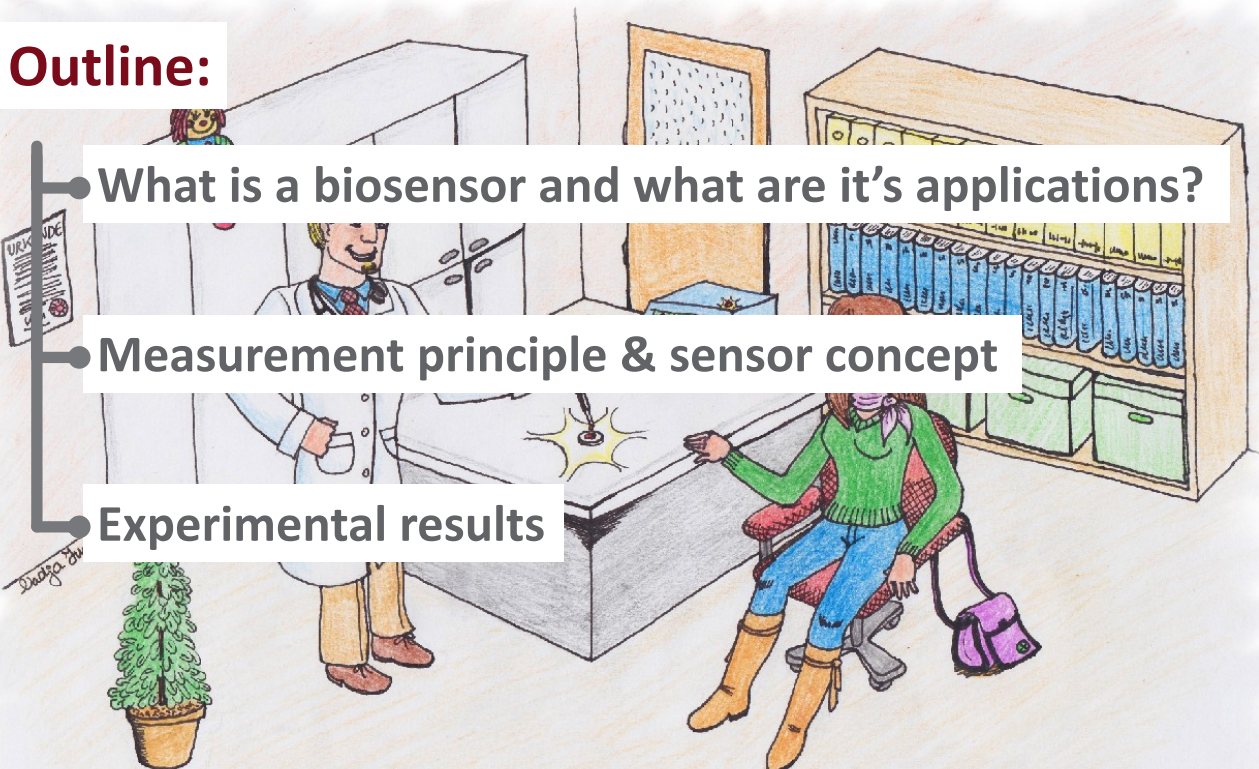
AIT Austrian Institute of Technology GmbH
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roman.bruck@ait.ac.at
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30.6.2010–Roman Bruck

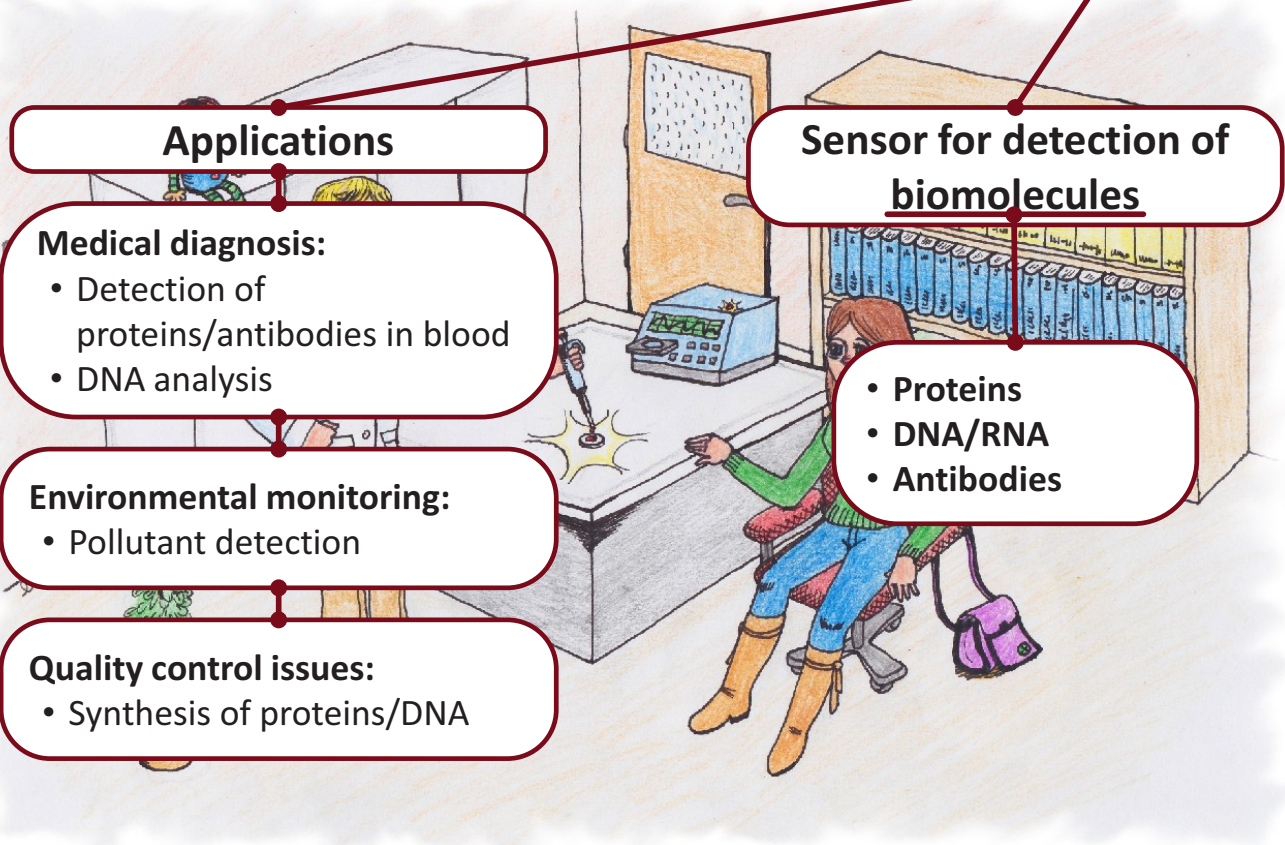
Polymer-based photonic label-free biosensor

Outline:

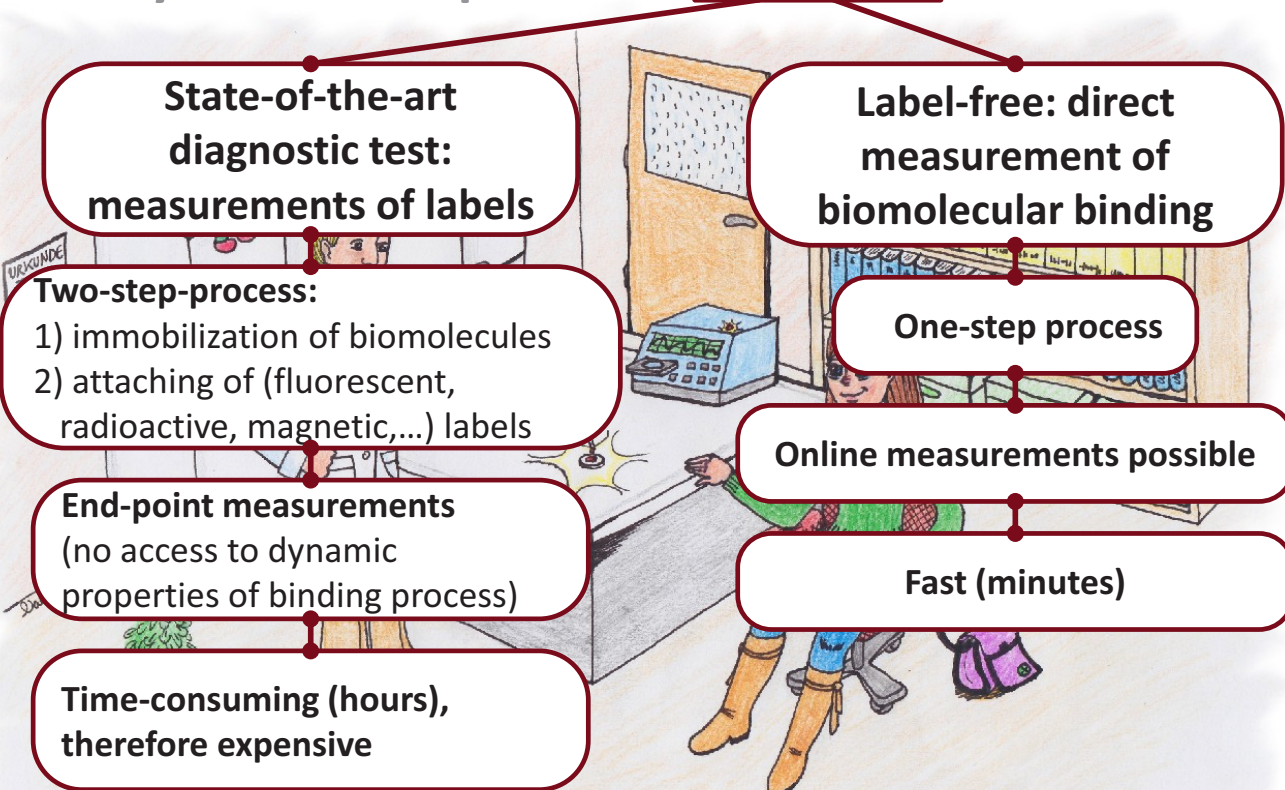
- What is a biosensor and what are it's applications?
- Measurement principle & sensor concept
- Experimental results



Polymer-based photonic label-free biosensor



Polymer-based photonic label-free biosensor



Polymer-based photonic label-free biosensor

Using the properties of light to detect changes in the surrounding

No classical optics:

Photonic sensors use new properties of light arising only when employing sub-wavelength structures

Evanescent waveguide sensor in a Mach-Zehnder interferometer configuration

Advantages:

- Highly sensitive
- Instantaneous sensor response
- Online measurement capability
- small device footprint
- parallel measurements

Polymer-based photonic label-free biosensor

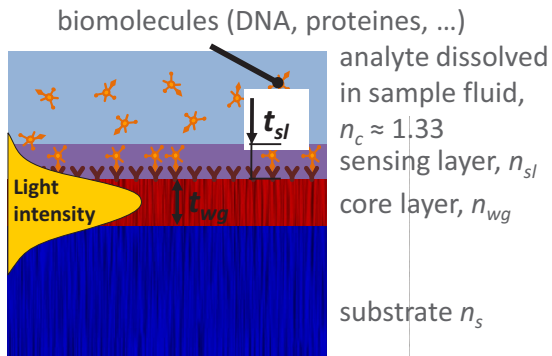
cost efficient mass production (disposable devices in medicine!)

limited range of refractive indices (1.4-1.7), therefore limited sensitivity

powerful technology platform for polymer processing , e.g. injection molding (e.g. CDs, DVDs, ...) and spin coating

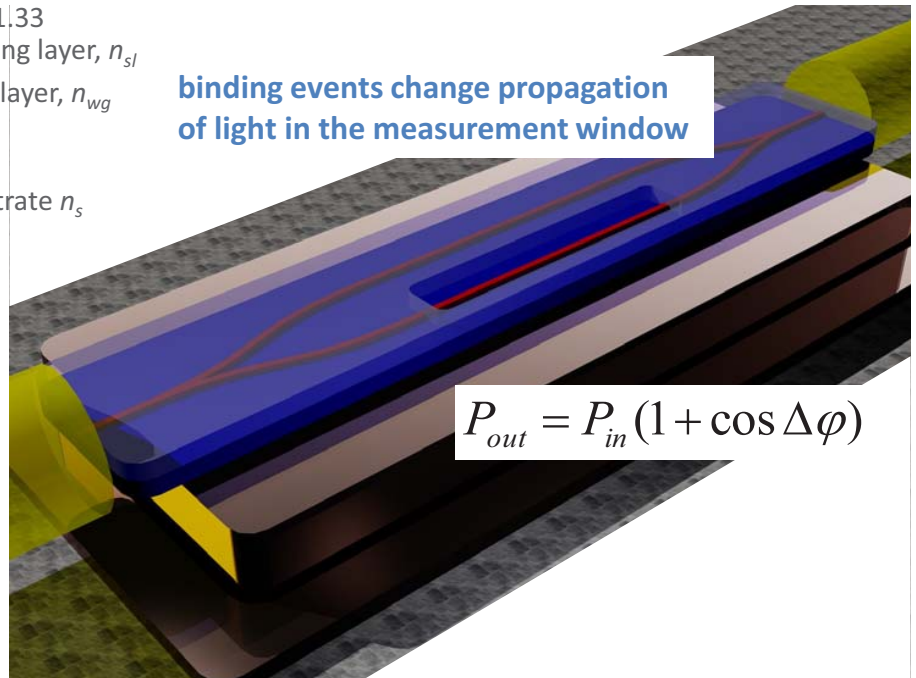
Measurement principle:

waveguide side view:



Biosensitive layer on top of waveguide provides **selective binding** and an **enrichment** of biomolecules on the sensor surface.

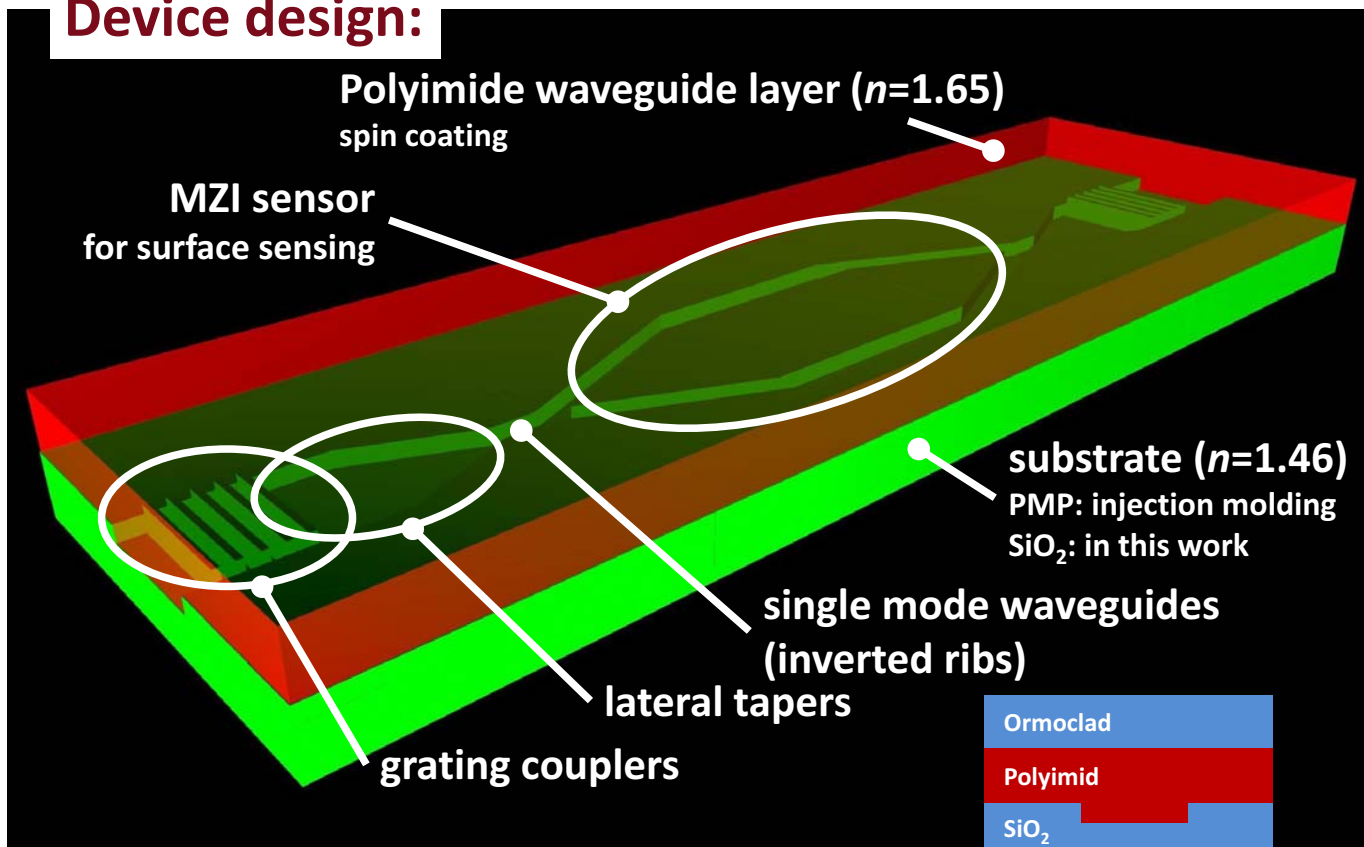
binding events change propagation of light in the measurement window



- Highly sensitive
- Simple & low-priced read-out system

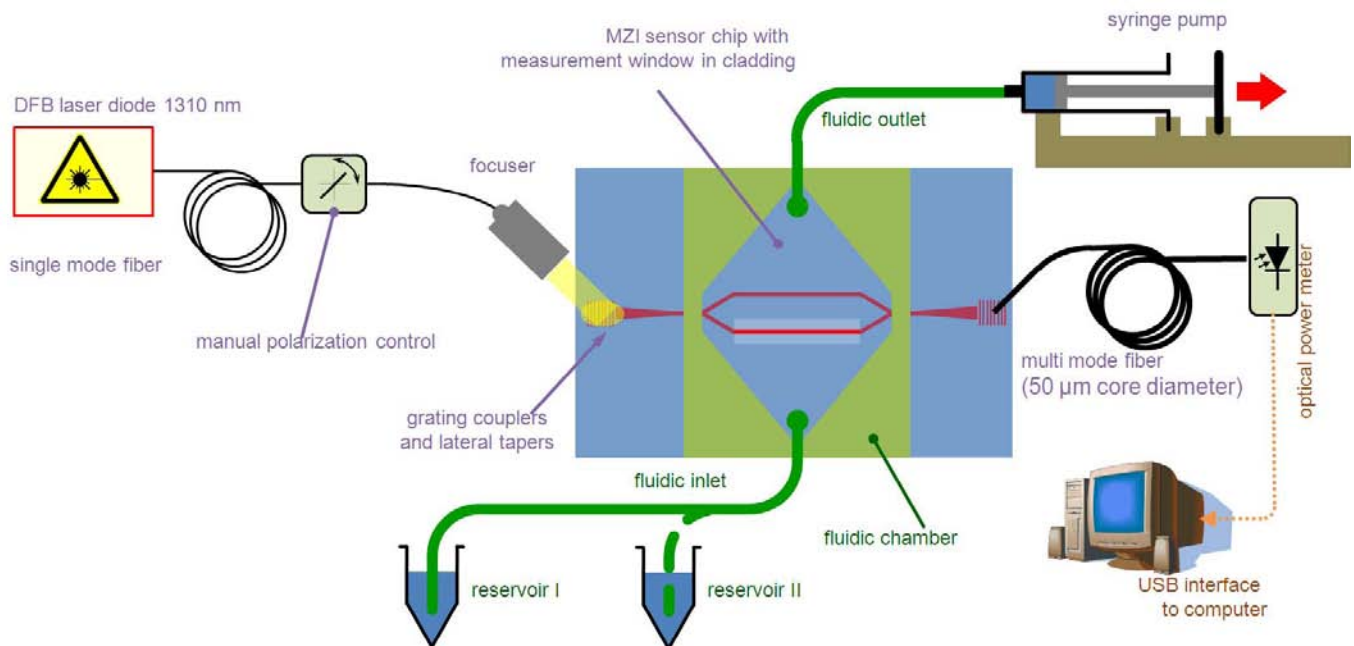
30.6.2010–Roman Bruck

Device design:



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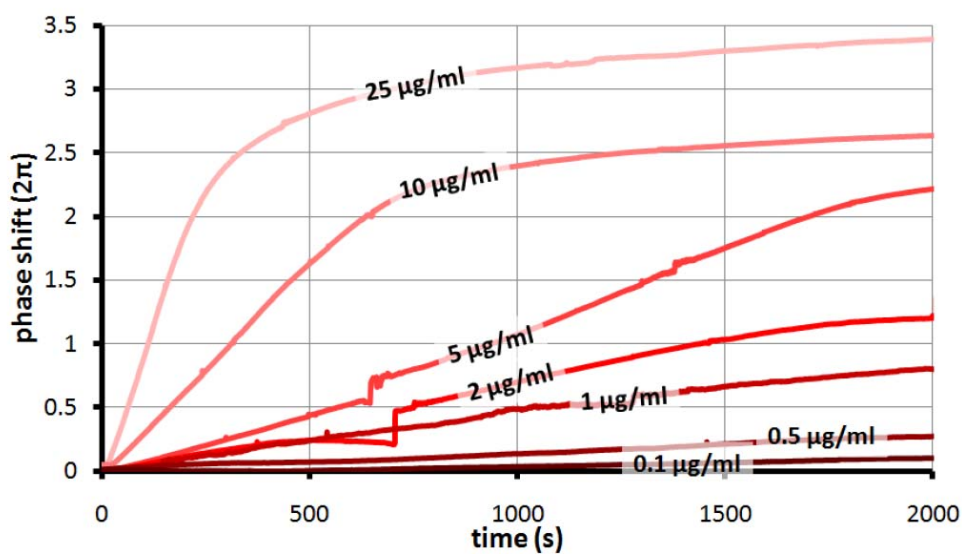
MZI – measurement setup:



30.6.2010–Roman Bruck

Biotin-streptavidin measurements:

Biotin – streptavidin binding on non-blocked surfaces

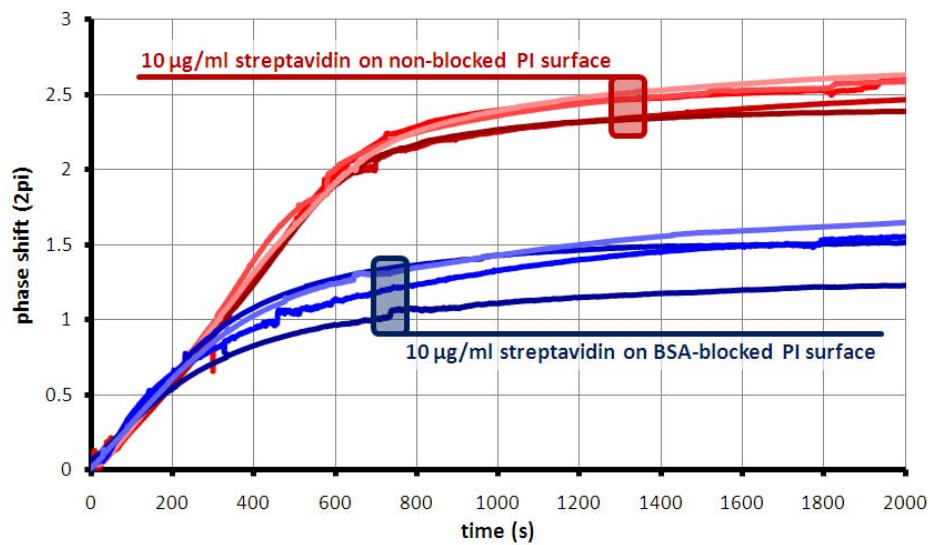


 smallest concentration measured:
 0.1 µg/ml = 1.6 nMol = 30 ppb

30.6.2010–Roman Bruck

Biotin-streptavidin measurements:

Reproducibility – blocking – specificity



Standard deviation ~ 5%
 Sensor sensitivity varies max. 2%

Blocking:
 Signal reduced by about 40%
 BUT:
 No non-specific binding!

30.6.2010–Roman Bruck

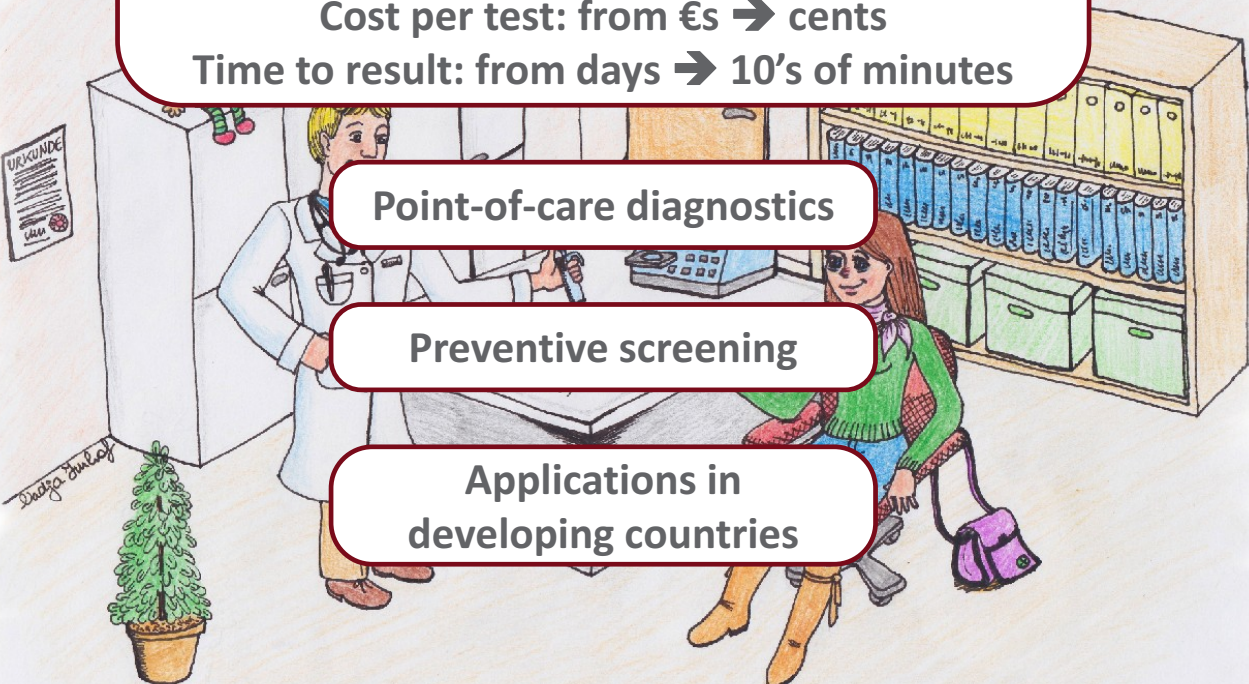
A vision:

Price of read-out system: from 100k€ → k€
 Cost per test: from €s → cents
 Time to result: from days → 10's of minutes

Point-of-care diagnostics

Preventive screening

Applications in
 developing countries



Quantum Dots in plasmonic systems for optochemical sensors

Norbert Reitingner

Nano-Optics Group
nanooptics.uni-graz.at

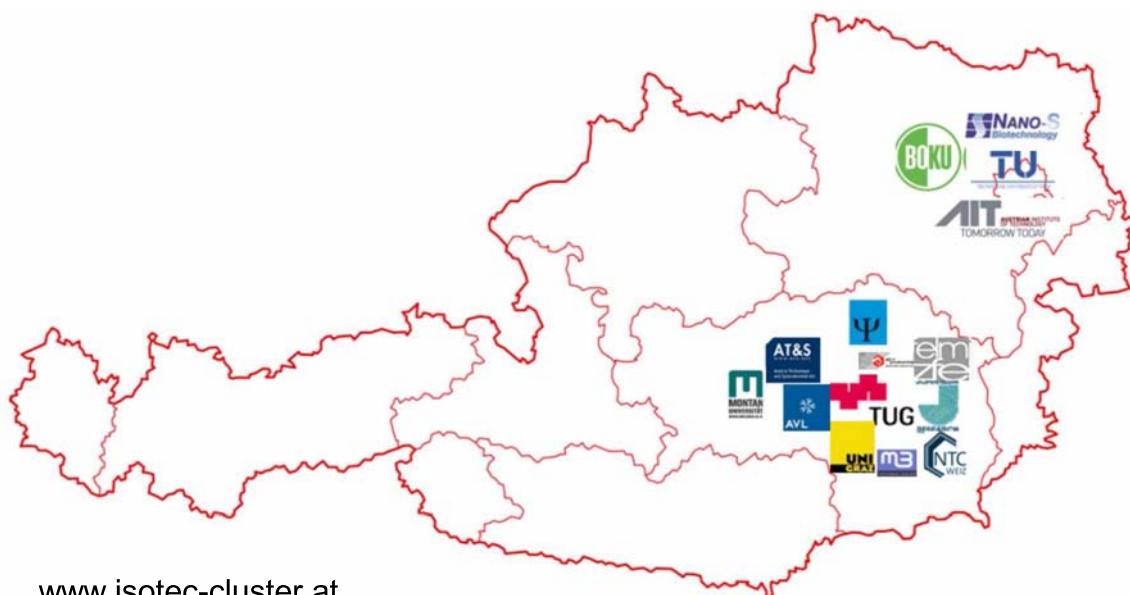
ARGE Sensorik – PhD Summit 2011
June 30, 2011

Institute of Physics, Karl-Franzens University Graz, Austria

ISOTEC Research Cluster

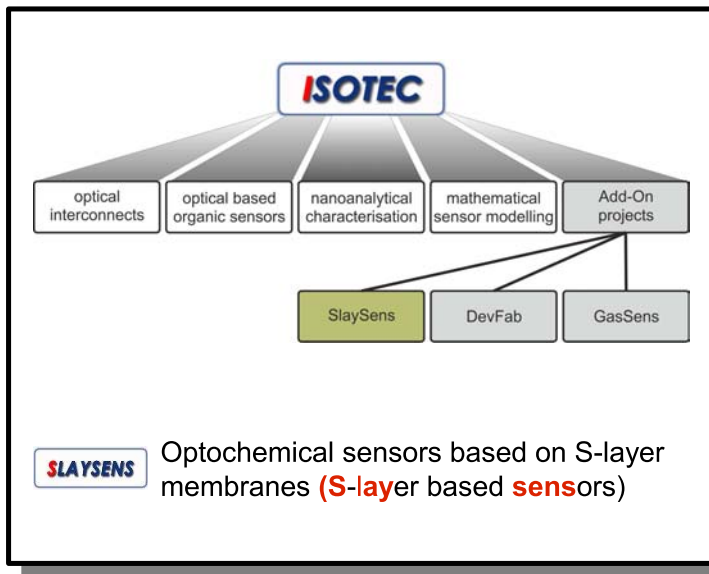


Integrated Organic **S**ensor and **O**ptoelectronic **T**echnologies



www.isotec-cluster.at

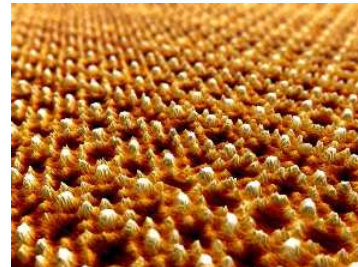
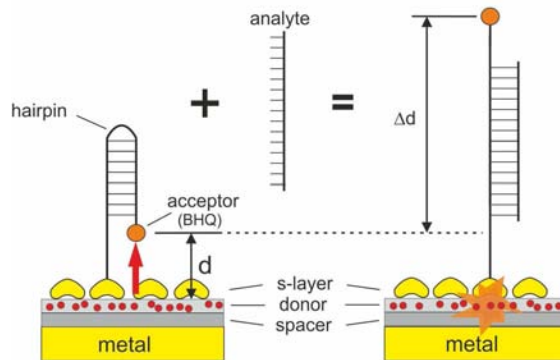
ISOTEC Integrated Organic **S**ensor and **O**ptoelectronic **T**echnologies



Contents

Introduction	Experiments	Conclusion
SlaySens - sensor principle quantum dots	QD characterisation energy transfer emitter metal interaction	summary outlook & applications

Sensor Working Principle



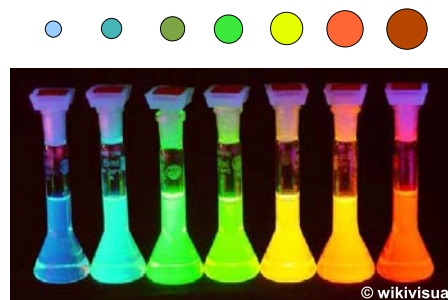
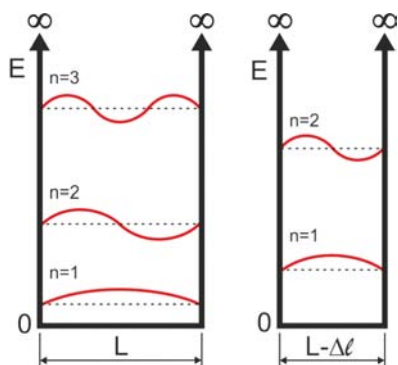
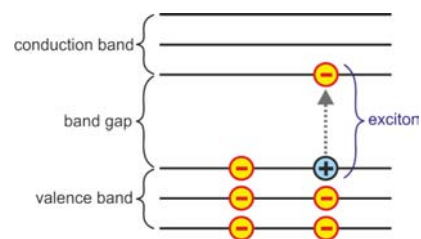
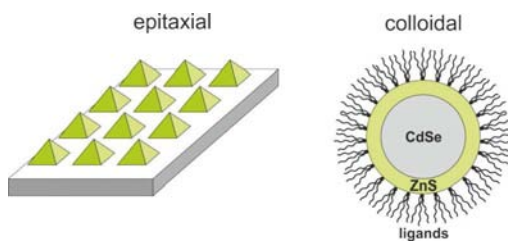
Scanning-force-microscope-surface-relief reconstruction of a crystalline protein S-layer from *Bacillus sphaericus*

© Center for Nanobiotechnology, University of Natural Resources and Applied Life Sciences, Vienna, Austria

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Norbert Reitingner

Quantum Dots

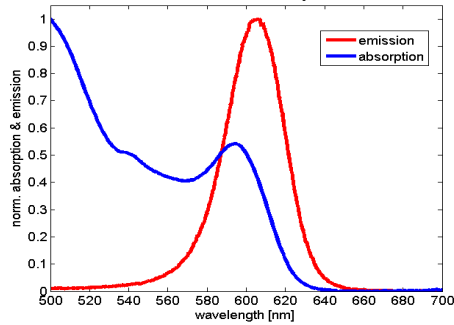


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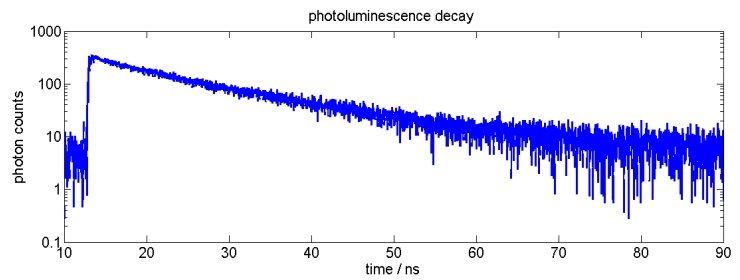
Norbert Reitingner

QD characterization

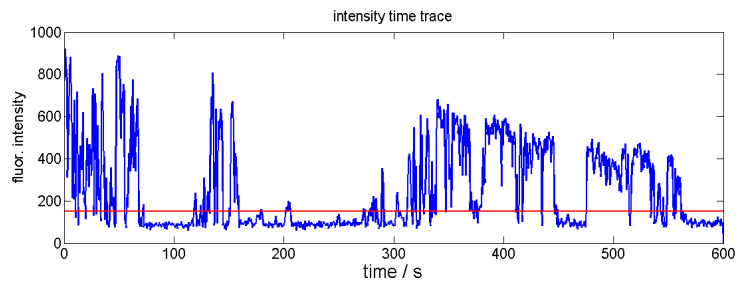
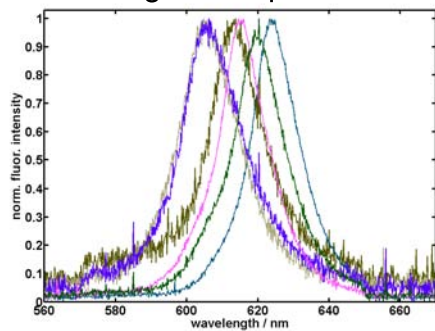
QD-ensemble spectrum



fluorescence decay and intensity time trace



single QD spectra

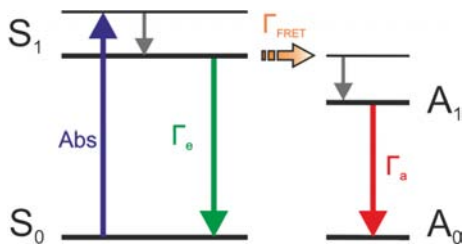


$\tau = 15\text{ns}$, time channel width = 24.4ps resp. 0.5s,
integration time = 600s

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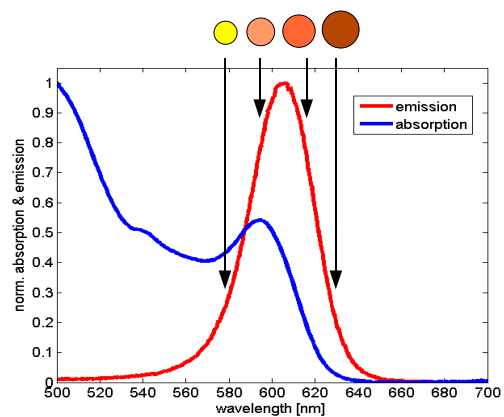
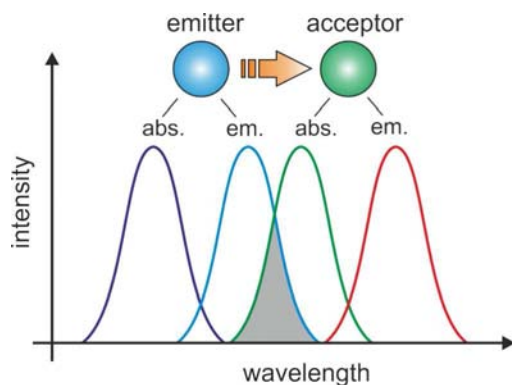
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FRET between Quantum Dots



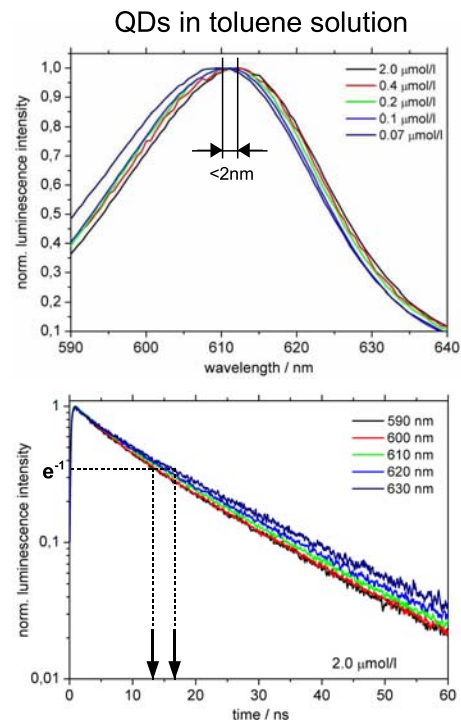
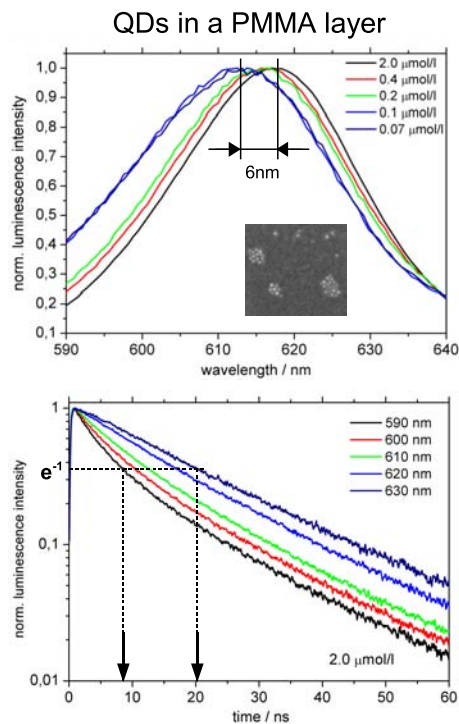
$$\Gamma_{ET}(r) = \frac{1}{\tau_D} \left(\frac{R_0}{r} \right)^6 = \Gamma_D \left(\frac{R_0}{r} \right)^6$$

$$R_0^6 = 0.529 \frac{\kappa^2 Q_D}{n^4 N} J(\lambda)$$



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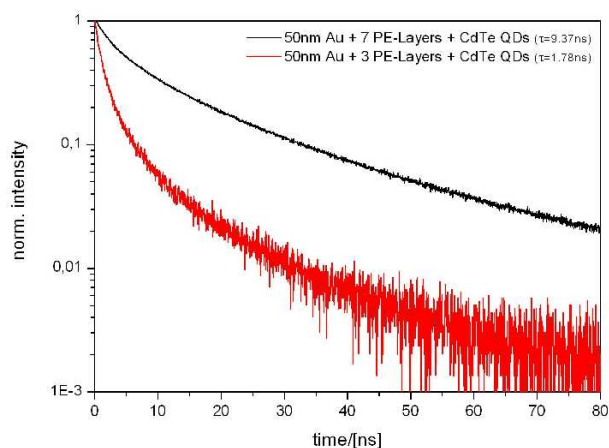
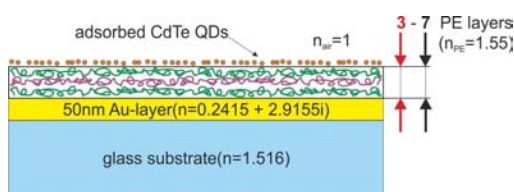
Norbert Reitinger



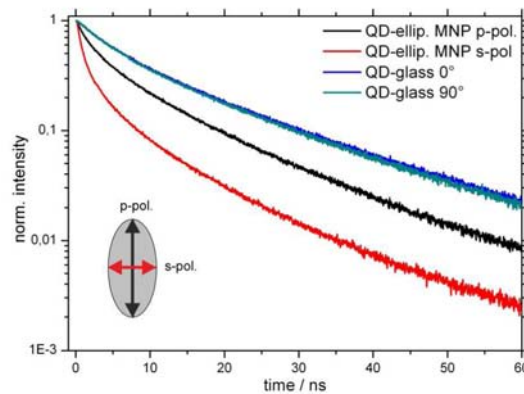
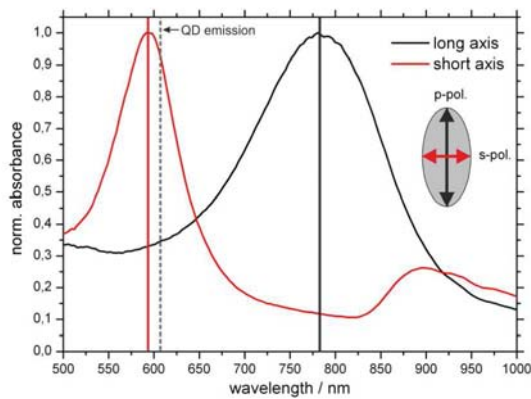
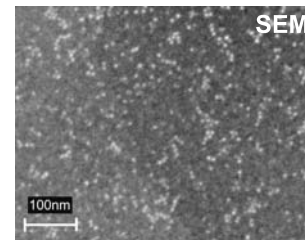
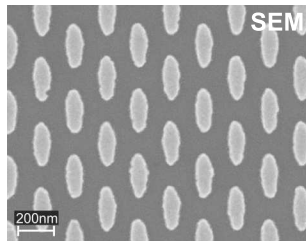
N. Reitingering et al., Phys. Stat. Sol. A **208**, 710 (2011)

QD's and a flat metal film

water-soluble CdTe QDs (EWL =630nm) (Prof. Dr. Xinhua Zhong, Department of Chemistry, East China University of Science and Technology, Shanghai)

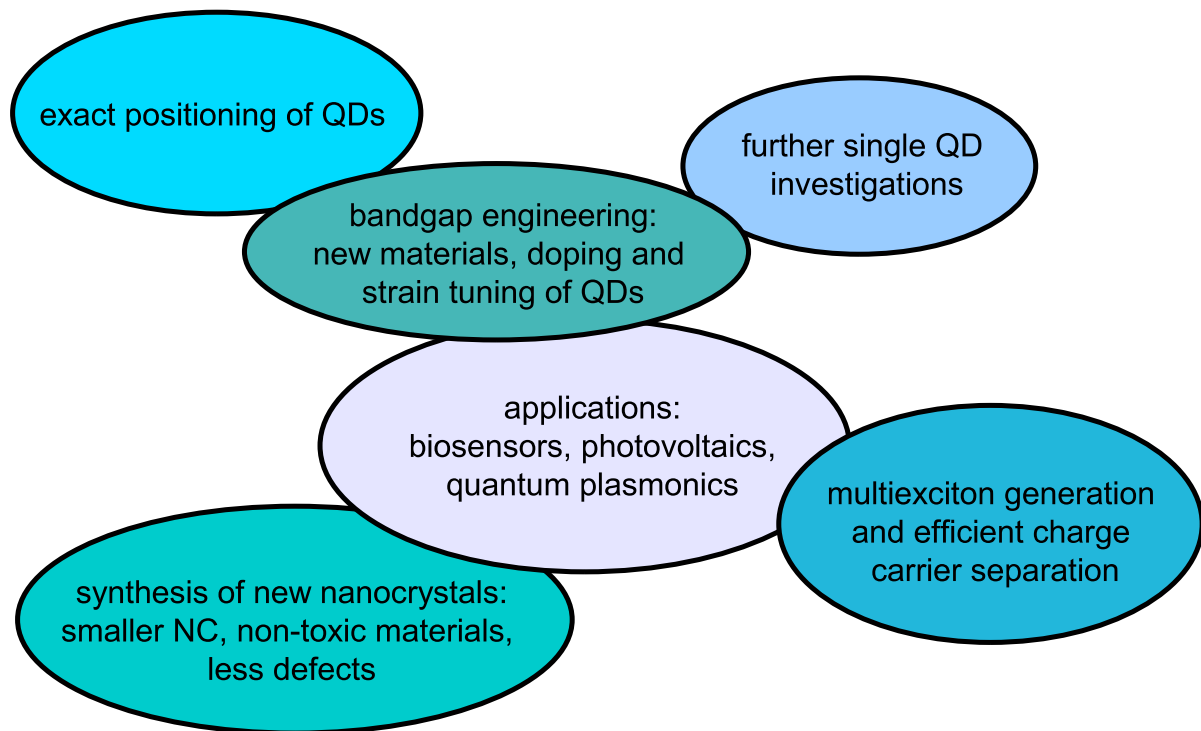


$$I(t) = I_0 \cdot e^{-(t/\tau)^\beta}, \quad 0 < \beta \leq 1$$



Summary

- fluorescence lifetime is suitable as sensor quantity
- but interpretation of decay curves can be difficult
- investigation of energy transfer between QD's
- interaction between QD's and metal



Acknowledgements / Financial Support



Partners:

A. Hohenau, H. Dittlbacher, K. Rumpf, P. Granitzer, N. Galler, P. Kusar, J.-C. Tinguely, C. Gruber, V. Häfele, F. Aussenegg, A. Leitner, J. Krenn (Nano-Optics, Graz)



S. Scheicher, S. Köstler, V. Ribitsch (Joanneum Research & IfC, Graz)



B. Kainz, D. Pum (Boku, Vienna)



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Austrian NANO Initiative



Austrian Research Promotion Agency (FFG)



Federal Ministry for Transport, Innovation and Technology (BMVIT)



Modeling of an LFE piezoelectric fluid sensor as layered structure in the spectral domain

Thomas Voglhuber-Brunnmaier

Institute for Microelectronics and Microsensors,
Johannes Kepler University, Linz, Austria

Liquid sensing

- Measure the parameters of a fluid
E.g.: density, viscosity, permittivity, conductivity
- Thickness field excitation (TFE) vs. lateral field excitation (LFE)
- Modeled utilizing a semi-numeric spectral method

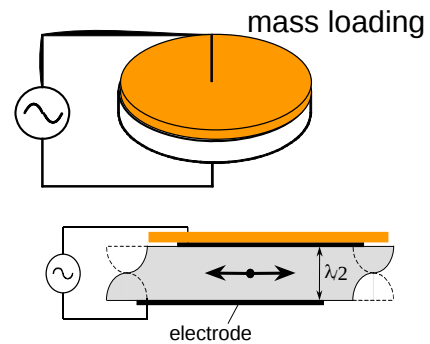
Sensing utilizing piezoelectric structures

Sauerbrey (1959) (mass loading)

$$\Delta f = -\frac{2f_0^2}{A\sqrt{\rho c}}\Delta m$$

A...face area
 ρ ...density

Δm ...mass loading
 c ...shear modulus

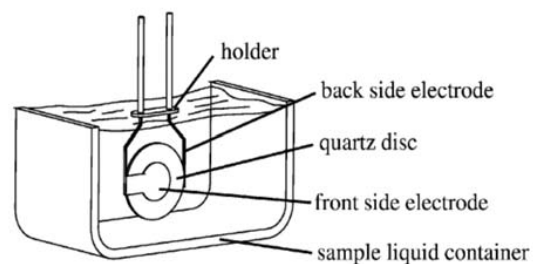


Kanazawa, Gordon (1985) (viscous fluid loading)

$$\Delta f = -f_0^{3/2} \sqrt{\frac{\rho' \mu}{\pi \rho c}}$$

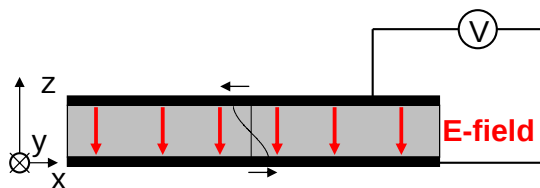
ρ' ...liquid density

μ ...shear viscosity



Thickness Field vs. Lateral Field Excitation

TFE:

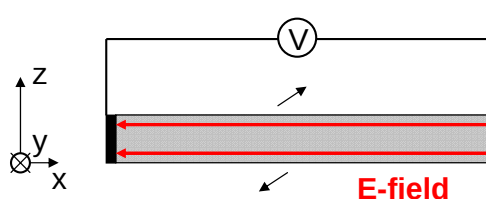


stresses: piezoelectricity (Quartz):

$$\begin{bmatrix} T_{xx} \\ T_{yy} \\ T_{zz} \\ T_{yz} \\ T_{xz} \\ T_{xy} \end{bmatrix} = \begin{bmatrix} e_{11} & 0 & 0 \\ e_{12} & 0 & 0 \\ e_{13} & 0 & 0 \\ e_{14} & 0 & 0 \\ 0 & e_{25} & e_{35} \\ 0 & e_{26} & e_{36} \end{bmatrix} \cdot \begin{bmatrix} E_x \\ E_y \\ E_z \end{bmatrix}$$

E-field:

LFE:



$$\begin{bmatrix} T_{xx} \\ T_{yy} \\ T_{zz} \\ T_{yz} \\ T_{xz} \\ T_{xy} \end{bmatrix} = \begin{bmatrix} e_{11} & 0 & 0 \\ e_{12} & 0 & 0 \\ e_{13} & 0 & 0 \\ e_{14} & 0 & 0 \\ 0 & e_{25} & e_{35} \\ 0 & e_{26} & e_{36} \end{bmatrix} \cdot \begin{bmatrix} E_x \\ E_y \\ E_z \end{bmatrix}$$

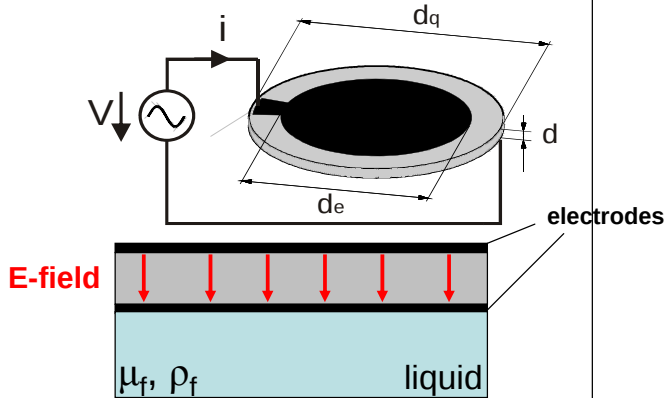
Coupling factors 330μm AT-Cut quartz :

	k_{TE} in %	$k_{LE,0}$ in %	$k_{LE,90}$ in %	v in m/s	f_0 in MHz
extensional → a	0	6.48	0	7009	10.619
fast shear → b	0	6.17	0	3801	5.759
slow shear → c	8.74	0	6.26	3326	5.034

(i.e., coupling strength between electrical and mechanical fields)

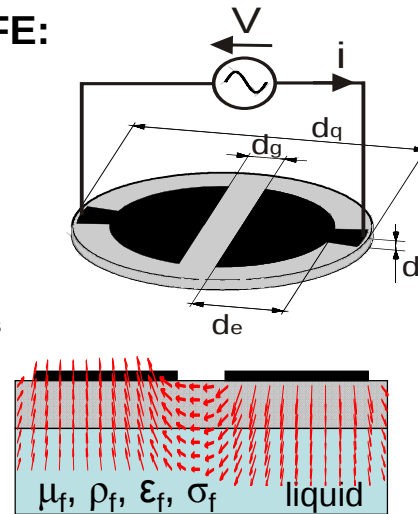
Thickness Field vs. Lateral Field Excitation

TFE:



- only TFE - modes excited
- electric field confined in the piezo
- sensitivity to viscosity and density

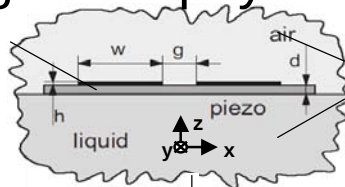
LFE:



- also LFE modes excited
- electric field propagates into liquid
- sensitivity also to permittivity and conductivity

Modeling of the physical domains

piezoelectric equations +
quasistatic approximation +
equation of motion



linearized Navier Stokes +
electrostatic Maxwell Eqn.

piezo equations:

$$\rho \ddot{\mathbf{u}} = \nabla \cdot \mathbf{c}^E : \nabla_s \mathbf{u} + \nabla \cdot \mathbf{e} \nabla \varphi$$

$$\nabla \cdot \mathbf{e} : \nabla_s \mathbf{u} = \nabla \cdot \mathbf{e}^S : \nabla \varphi$$

$\mathbf{u}$... displacement vector, φ ... electric potential
 ρ ... mass density, $\mathbf{c}^E$... elastic stiffness tensor
 $\mathbf{e}$... piezoelectric stress tensor, $\mathbf{e}^S$... permittivity tensor
 ∇ ... gradient operator, ∇_s ... symmetric gradient operator

TABLE I

EQUATIONS DESCRIBING THE PIEZO MATERIAL AND DENOTATION OF THE INCLUDED QUANTITIES.

equations for liquid and air:

$$\rho \ddot{\mathbf{u}} = \frac{1}{\zeta} \nabla (\nabla \cdot \mathbf{u}) + \mu \nabla^2 \mathbf{u} + (\lambda + \mu) \nabla (\nabla \cdot \mathbf{u})$$

$$\nabla \cdot \left(\frac{\sigma}{\epsilon} \mathbf{D} + \dot{\mathbf{D}} \right) = 0$$

$\mathbf{D}$... electric displacement vector, ζ ... compressibility coefficient
 μ ... shear viscosity coefficient, λ ... volume viscosity coefficient
 σ ... electrical conductivity, ϵ ... isotropic permittivity

TABLE II

EQUATIONS DESCRIBING LIQUID AND AIR AND DENOTATION OF INCLUDED QUANTITIES.

time-harmonic, layered structure:

$$\frac{\partial}{\partial t} \rightarrow i\omega, \frac{\partial}{\partial x} \rightarrow -ik_x, \frac{\partial}{\partial y} \rightarrow -ik_y$$

spectral domain method

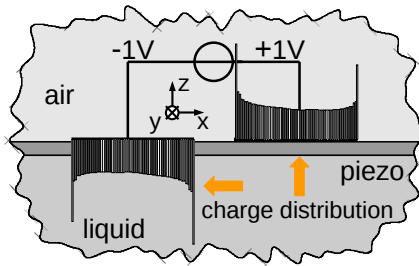
3 systems of ODEs of 1st order of dim 8:

$$\frac{\partial}{\partial z} \tilde{\Psi}_{a,p,l}(k_x, k_y, z, \omega) = \tilde{A}_{a,p,l} \cdot \tilde{\Psi}_{a,p,l}(k_x, k_y, z, \omega)$$

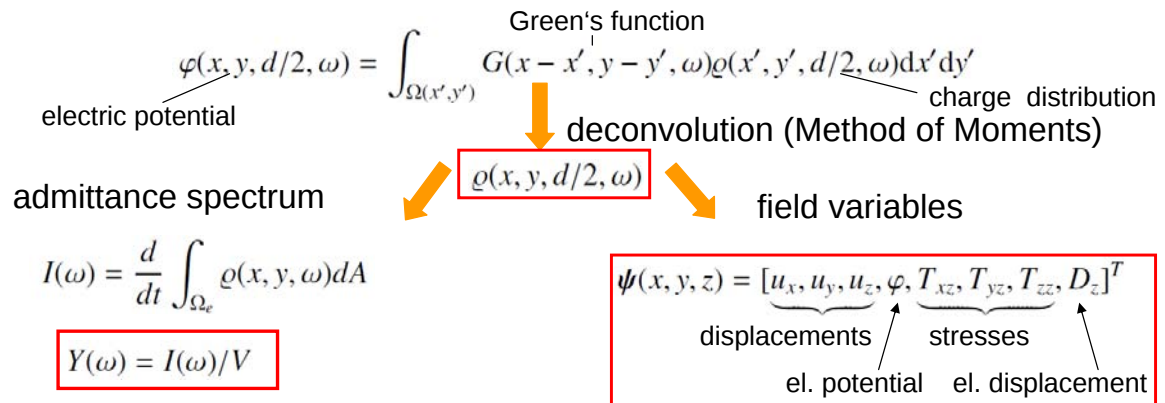
$$\tilde{\Psi}_{a,p,l} = [\tilde{u}_x, \tilde{u}_y, \tilde{u}_z, \tilde{\varphi}, \tilde{T}_{xz}, \tilde{T}_{yz}, \tilde{T}_{zz}, \tilde{D}_z]_{a,p,l}^T$$

air piezo liquid

Modeling of the electrodes: Green's function



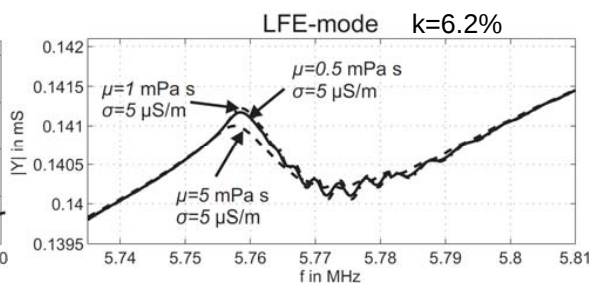
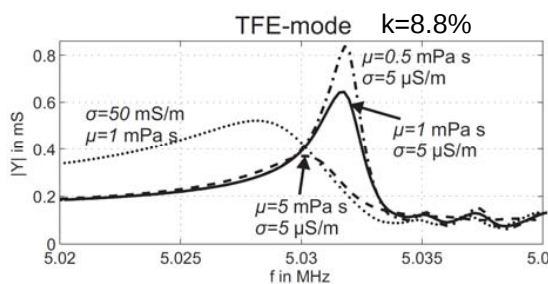
- electrodes modeled as purely electrical (mechanic loading of electrodes is neglected)
- determine the charge distribution necessary to produce the prescribed potential.
- Green's function (G) is potential response due to point charge (G obtained from coupled ODEs in the spectral domain)



Results for AT-cut quartz (ZXwlt 0°/54.75°/0°):

slow thickness-shear-mode (c-mode)

fast thickness-shear-mode (b-mode)



piezoelectric disc: 330 μm AT-cut quartz 5 MHz, shear displacement in x
sample liquid: pure ($\sigma = 5 \mu\text{S/m}$) and tap water ($\sigma = 50 \text{ mS/m}$). Shear viscosity of water ($\mu = 1 \text{ mPa s}$) varied to $\mu = 0.5 \text{ mPa s}$ and $\mu = 5 \text{ mPa s}$.

- ➡ slow shear mode shows good sensitivity to viscosity changes
- ➡ high cross-sensitivity to conductivity
- ➡ extensional and fast shear mode not useable
- ➡ **Coupling factors are not sufficient! Also geometry has to be considered!**

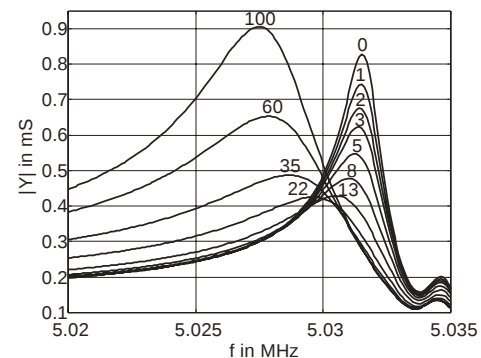
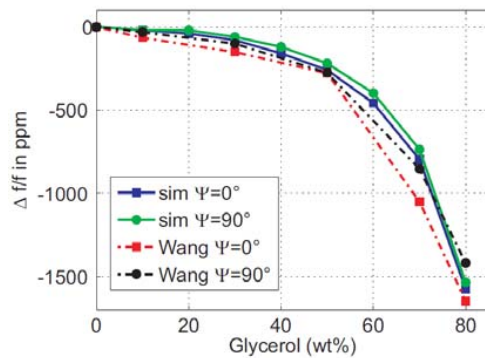
Results for AT-cut quartz

	k_{TE} in %	$k_{LE,0}$ in %	$k_{LE,90}$ in %	v in m/s	f_0 in MHz
a	0	6.48	0	7009	10.619
b	0	6.17	0	3801	5.759
c	8.74	0	6.26	3326	5.034

very weak
weak
strong

COUPLING FACTORS FOR a, b, c -MODES FOR TFE AND LFE, WAVE VELOCITIES, AND RESONANCE FREQUENCIES FOR A $330\mu\text{m}$ DISC.

For AT-quartz only TFE mode is usable: **PSEUDO-LFE**



Admittance for varying conductivities of the liquid in mS/m.

Experimental data from:

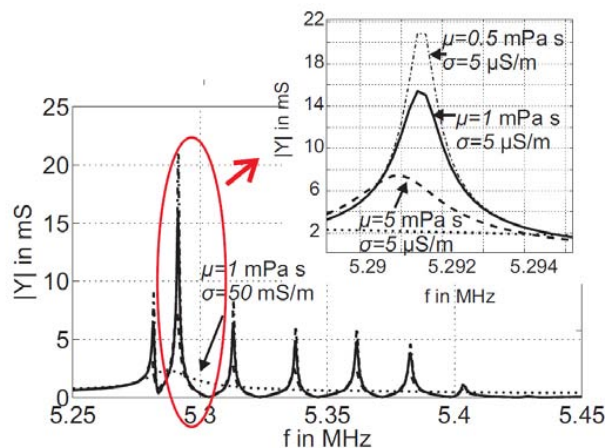
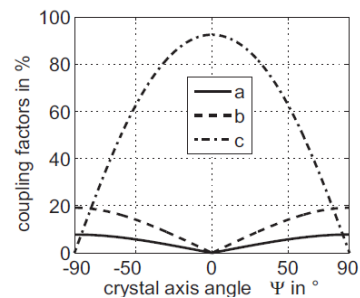
Wang, W.; Zhang, Z.; Zhang, C.; Liu, Y.; Feng, G. & Jing, G.
Pseudo-LFE study in AT-cut quartz for sensing applications *Proc. IEEE Sensors*, **2008**, 1548-1551

A pure LFE sensor: lithium niobate (γ_{XWl} 60°/58°)

	k_{TE} in %	$k_{LE,0}$ in %	$k_{LE,90}$ in %	v in m/s	f_0 in MHz
lithium niobate:					
a	31.9	0	7.8	7217	10.934
b	2.74	0	19.15	3993	6.050
c	0	92.51	0	3481	5.274

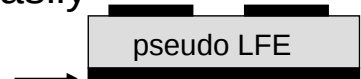
TABLE III

COUPLING FACTORS FOR a, b, c -MODES FOR TFE AND LFE, WAVE VELOCITIES, AND RESONANCE FREQUENCIES FOR A $330\mu\text{m}$ DISC.



Summary

- + Method yields reasonable admittance spectra and fields
- + Fluid-structure interaction is fully modeled.
 - mechanical and electrical loading
- + Additional material layers can be applied easily
 - e.g. shielding electrode at bottom
- + Arbitrary piezoelectric materials and fluids can be simulated





A Highly Uniform Lamination Micromixer with Wedge Shaped Inlet Channels for Time Resolved Infrared Spectroscopy

W. Buchegger¹, C. Wagner², B. Lendl²,
M. Kraft³, M. Vellekoop¹

¹Institute of Sensor and Actuator Systems
²Institute of Chemical Technologies and Analytics
Vienna University of Technology
³CTR Carinthian Tech Research AG





Outline

- Background
- Motivation
- Micromixer requirements
- Mixer designs and simulation
- Material and fabrication
- Measurement results
- Conclusion

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Wolfgang Buchegger





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Background

- Many chemical and bio-chemical reactions have so far unknown transition states or kinetics (e.g. protein folding)
- Infrared Spectroscopy is a powerful method for time resolved analysis
- Current technologies
 - Step-Scan
 - Rapid-Scan


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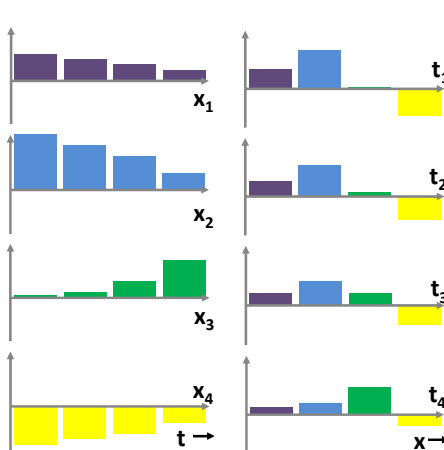




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Background

- Step Scan
 - Precise external trigger
 - Cyclic reactions
- Rapid Scan
 - Limited mirror velocity
 - Resolution 10ms



Step Scan
Rapid Scan


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Motivation

- Continuous flow micromixer to observe chemical reactions
- Mixing by diffusion (passive) in the low millisecond range
- Real-time information about reaction mechanisms and conformation changes of an analyte



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Micromixer requirements

- IR Spectroscopy requires shallow channels for aqueous solutions (about 10µm)
- Measurement spot of about 150x150µm²
- Strictly laminar flow

Reynolds number : $Re \leq 1$
- Mixing strongly depends on diffusion length

$$t_{\text{mix}} \propto \frac{l_{\text{diff}}^2}{D}$$

D ... diffusion coefficient
 l_{diff} ... diffusion length
- Materials for mid-infrared wavelength



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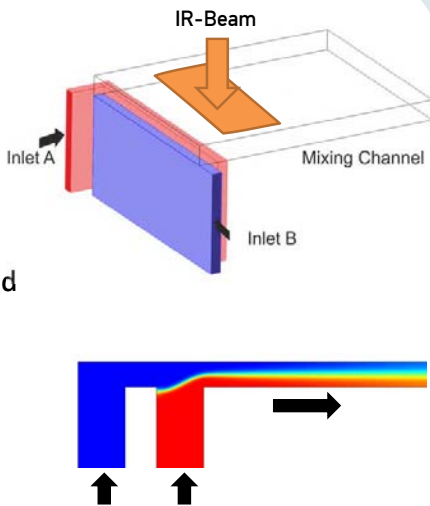




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Micromixer design

- Two fluid channels
- Mixing channel on top
- Transparent cover
 - Two fluid layers are formed
 - Mixing times 5-10 ms






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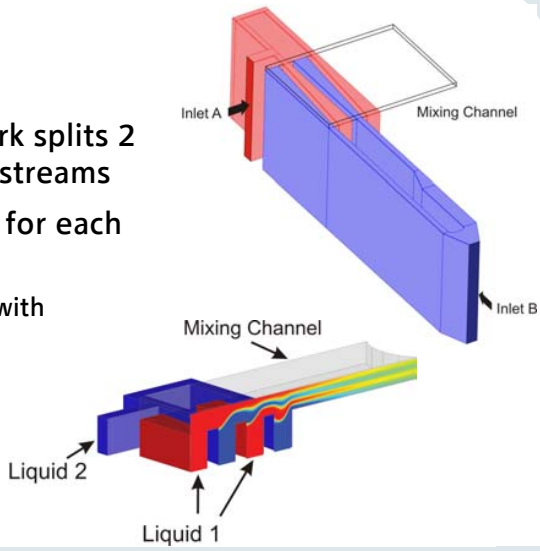




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Micromixer design

- Distribution network splits 2 liquid feeds into 4 streams
- Velocity optimized for each stream
 - Resulting in layers with different thickness
 - Accounts for diffusion layers



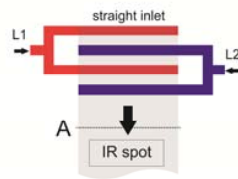



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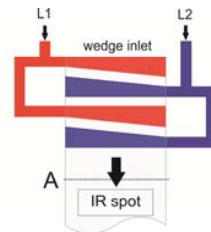
Wolfgang Buchegger

Simulation results

Straight shaped inlets
create non-uniform fluid
layers

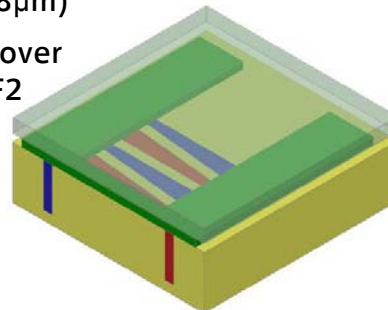
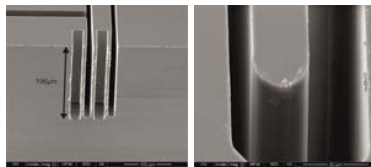


Wedge shaped inlets form
uniform layers, shortening
the diffusion length



Materials and Fabrication

- Channel structures on silicon wafer by DRIE (20:1 aspect ratio)
- Mixing channel in WL5150 (8μm)
- Optical and IR transparent Cover for microscopic analysis: CaF₂ (1mm)



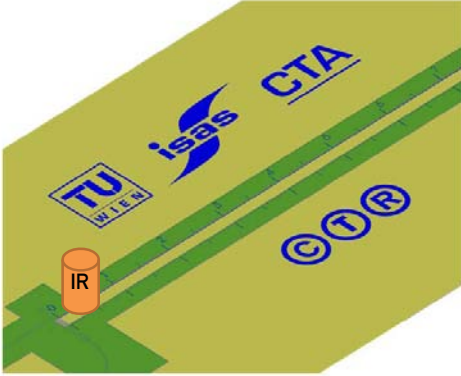




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Measurement principle

- Each measurement spot equals a time stamp
- Spot size about $150 \times 150 \mu\text{m}^2$
- Flow rate determines the time between spots and the overall time range






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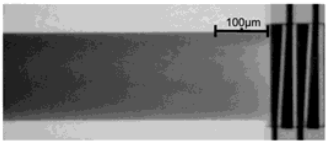


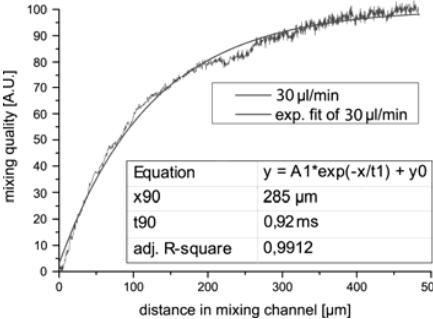


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Characterization

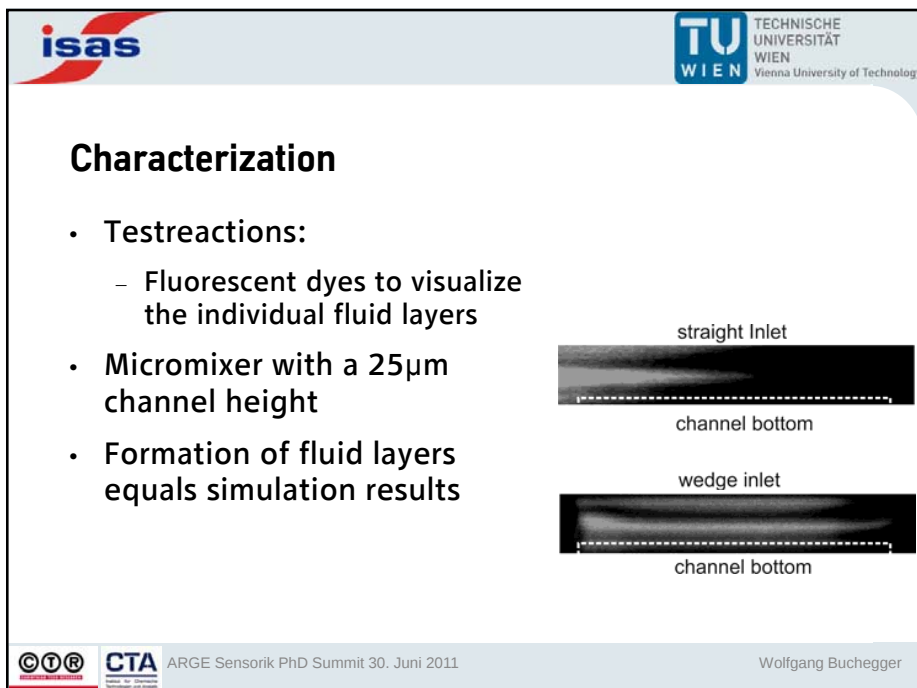
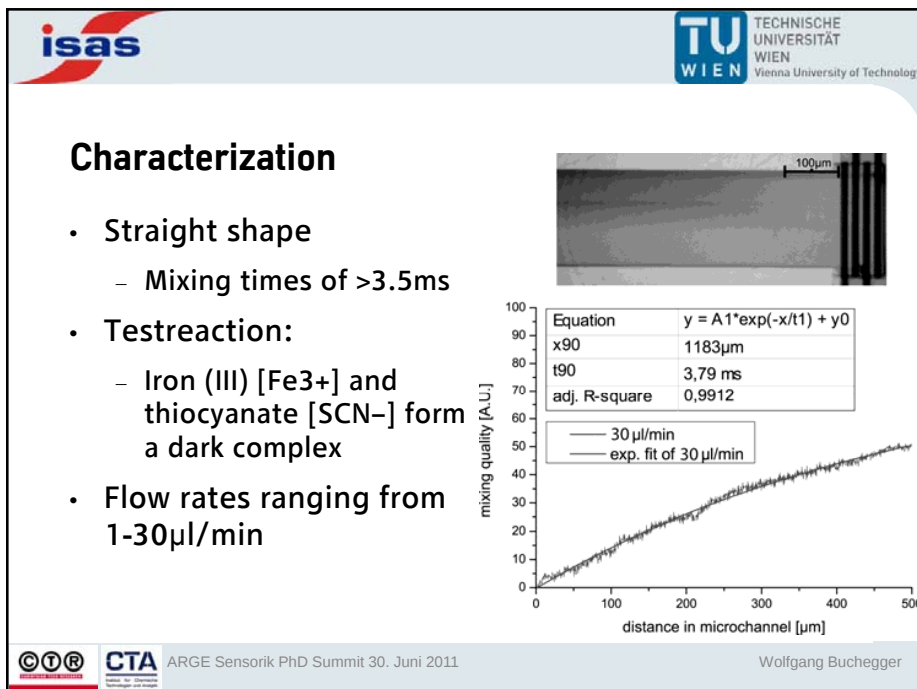
- Wedge shape
 - Mixing times of $< 1 \text{ ms}$
- Testreaction:
 - Iron (III) $[\text{Fe}^{3+}]$ and thiocyanate $[\text{SCN}^-]$ form a dark complex
- Flow rates ranging from $1\text{--}30 \mu\text{l/min}$





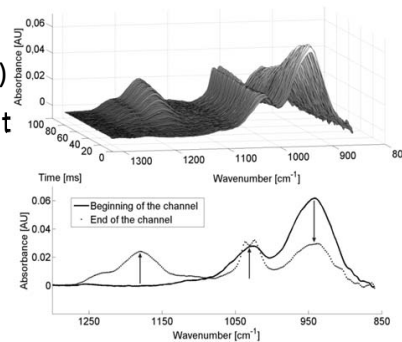
Equation	$y = A1 \cdot \exp(-x/t1) + y0$
x90	285 μm
t90	0.92 ms
adj. R-square	0.9912

Wolfgang Buchegger



Time resolved FTIR Measurement

- Sodium sulfite Na_2SO_3 and formaldehyde solution HCHO
- Three changing bands
 - (942cm^{-1} , 1025cm^{-1} , 1180cm^{-1})
- 86 recorded spectra in about 80 milliseconds



Conclusion

- Passive mixing device applicable for IR-Spectroscopy enables continuous spectral analysis
- Short mixing times due to individual fluid layers formed by the distribution network and the wedge shaped inlets
- Mixing times in low millisecond range for aqueous solutions enable investigation of many chemical reactions





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Ewald Pirker
Andreas Rigler





Competence Center Program

Thank you for your attention!



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Wolfgang Buchegger

Thermoelectric energy harvesting in aircraft for wireless sensors

Dominik Samson (EADS),

Thomas Becker (EADS),

Ulrich Schmid (TU Wien)

Linz, Austria 30/06/2011

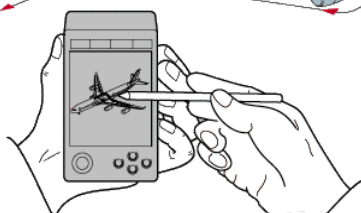
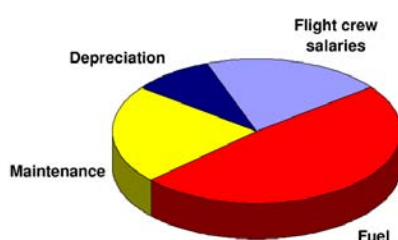
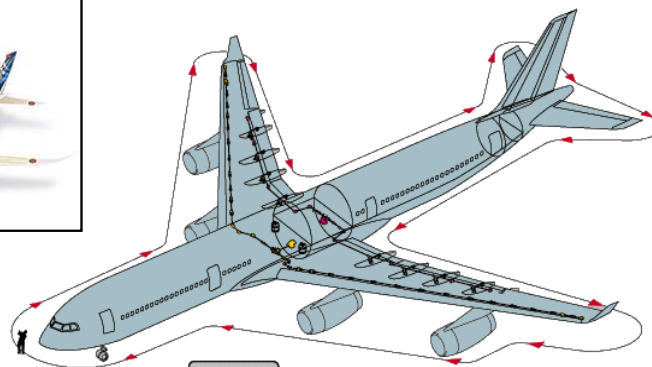


EADS Innovation Works - TCC4 "Sensors, Electronics & Systems Integration"

14 July 2011

Scenario

Maintenance check by wireless sensor



Scenario

How does Energy come to the sensor?

By cable:

- heavy
- difficult to install
- expensive to plan

By batterie:

- may not always work
- maintenance

Solution:

local power production at the sensor

= **energy harvesting**



[2]



Content

Introduction

Aircraft energy harvesting principles

Thermoelectric theory

Thermoelectric energy harvesting

Power management

Flight test

Conclusion

EADS and IW



IW Staff (2009)

Headcount : 524

PhD/Thesis : 62



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Prof. Schmid



Energy harvesting

Possibilities for energy harvesting



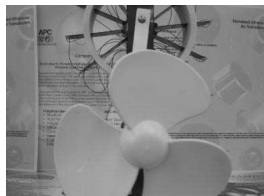
Solar cell

- Sunlight
- External



Vibration
Harvester

- vibrations
- in aircraft
- not large



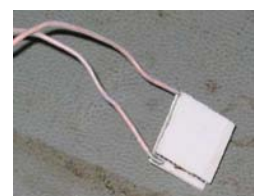
Windmill

- Airflow
- External



Triboelectricity

- Airflow
- Fixed



Thermoelectric
generator

- In/outside ΔT

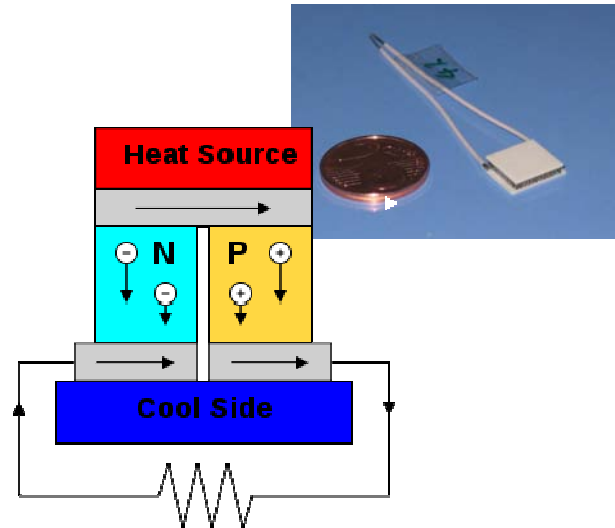
Thermoelectric theory

Origin of the thermoelectricity

Seebeck effect: $U = Q \cdot \Delta T$

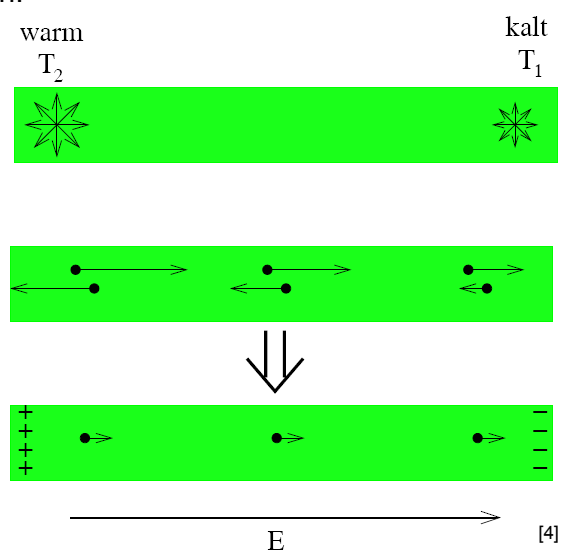
Thermoelectric Generator (TEG):

$$U = (Q_B - Q_A) \cdot \Delta T$$



Thermoelectric theory

Model of Thermodiffusion:



!!Source of thermoelectricity is the thermodiffusion!!

Thermoelectric Energy Harvesting

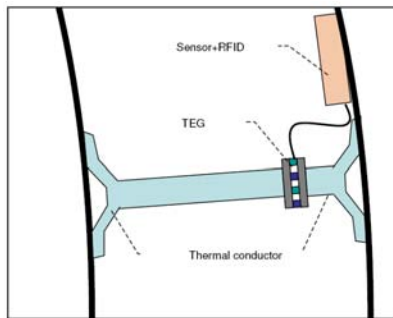
Static harvesting

inside: 24°C

outside: -20°C

+ constant energy output

- difficult to install



[6]

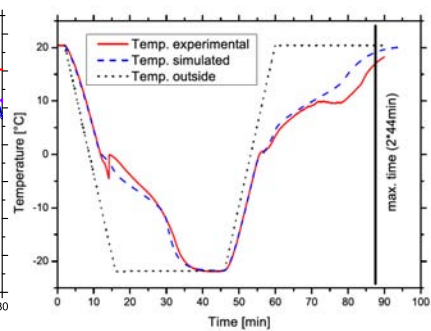
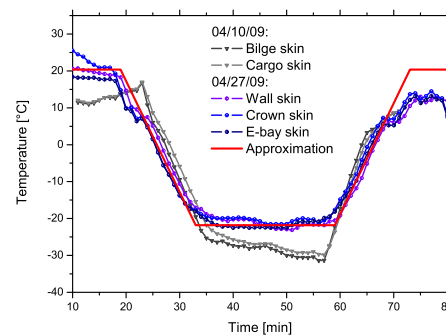
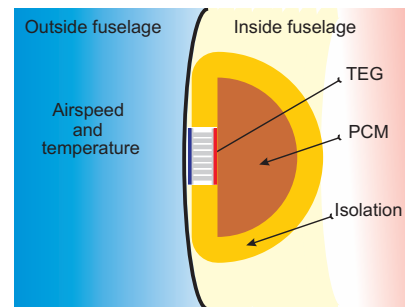
Dynamic harvesting

ground: 20°C

cruise: -20°C

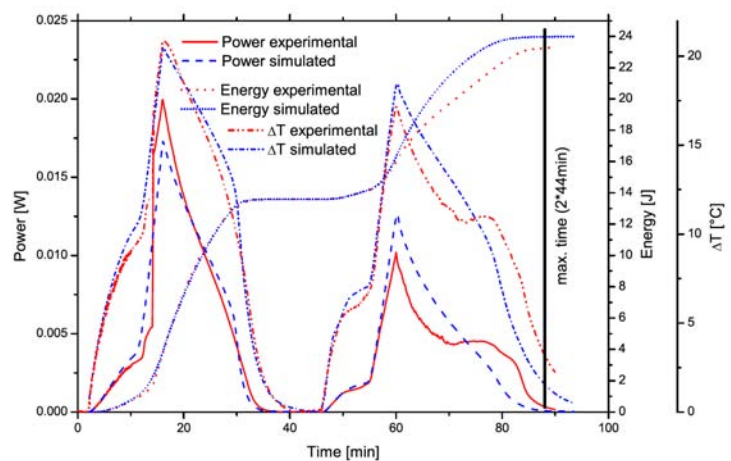
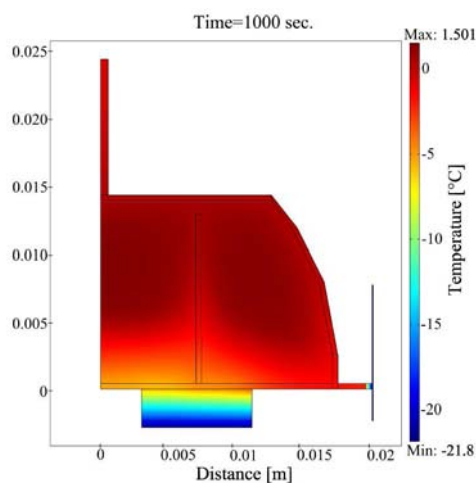
- peaked energy output

+ easy to install



Thermoelectric phase changer

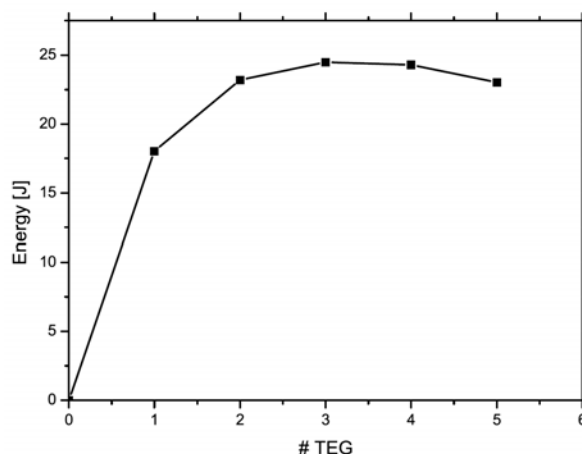
COMSOL FEM simulations for design parameters and energy output using general heat equation



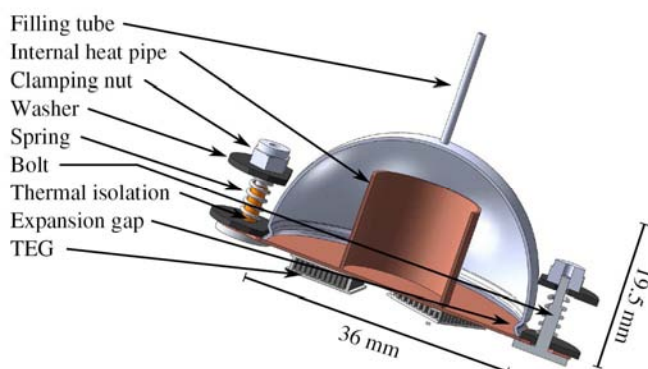
Energy output from 10g H₂O ~ 6.5 mWh

Thermoelectric phase changer

Optimization of the TEG heat conductivity



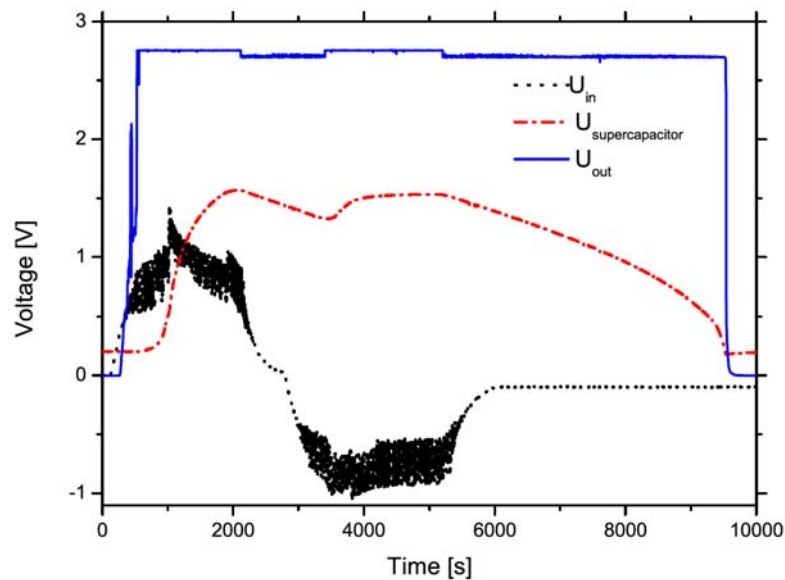
Thermoelectric phase changer



N°	Short description	Energy output [J] Weight (PCM + containment, no TEG) [g]	PtW-ratio ($t = 88min$) [$W \cdot kg^{-1}$]
1	Double-walled, <u>no</u> internal heat pipe, 3 mounting bolts, simulation results	20.9 30.85	0.128
2	Double-walled, with internal heat pipe, 3 mounting bolts, experimental results	22.1 33.19	0.128
2b	Double-walled, with internal heat pipe, 3 mounting bolts, <i>with</i> vacuum isolation; experimental results	23.2 33.19	0.131
3	Double-walled, with internal heat pipe, 3 mounting bolts, 20 ml H_2O , 8 TEGs, $R_t = 75\Omega$, experimental results	60.5 57.5	0.199
4	Single-walled, with heat pipe, 2 mounting bolts, $\approx 10mm$ PU foam isolation; experimental results	30.9 27.9	0.210
4b	Single-walled, with heat pipe, 2 mounting bolts, $\approx 100mm$ PU foam isolation; experimental results	35 60	0.110
4c	N° 4 with Marlow TEG, simulated data	35.5 27.9	0.241

Power management & Sensor node

Successful test in climate chamber, from one flight cycle sensor worked 2.5h @ 189 μ W

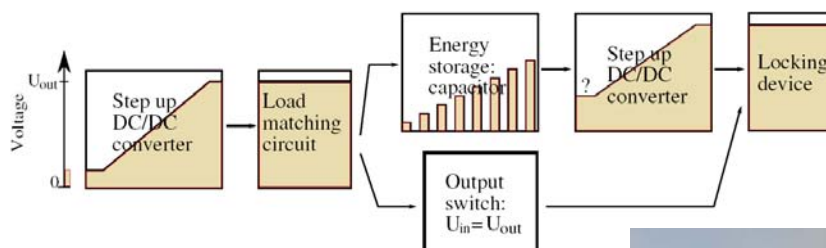


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EADS

Power management & Sensor node

Circuit to store and provide the power is necessary:



⇒ conversion efficiency up to 55%



Page 14

EADS

Flight test

Flight test of the harvester:



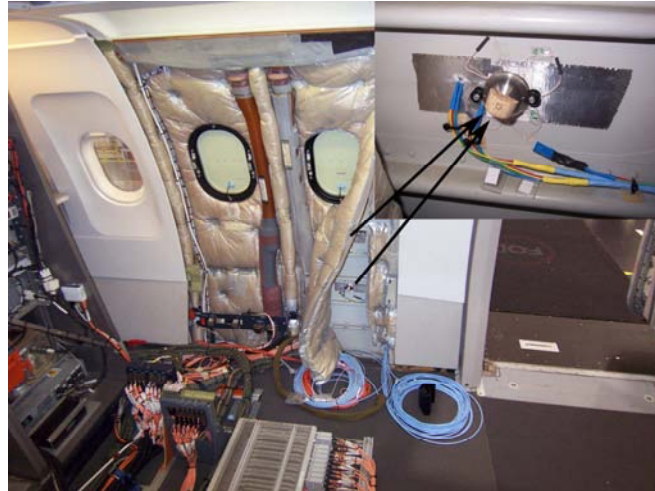
Flight test

Flight test of the harvester:



Flight test

Flight test of the harvester:



Conclusion

- energy harvesting in aircraft is possible
- thermoelectricity is the most promising candidate
- efficient power management is needed
- flight test proved the concept

References

- [1] Airline financial detail report.
- [2] Wiring tips up A380 schedule. International Herald Tribune, June, 14th 2006.
- [3] Darren F.Y.E. Shashank PRIYA, Chih-Ta CHEN and Jeff ZAHND. Piezoelectric windmill: A novel solution to remote sensing. Japanese Journal of Applied Physics, 44(3):104–107, 2005.
- [4] Ingo Hüttel Rolf Pelster, Reinhard Pieper. Thermospannungen - Vielgenutzt und fast immer falsch erklärt! Physik und Didaktik in der Schule und Hochschule PhyDid, 1/4:10–22, 2005.
- [6] <http://www.ametyst-projekt.de/>

Capacitive Icing Detection and Capacitive Energy Harvesting on a 220kV HV Overhead Power Line

Institute of Electrical Measurement
and Measurement Signal Processing

Head of the Institute & Supervisor: Univ.-Prof. DI Dr. Georg Brasseur

in collaboration with



Introduction

What is „Icing of Overhead Power Lines“?

- atmospheric icing
(aggregation of ice
and/or snow)
- onto the surface of
overhead conductors
- posing additional weight
load (up to several
kg/m) to the supporting
towers



Source: NOAA, WRH, <http://www.wrh.noaa.gov>

Countermeasures



Source: Hydro Quebec
<http://www.hydroquebec.com>



Source: Manitoba Hydro,
www.hydro.mb.ca



Source: <http://www.loupour.cz>

Further measures:

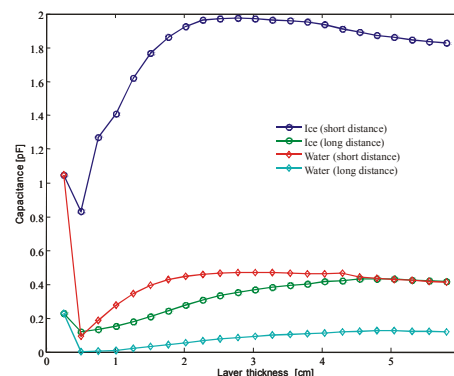
- AC and DC currents
- dielectric coatings, hydrophobic coatings (CIGRÈ)

How to detect icing?

- Weather monitoring on OHL towers
- Optical, ultrasonic, microwave thickness or line sag measurement:
- Conductor weight measurement
- Optical inspection

- **Aims for a new approach:**
 - **Measurement on the surface of the conductor**
 - **Measurement of minimal quantities of ice**
 - **Autonomous, versatile device**
 - **Idea: Capacitive Measurement?**

Field Simulation for a Capacitive Measurement Setup



Source: M.J. Moser, B. George, H. Zangl and G. Brasseur: „Icing Detector for Overhead Power Transmission Lines“, Proceedings of the 2009 IEEE Instrumentation and Measurement Technology Conference, pp. 1105-1109

Challenges with capacitive measurement

In general:

- Large offset + small signal changes
- Disturbances/EMC
- Ambiguities (Shielding and Coupling effects)
- Presence of metal (surfaces) adds additional offsets

Here:

- All of the above!
- Field Gradient: measurement of fF in an AC kV environment!

Laboratory Testbed



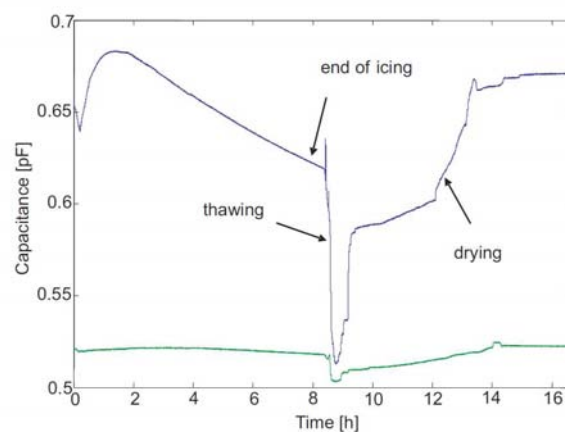
Melting of clear ice

Icing from droplets



Clear ice layer

Laboratory Results



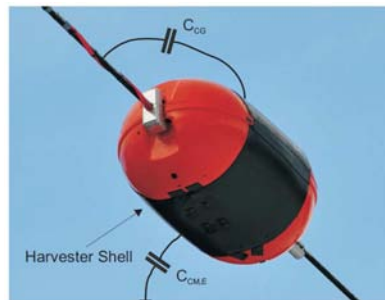
M.J. Moser, B. George, H. Zangl and G. Brasseur: „Icing Detector for Overhead Power Transmission Lines“, Proceedings of the 2009 IEEE Instrumentation and Measurement Technology Conference, pp. 1105-1109

Energy Harvesting

How to get energy for autonomous operation?

- *Batteries*. Only for lowest power demands.
- *Current Transformer*. Depends on a minimum current in the line.
- *Solar panels*. Depend on sunlight, need much space, are comparatively inefficient. Suffer from pollution.
- *Capacitive Energy Harvesting?*

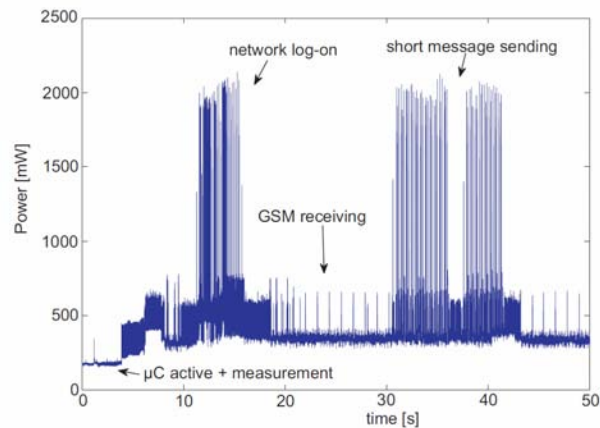
Capacitive Energy Harvester



Source:

This device just needs a live power line but the line does not need to transport power (compared with current transformers).

Power Demand

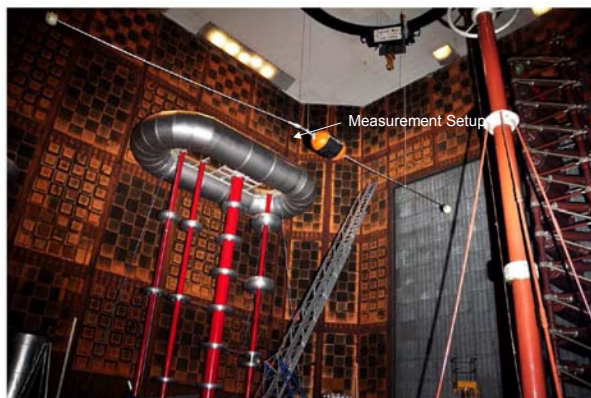


Source: M.J. Moser, T. Bretterklieber, H. Zangl and G. Brasseur: „Strong and Weak Electrical Field Interfering: Capacitive Icing Detection and Capacitive Energy Harvesting on a 220-kV High-Voltage Overhead Power Line“, IEEE Transactions on Industrial Electronics, Vol. 58, No. 7, July 2011, pp. 2597-2604

Michael J. Moser

PhD Summit 2011, Linz, 30.6.2011

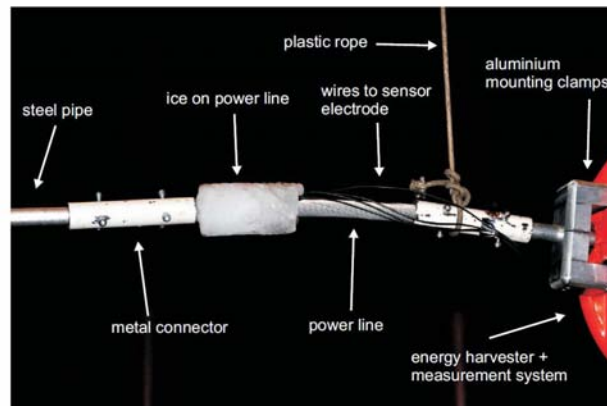
HV Laboratory Test Setup



Michael J. Moser

PhD Summit 2011, Linz, 30.6.2011

HV Laboratory Test Setup (cont'd)



Michael J. Moser

PhD Summit 2011, Linz, 30.6.2011

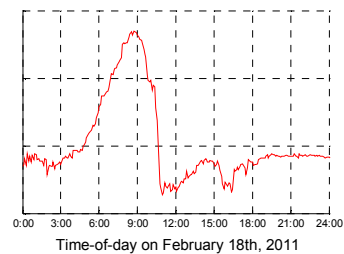
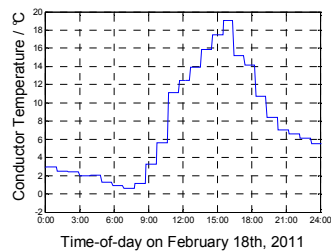
Field Test on a 220 kV Line



Michael J. Moser

PhD Summit 2011, Linz, 30.6.2011

Results



-> Conductor temperature is around 0°C for a short period of time

-> A thin layer of soft rime is forming @ 3 a.m. and melts again @ 9 a.m.

Summary

- Approach is feasible, icing events were successfully detected.
- Evaluation of multiple capacitances allows estimation of the thickness of the ice layer.
- High sensitivity occurs for thin layers of ice – good for timely application of comparatively simple counter measures.
- Field Test until 05/2011
- Industrialization, first installations planned in winter 2011/12

Acknowledgment

Thank you for your valuable support:



- Herbert Lugschitz & Gerhard Bernhard



- Hubert Zangl, Thomas Bretterklieber & the Sensors&Instrumentation Working Group

Sensor Integration in digital microfluidic systems

PhD Summit ARGE Sensorik
Thomas Lederer



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Outline

- Microfluidics
- EWOD
- QCM
- Results (+Outlook)
- Impedance spectroscopy
- Results (+Outlook)



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Micro fluidics

Microfluidics

Investigation of Properties as well as manipulations of small amounts of fluids (<nl)

Digital Microfluidics

Electro wetting on Dielectrics (EWOD)

Key Advantages

- short reaction times
- reduced consumption of reagents and sample materials
- high achievable level of automation

Sensor Principles

- Functionalized resonant sensor
- Impedance spectroscopy

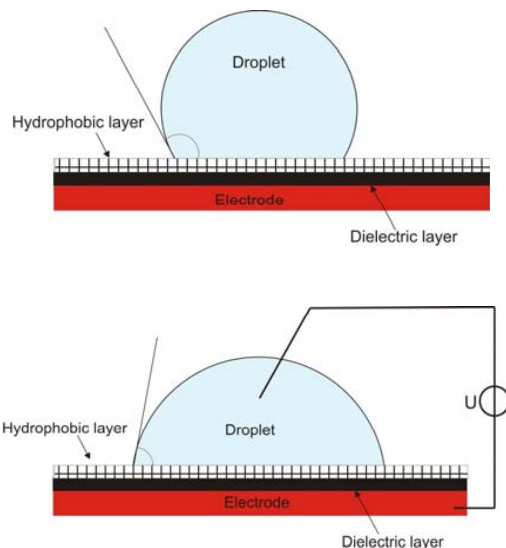


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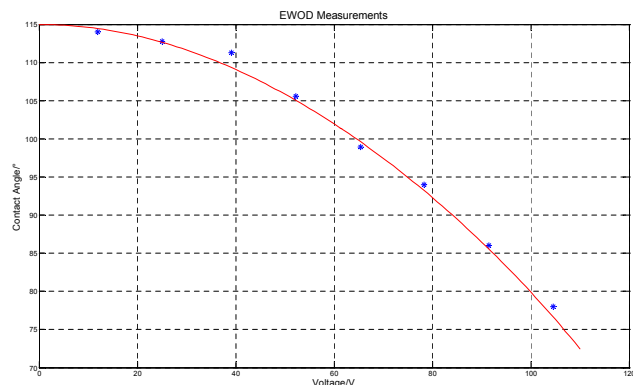
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Electrowetting on Dielectrics (EWOD)



Lippmann-Young equation:

$$(\cos \theta) = \cos(\theta_0) + \frac{cV^2}{2\gamma_{LG}}$$



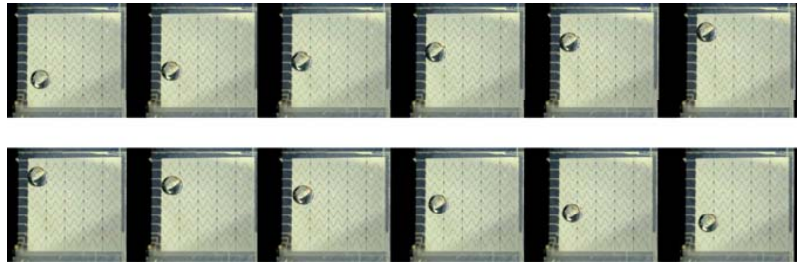
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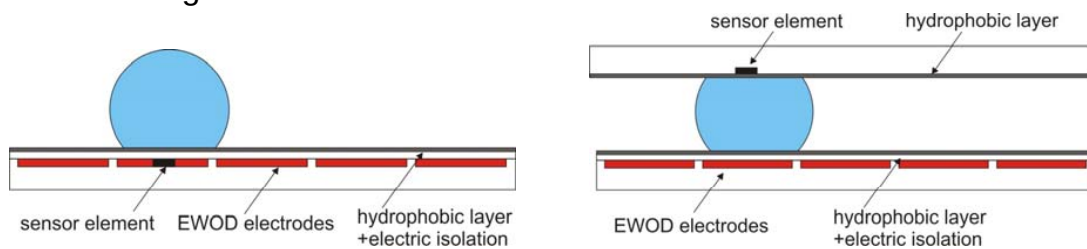
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EWOD Realisation

EWOD Translation



Sensor integration

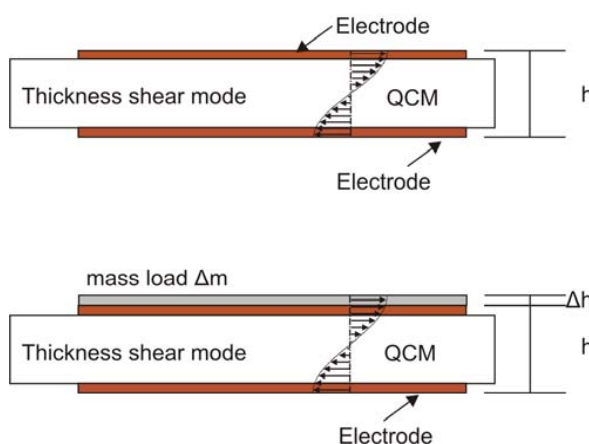


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Quarz Crystal Microbalance



Sauerbrey Equation:

$$\Delta f = -2 f_0^2 \Delta m / \sqrt{\rho \mu}$$

Frequency shift dependent on the square of the fundamental resonance frequency f_0

Resonance Condition: $f_0 = \frac{\sqrt{\mu / \rho}}{2h}$ → Thin Resonators !

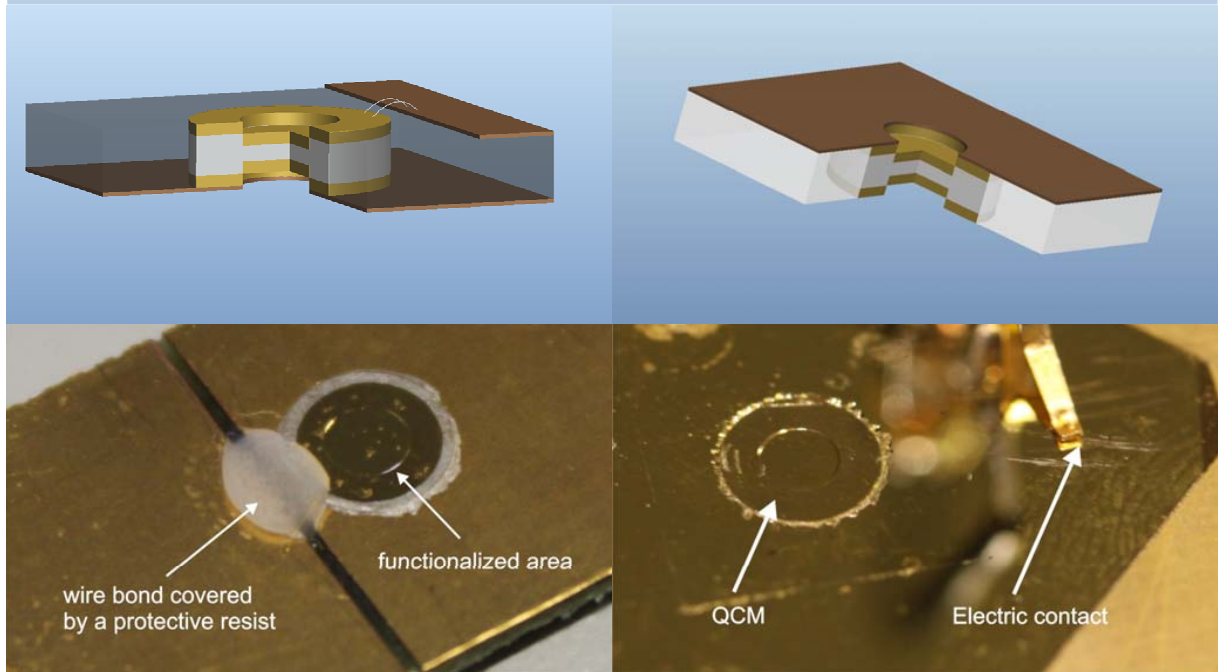


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Sensor Integration in digital microfluidic systems

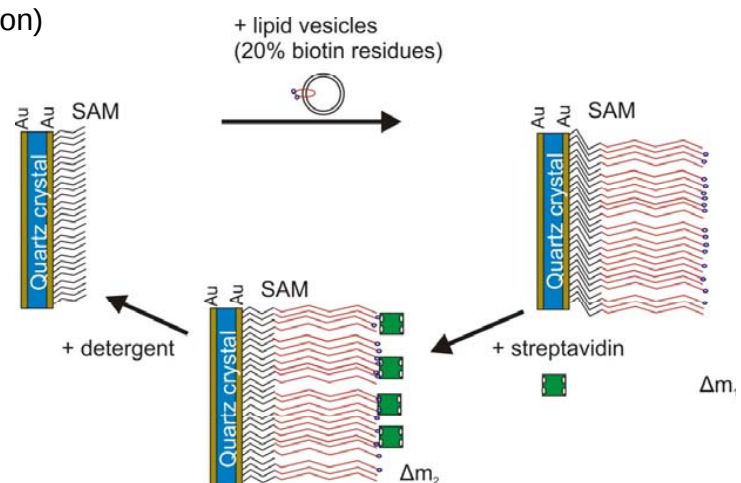
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QCM integration

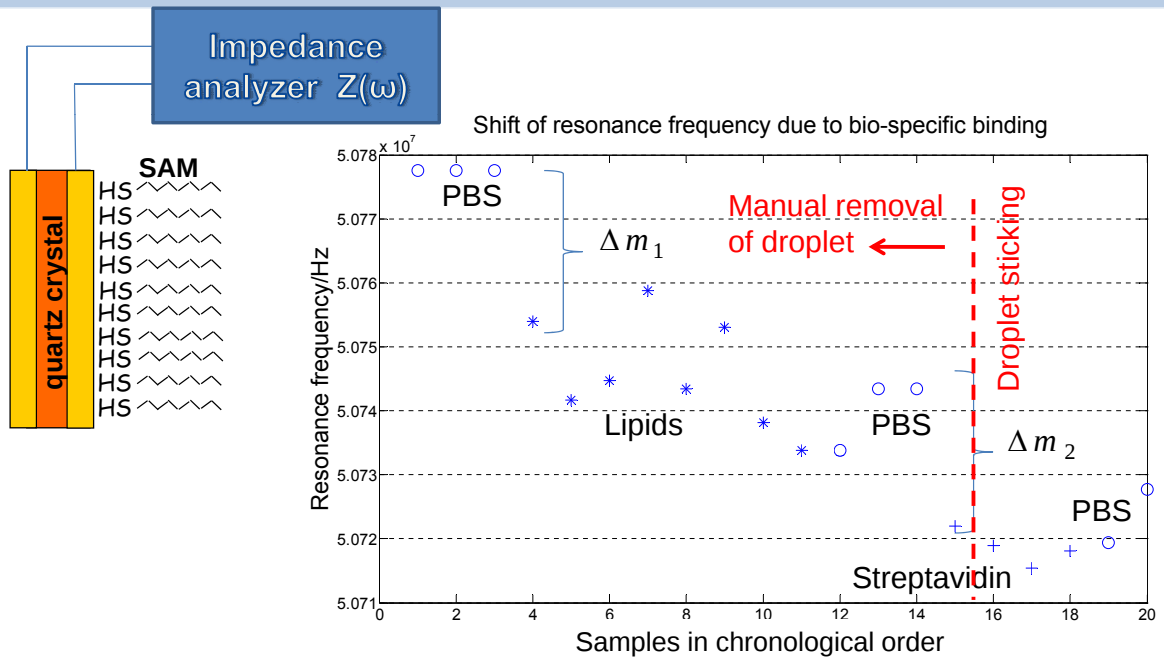


Possible Applications

- density/viscosity
- mass deposition (sedimentation)
- binding of molecules (unspecific/ specific)

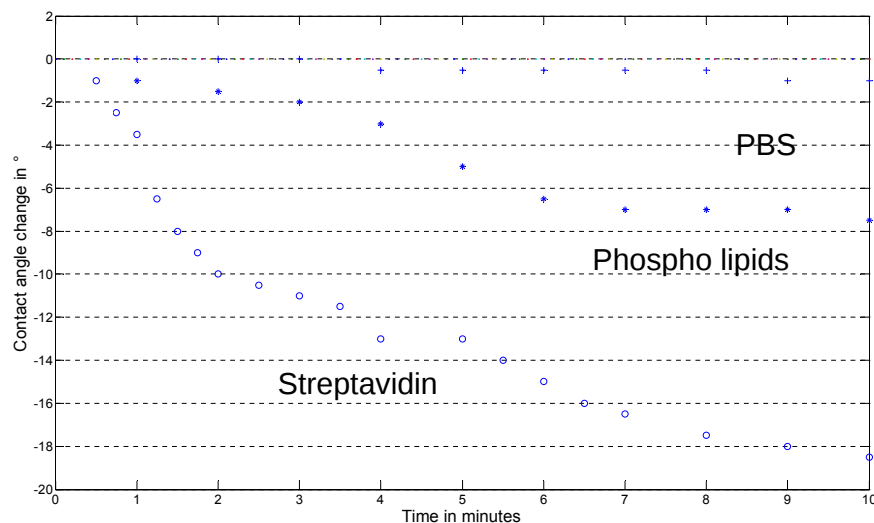


Detection of binding bio-molecules



Optical measurement of the contact angle

→ Observed decrease of the contact angle due to specific binding on Bio-functionalized surface



Discussion

- Detection of bio-molecules by measuring the shift of the resonance frequency
- Sticking problem due binding of the bio-molecules

Outlook

- Releasing the bio-molecules by washing with detergents
- Droplet pushing



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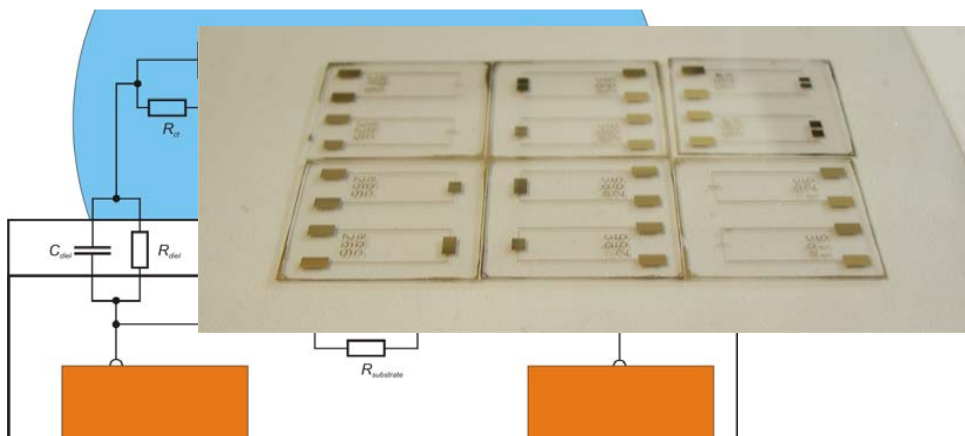
Sensor Integration in digital microfluidic systems

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Impedance Spectroscopy

Impedance function between two ports

$$Z(\omega) = Z'(\omega) + jZ''(\omega)$$



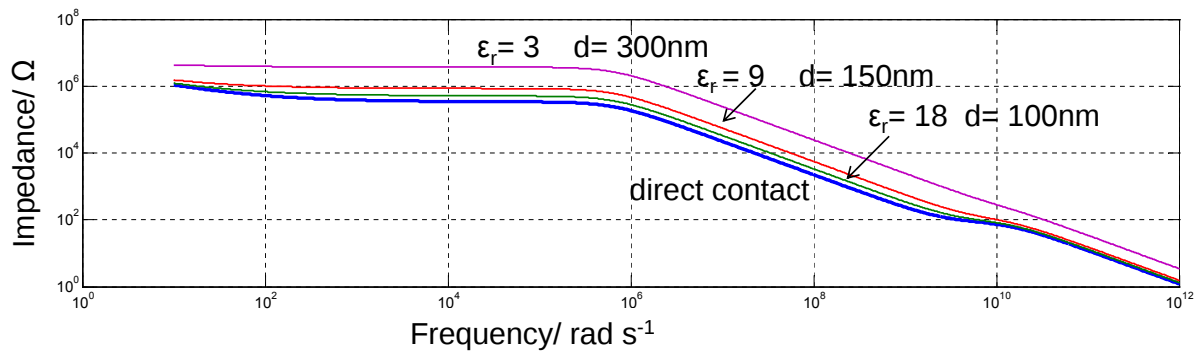
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Material Selection

Bode plots of impedance of a DI-Water droplet onto dielectric materials

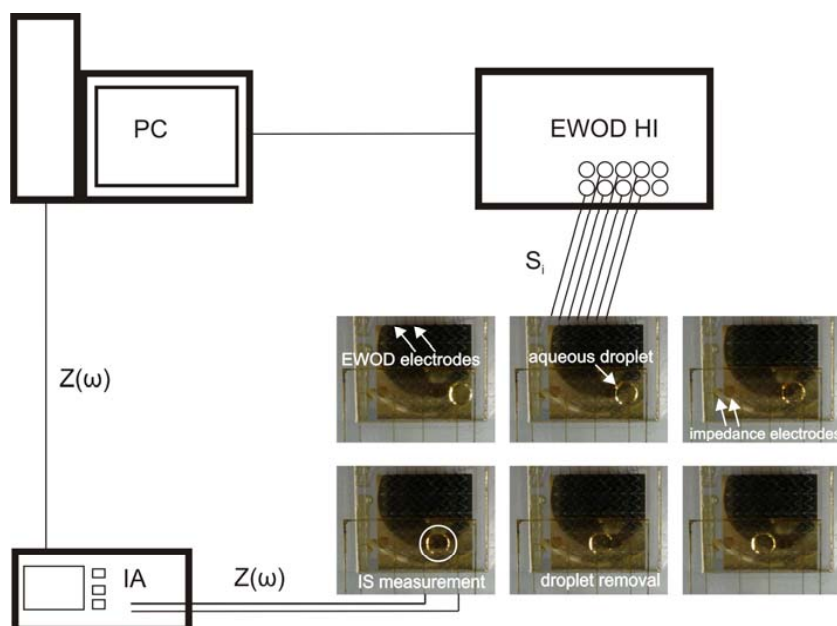


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Measurement sequence

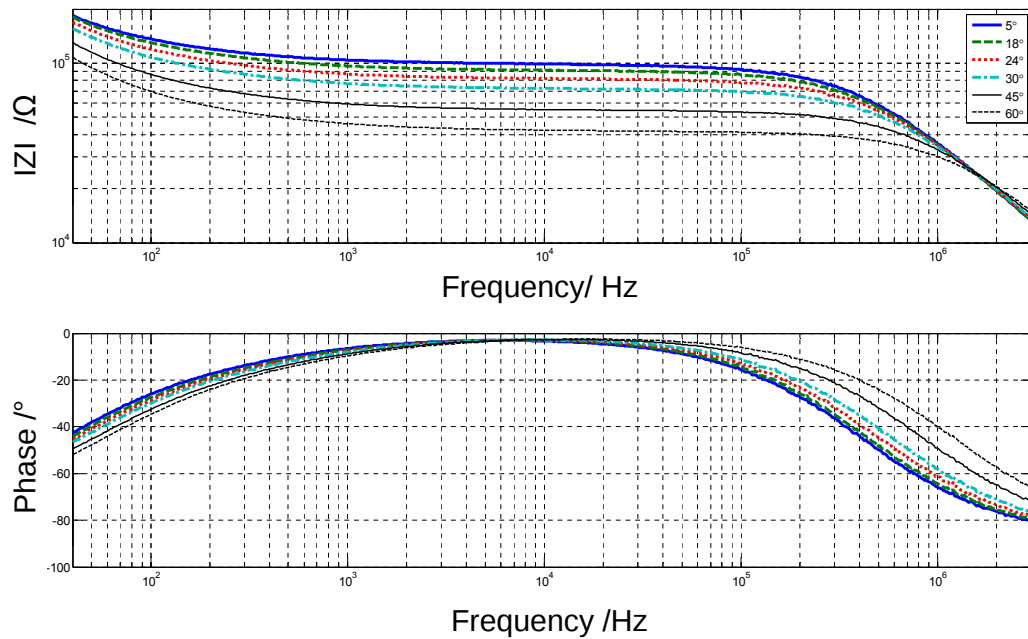


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Measurement (Temperature)

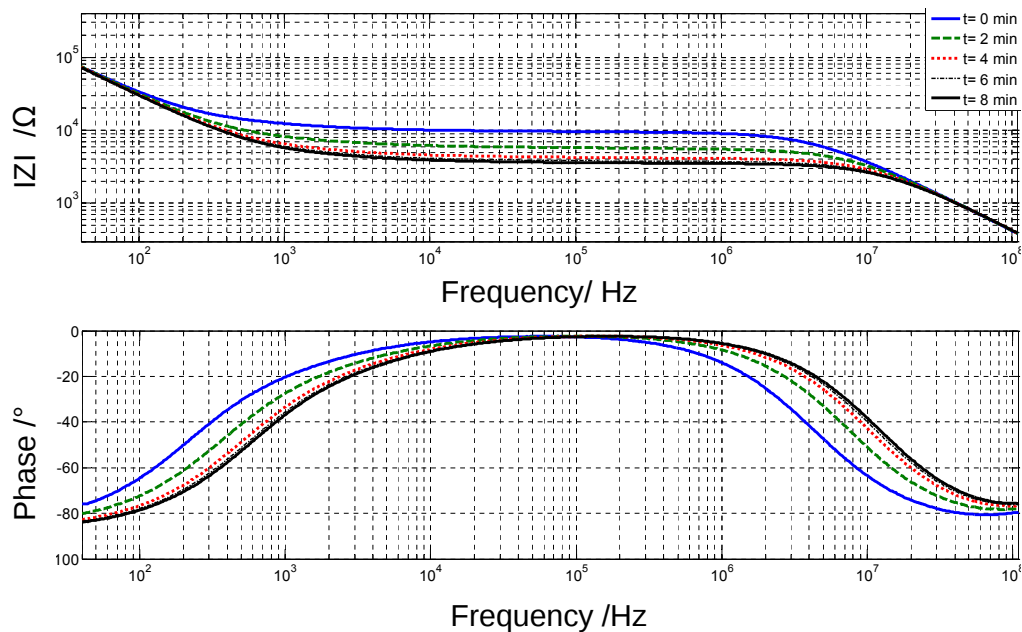


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Measurement (Sedimentation)

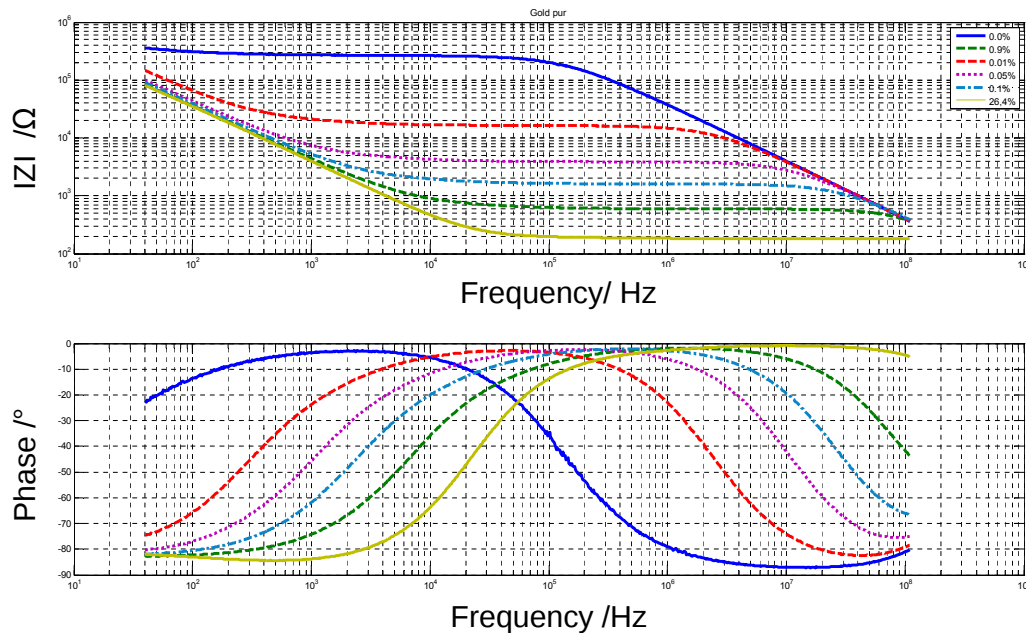


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Measurement (Ion concentration)



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Discussion

- All electric measurement of various chemical and physical parameters
- Suitable for online-measurements of chemical reactions

Outlook

- Measurement on biologic samples
- Combination with RF-heating or with a dielectrophoretic concentration setup



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**Thank You for Your
Attention**



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Label-Free Cell Analysis: An Infrared Sensor for CH₂-stretch Ratio Determination

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Vienna University of Technology
driesche@tuwien.ac.at
ARGE Sensorik PhD Summit, 30. June 2011



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Overview

- Motivation and objectives
- Sensor design and realisation
- Label-free tumour screening
- Conclusions

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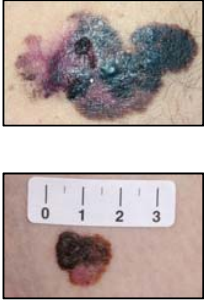
- 3 -



Motivation

Tumour screening: Biopsy

- **Labelling** and **staining** methods based on **morphological interpretation**
- High number of **false positives** and **false negatives**
- **Early detection** and **accurate staging** of the primary tumour will **increase** the **overall survival** rate tremendously



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Objectives

- 1) to design a novel **tumour cell indicator** based on the cells **physical properties**
- 2) to design and realise a **sensor system**

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Sensor design and realisation

c: LED
 d: plano convex lens
 e: narrow band-pass filter
 f: plano convex lens
 g: beam-splitter
 h: sample
 i: LED
 j: photodiode

S. van den Driesche, W. Witarski, S. Pastorekova, and M. J. Vellekoop,
Meas. Sci. Technol., vol. 20, pp. 124015, 2009.

S. van den Driesche, W. Witarski, and M. J. Vellekoop,
 in *Proc of SPIE vol. 7362*, Dresden, Germany, May 2009, pp. 73 620Y–73 620Y–9.

S. van den Driesche, W. Witarski, C. Hafner, H. Kittler, and M. J. Vellekoop,
 in *Proc IEEE Sensors*, Christchurch, New-Zealand, Oct. 25–28, 2009, pp. 1562–1566.

S. van den Driesche and M. J. Vellekoop, Utility model, DE 20 2009 006 771.8, AT 11722(U1), 2009.

S. van den Driesche, C. Haiden, W. Witarski, and M. J. Vellekoop,
 in *Proc of SPIE vol. 8066*, Prague, Czech Republic, April 2011, pp. 80660E–80660E–8.

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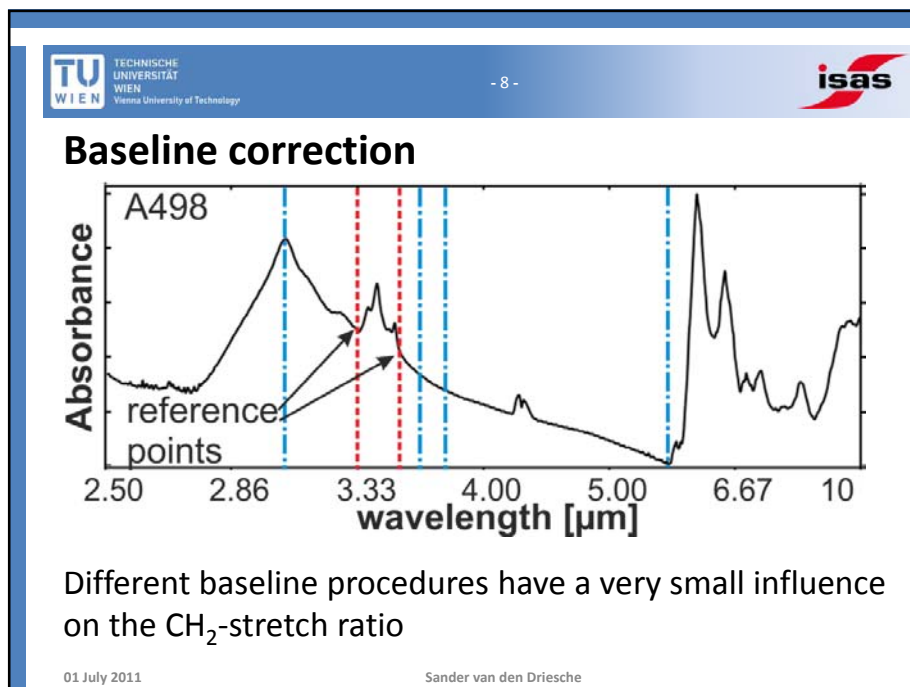
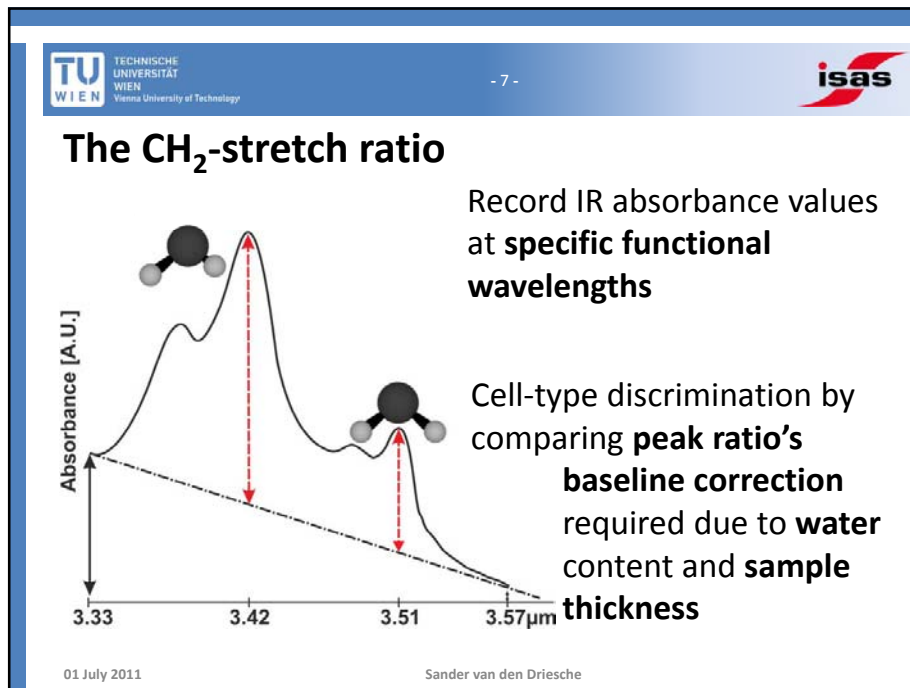
The CH₂-stretches

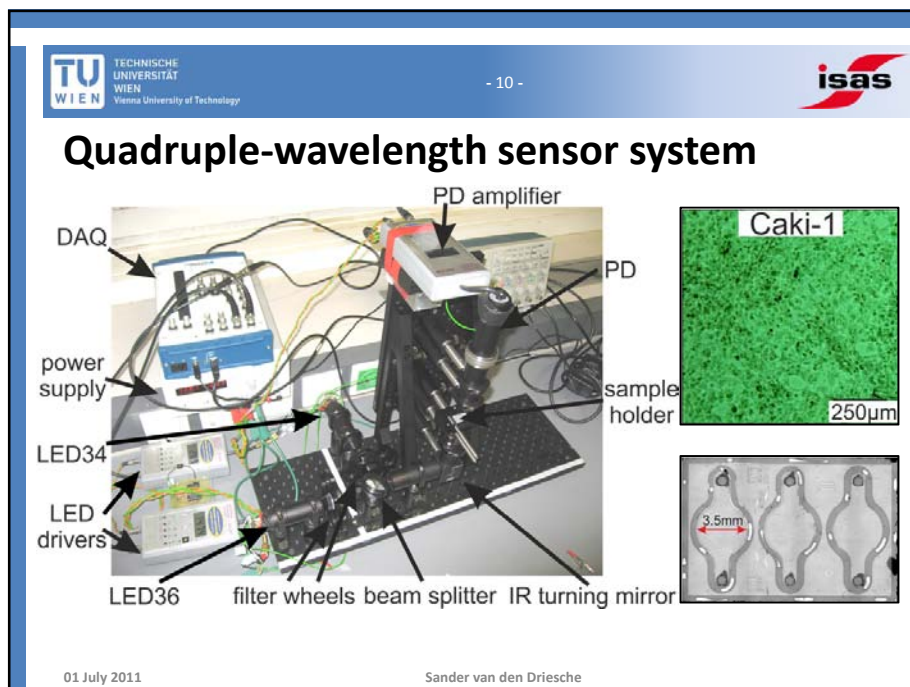
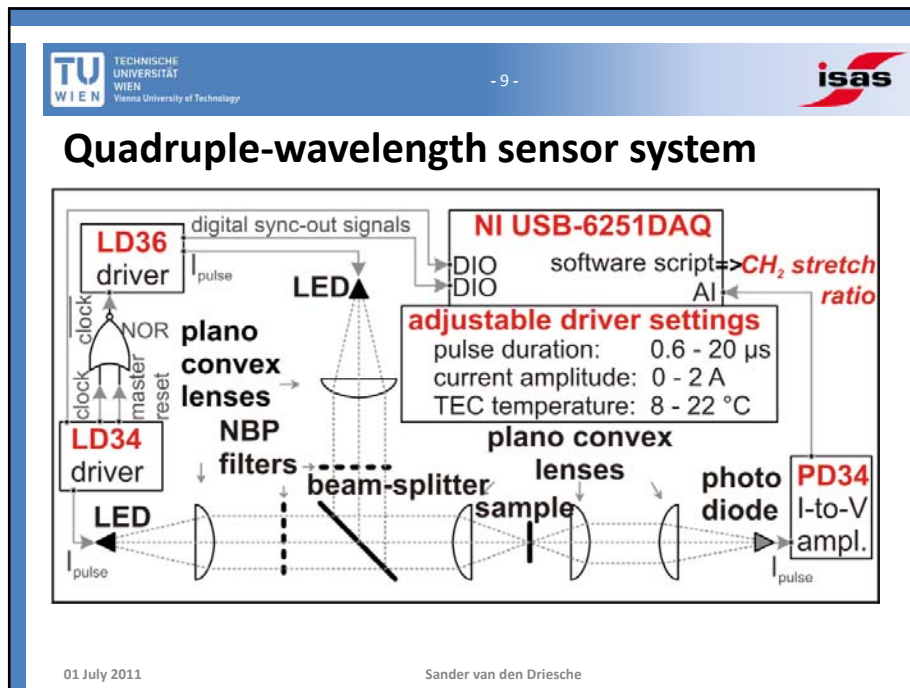
Infrared absorbance spectra comparison of normal and tumour cells (colorectal, breast, oesophagus, blood, melanocytes, and brain) show differences in the wavelength region between 3 and 4 μm

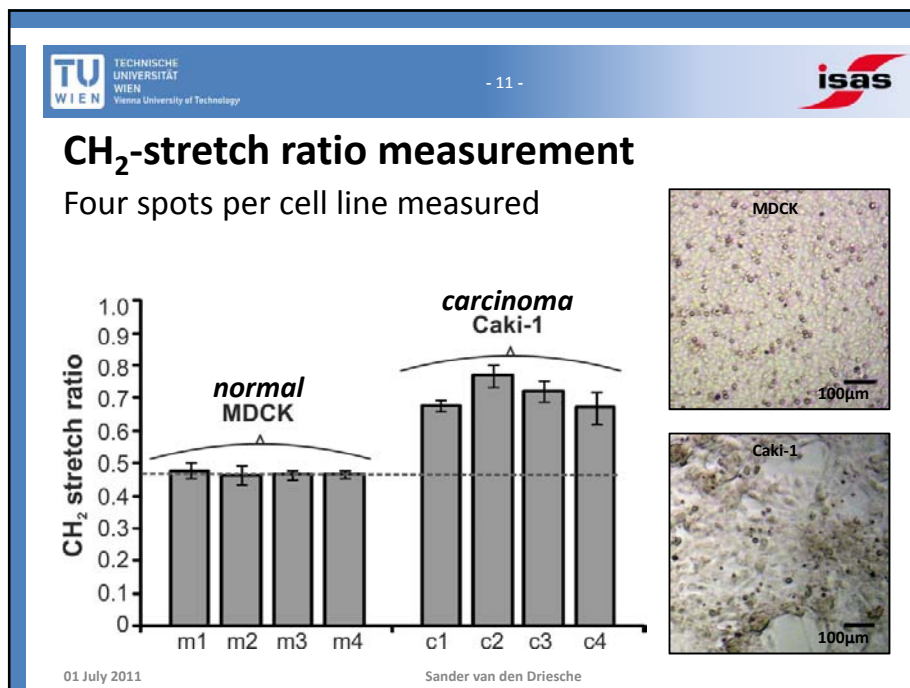
- **Functional infrared absorbance bands:**

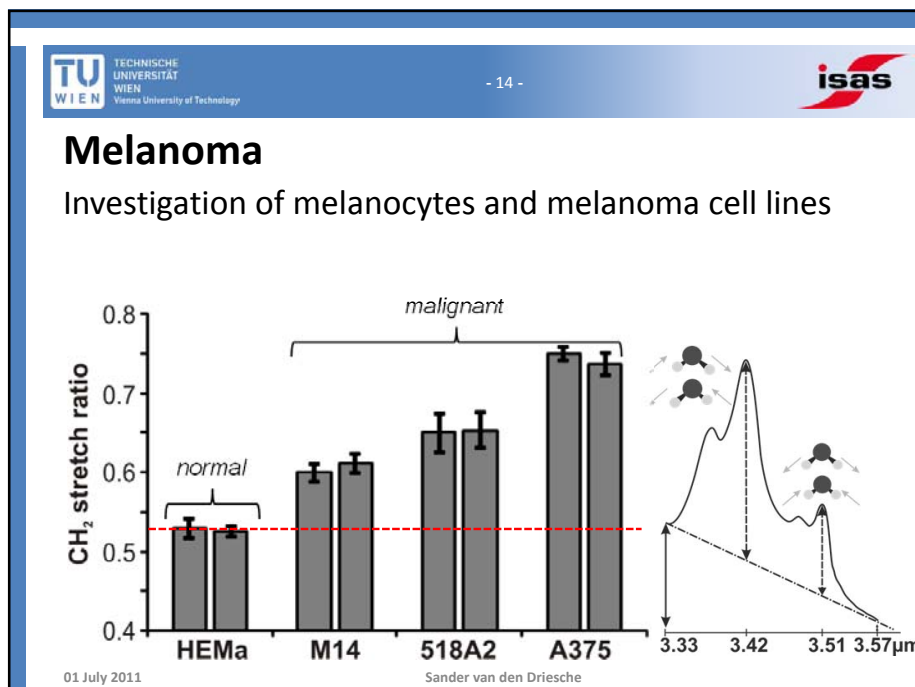
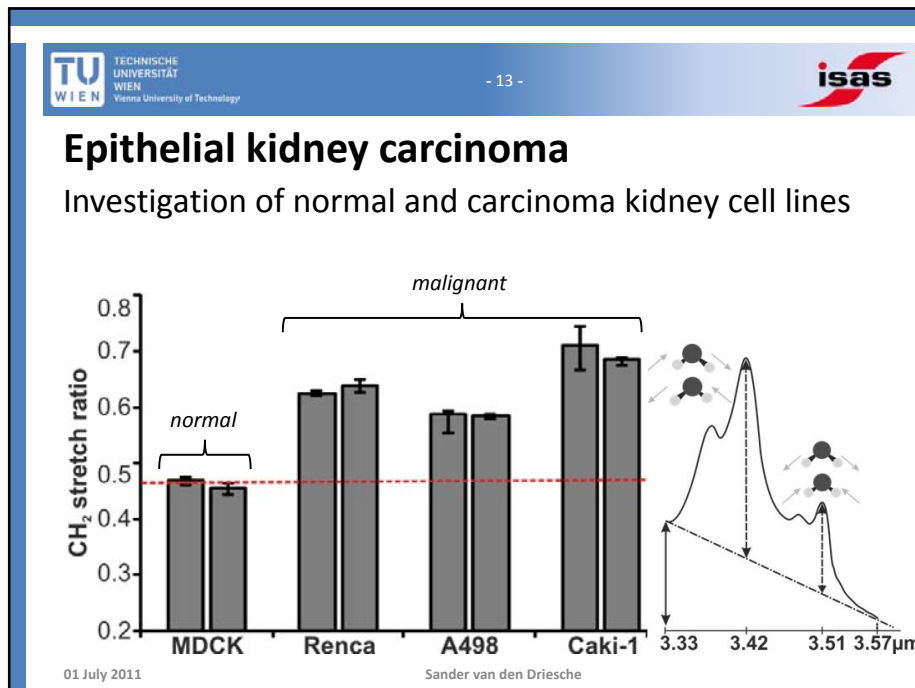
Wavelength (μm)	Function
3.42	CH ₂ -antisymmetric stretch
3.51	CH ₂ -symmetric stretch

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Mechanism investigation

Normal mammalian **plasma membranes** consist of about **20-25%** lipid mass **cholesterol**

A **decreased** concentration of **membrane stabilizing cholesterol** per area has been found for **malignant breast cells** and **melanocytes** compared to their normal cells

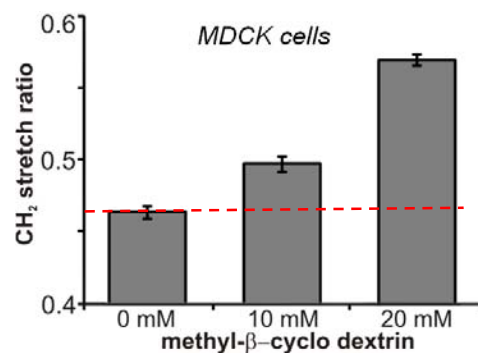
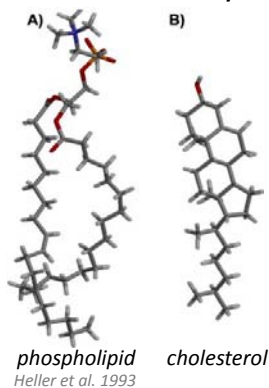
=> An **increase** in the **CH₂-stretch** ratio of normal cells is expected when **reducing** the **cholesterol concentration**

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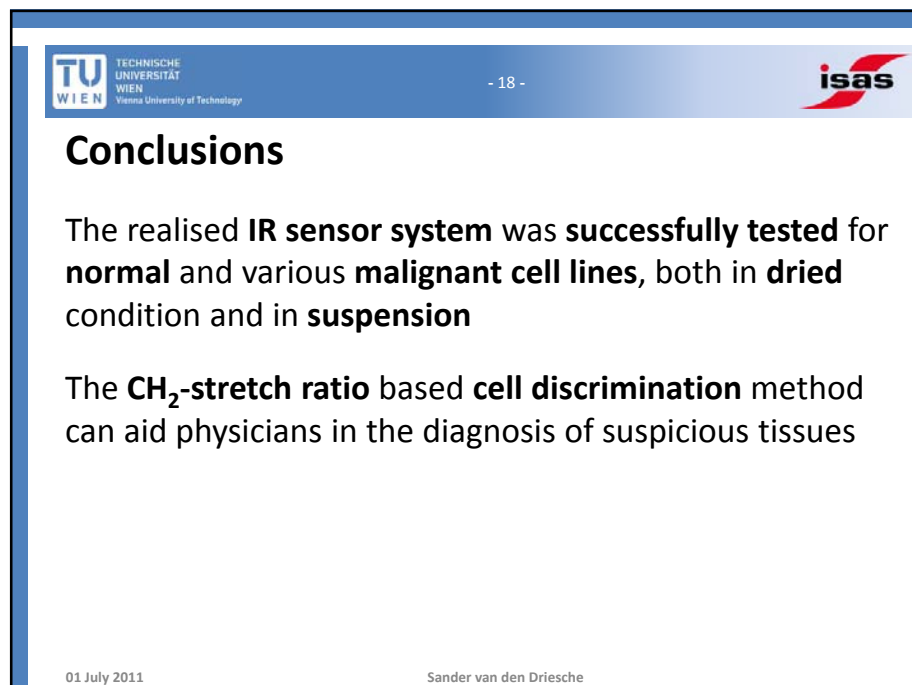
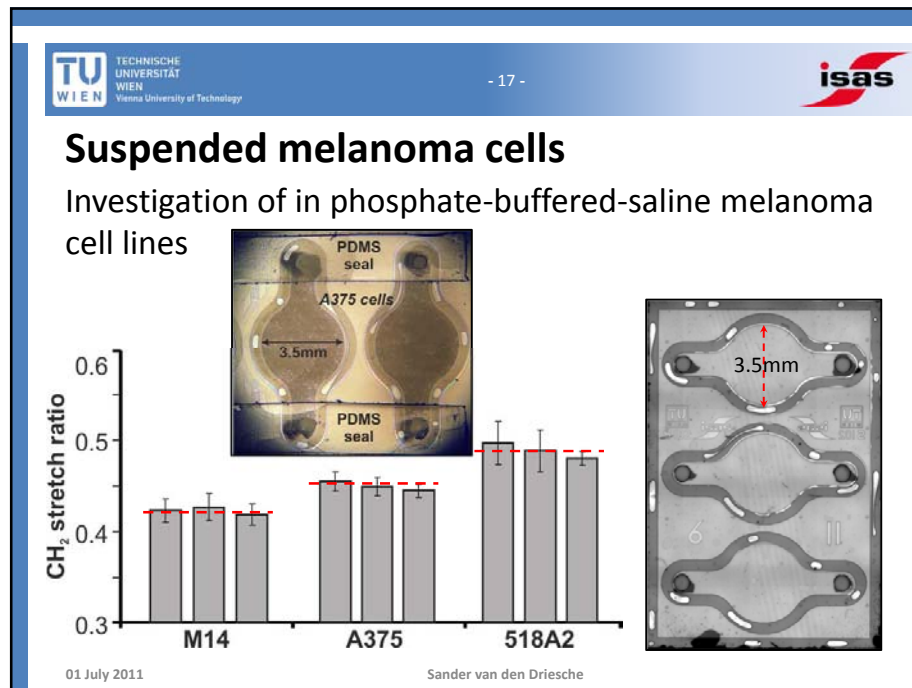
Mechanism investigation

Reducing the average plasma membrane cholesterol concentration yielded in a higher CH₂-stretch ratio



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Acknowledgements

- Prof. Dr. Michael Vellekoop and Prof. Dr. Peter Verhaert
- Master students Dietmar Puchberger-Engl, Vivek Rao, Christoph Haiden, and Helene Zirath
- Colleagues at the Institute of Sensor and Actuator Systems, TU Wien
- Group of S. Pastorekova, Institute of Virology, SAS Bratislava
- C. Hafner, Institute for Pathophysiology, Medical University of Vienna
- Group of B. Lendl, Analytical Biotechnology, TU Wien
- Colleagues of the CellCheck consortium
- The work was part of the EU Marie Curie Research Training Network, MRTN-CT-2006-035854, On-Chip Cell Handling and Analysis "CellCheck"

Thank you for your attention!

01 July 2011

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Composition monitoring in a gas phase polymerization process

Institute for Microelectronics und Microsensors

Johannes Sell, Alexander Niedermayer, Bernhard Jakoby

Borealis Polyolefine GmbH

Sebastian Babik, Christian Paulik

Contents

- Problem/Motivation
- Density measurement
- IR
- Conclusion

Polymerization Process

Cooperation of ACCM and Borealis

Polymerization: Bonding of monomers to polymers

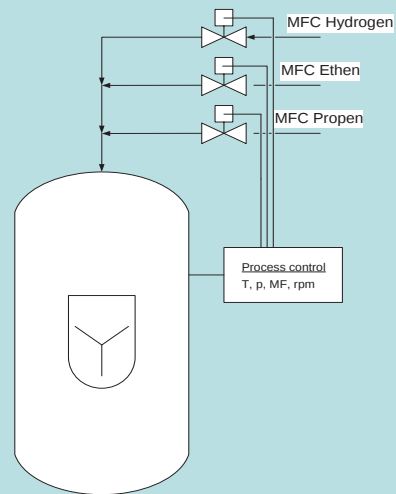
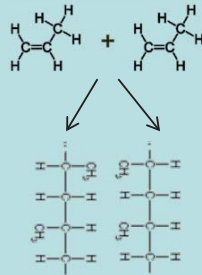
Monomers (e.g. propene)



Catalysts



Polymers



Typical polymerization reactor

Polymerization Process

Problem

Different monomers are integrated into polymer chain with different probability.
=> Concentration ratio changes during reaction

Objective

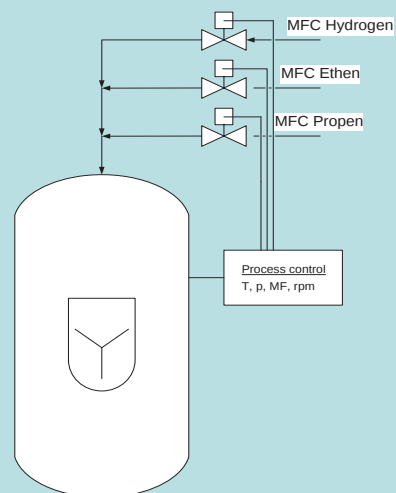
Monitoring of the gas composition during the process

- Measurement time: < a few seconds
- Integration into the polymerization reactor

Approach

2 measurements to measure composition of a 3 component gas

- Density
- IR Absorption

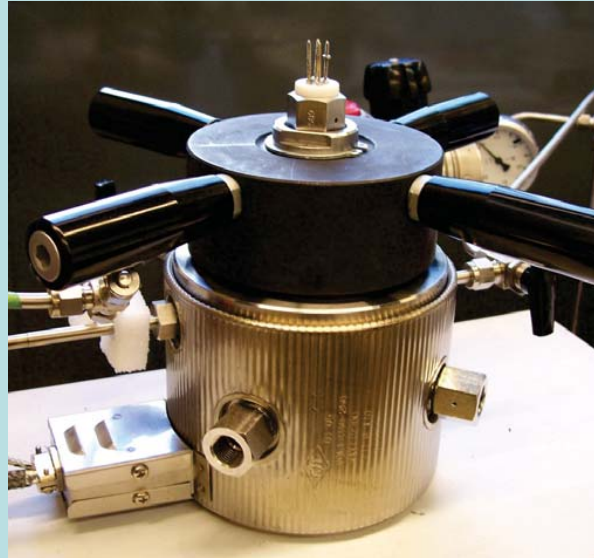


Typical polymerization reactor

Density measurement

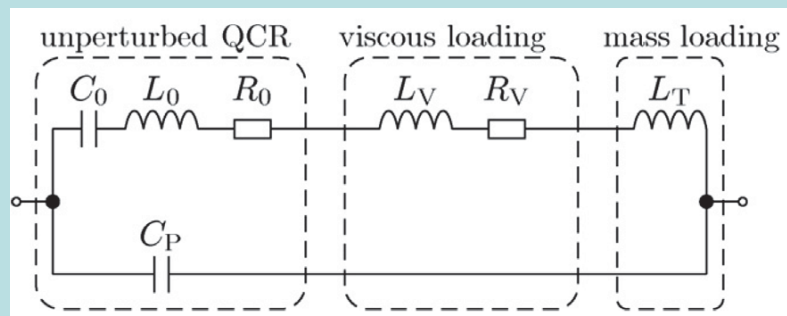
Test system

- Pressure vessel
 - temperature
 - pressure
- Gases
 - propene
 - ethene
 - CF_4
 - N_2



Density measurement

- Equivalent Circuit Model of a quartz tuning fork resonator [1]



$$Z_m = R_0 + j(\omega L_0 - 1/(\omega C_0))$$

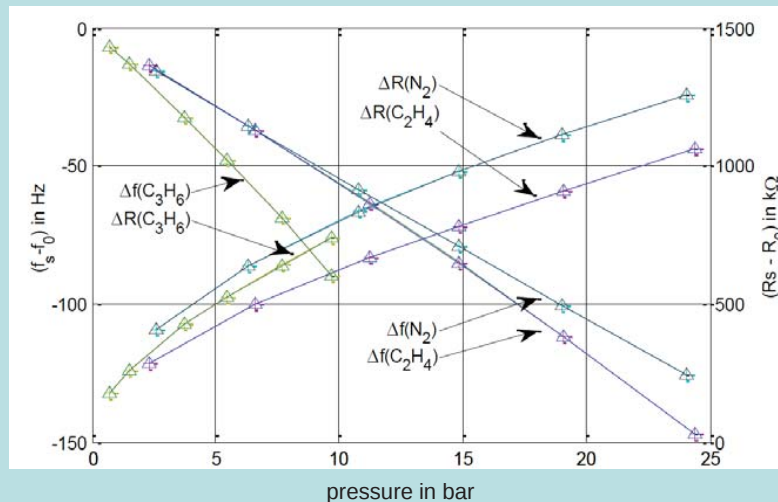
$$Z_V = B \sqrt{\rho \eta \omega}$$

$$Z_T = A \rho \omega$$

[1] L.F. Matsiev, *Proc. IEEE Ultrasonics Symposium* (2000), 427-434

Density measurement

- Measure frequency shift and motional resistance in dependence on pressure



Density measurement – Pressure Dependence

Remove viscosity dependence

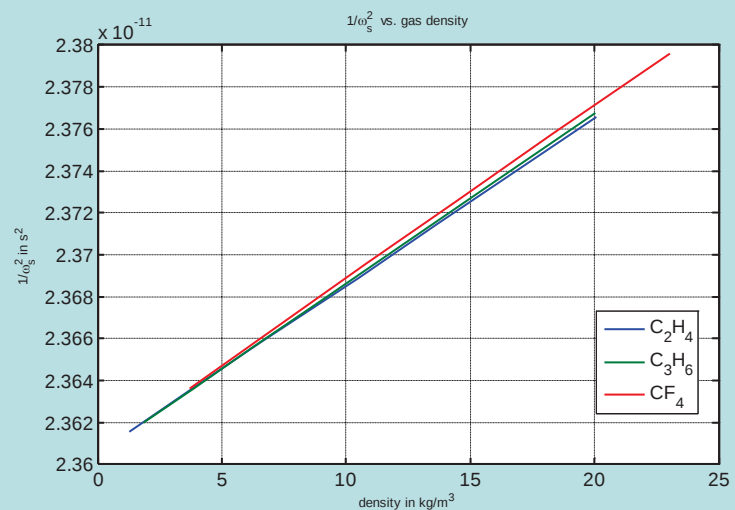
$$L'C_0 = \frac{1}{\omega_s^2} = L_0C_0 + AC_0\rho + \frac{R-R_0}{\omega_s}$$

Measured resonance frequency of the motional branch

influence of viscous damping

$$\Rightarrow \frac{1}{\omega_{s,comp}^2} = \frac{1}{\omega_s^2} - \frac{R-R_0}{\omega_s}$$

$$= AC_0\rho + \frac{1}{\omega_0^2}$$



Density measurement – Pressure Dependence

Consider additional pressure dependent impedance

$$\Rightarrow \frac{1}{\omega_{s,comp}^2} = AC_0\rho + \frac{1}{\omega_0^2}$$

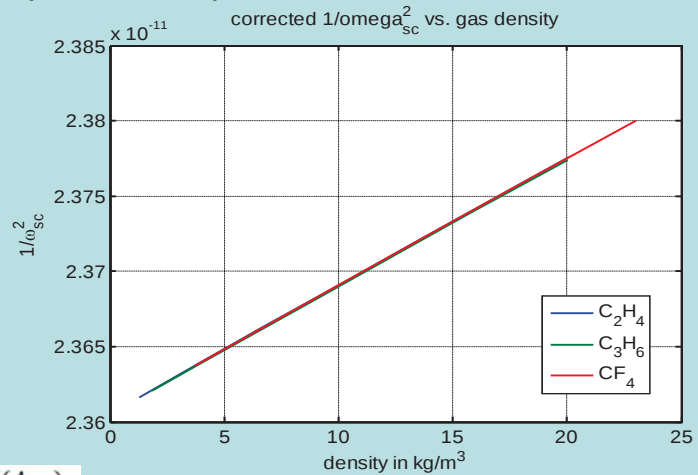
$$= \frac{1}{\omega_s^2} - \frac{R - R_0}{\omega_s} - Dp/\omega_s$$

Modeled by additional
impedance $Z_p(p) = Dp$

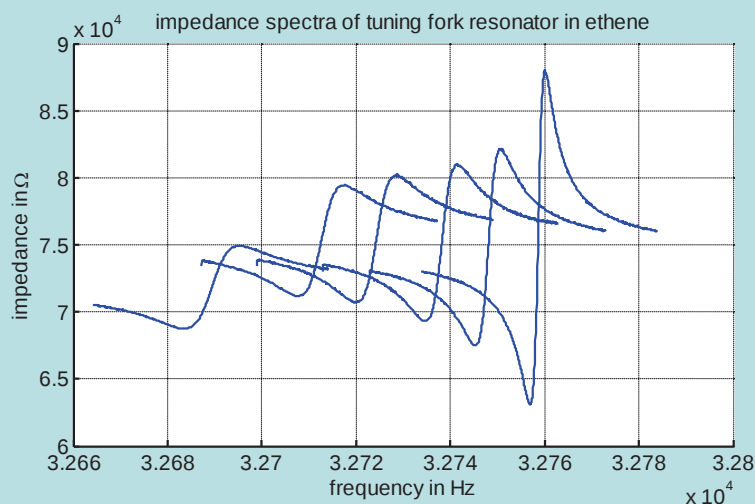
$$\rho = (1/(\omega_s C_1) - \omega_s L_1 - (Re(Z) - R_1 + Dp)) / (A\omega_s)$$

$$\eta = ((Re(Z) - R_1)/B)^2 / (\omega_s \rho),$$

By measurement of R_0 , f_{sm0} and p , density and viscosity can be calculated



Determine f_s and R_1 by fitting the model to impedance spectra



Long measurement time (about 1 min)

Measurement system

Frequency tracking system, based on Impedance Analyzer [2]

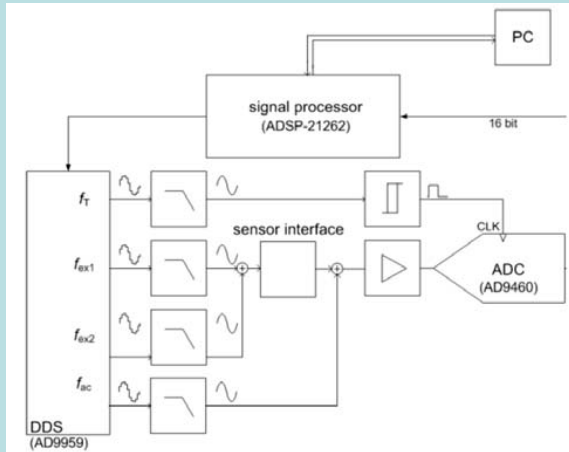


Fig. 2: Schematic description of the measurement system

- Normal operation: Continuous measurement of R_1 at f_s
- ⇒ Fast and accurate measurement

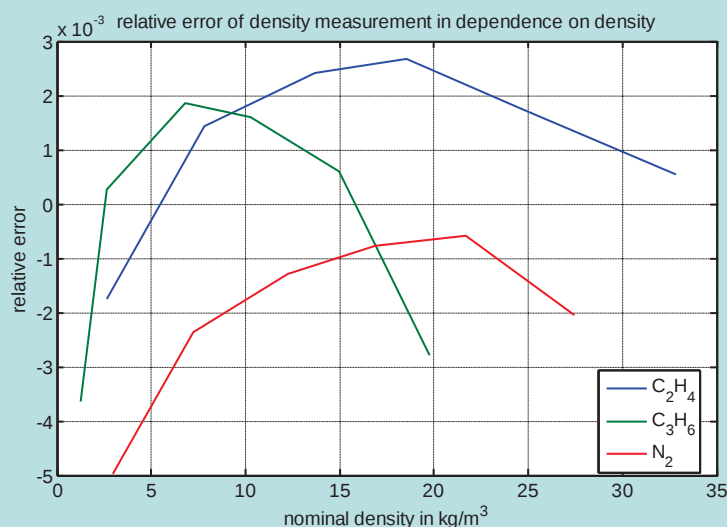
- Main components:
 - Digital signal processor
 - Direct Digital Synthesizer
 - Analog-To-Digital Converter
 - Serial Connection to PC

- Compensation techniques:
 - digital
 - Analog

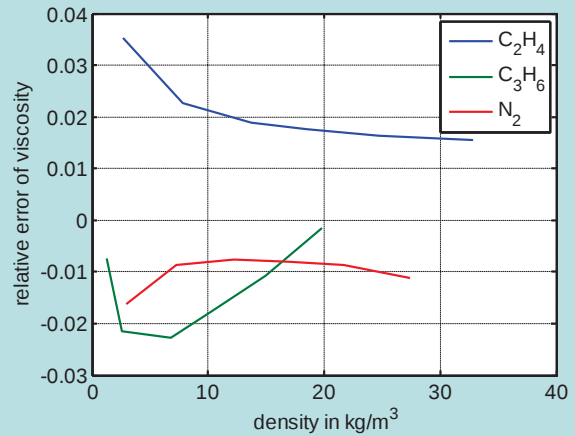
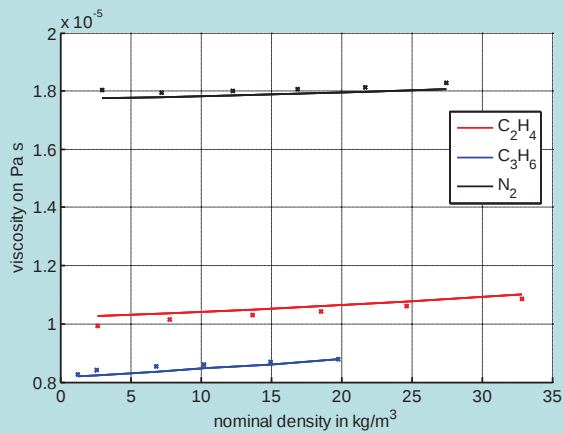
[2] A.O. Niedermayer, E.K. Reichel and B. Jakoby, "Yet Another Precision Impedance Analyzer (YAPIA) For Resonating Sensors", Eurosensors 2008

Density measurement – Accuracy

Relative error in density measurement



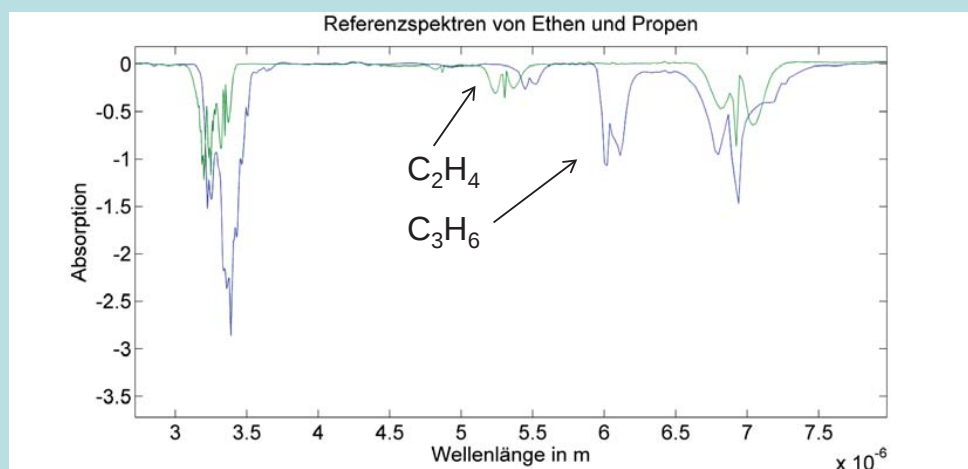
Viscosity measurement



Accuracy is limited by reference data (viscosity: $\approx 5\%$, density 0.05%)

IR

- IR absorption of ethene and propene

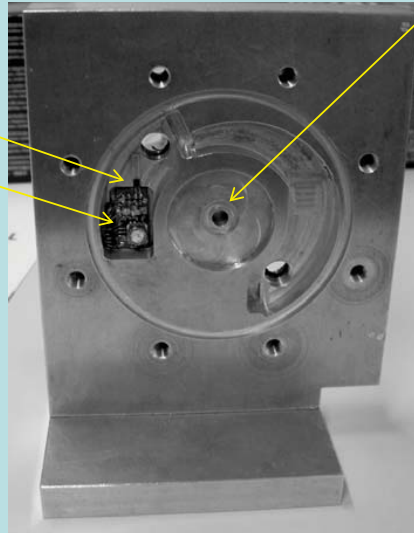


IR

Measurements with FTIR Spectrometer

Measurement cell

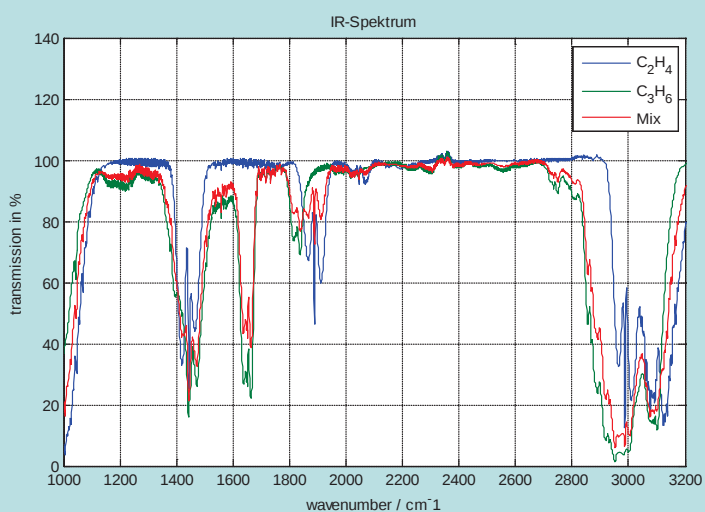
- Integrated T-sensor
- Pressure sensor
- CaF_2 window
(pressure tested to 50 bar)



Transmission path 0.75 mm

Can concentration be measured

- 1:1 mol sample provided by Borealis



C_2H_4 : 10.295 bar
 C_3H_6 : 7.80 bar
 Mix: ca. 9 bar

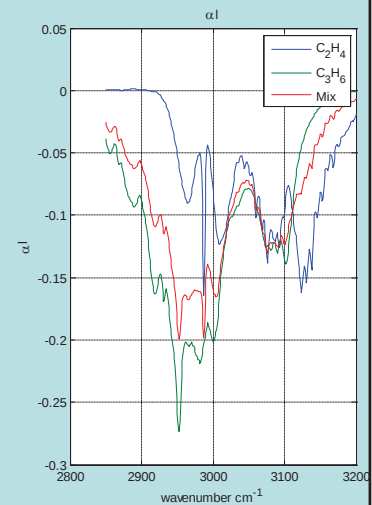
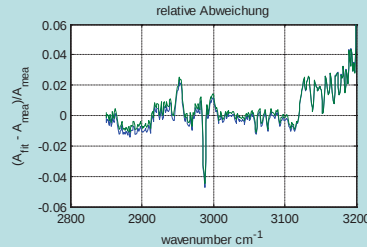
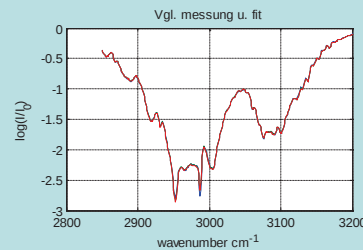
Can concentration be measured

Analysis

$$A(\nu) = \log\left(\frac{I(\nu)}{I_0(\nu)}\right) = \alpha_1(\nu)\rho_1 + \alpha_2(\nu)\rho_2$$

Solve:

$$l \begin{pmatrix} \alpha_{prop}(\nu_1) & \alpha_{eth}(\nu_1) \\ \vdots & \vdots \\ \alpha_{prop}(\nu_n) & \alpha_{eth}(\nu_n) \end{pmatrix} \begin{pmatrix} \rho_1 \\ \rho_2 \end{pmatrix} = \begin{pmatrix} A(\nu_1) \\ \vdots \\ A(\nu_n) \end{pmatrix}$$



mol-ratio: 1.000 : 1.343 (Ethen - Propen)

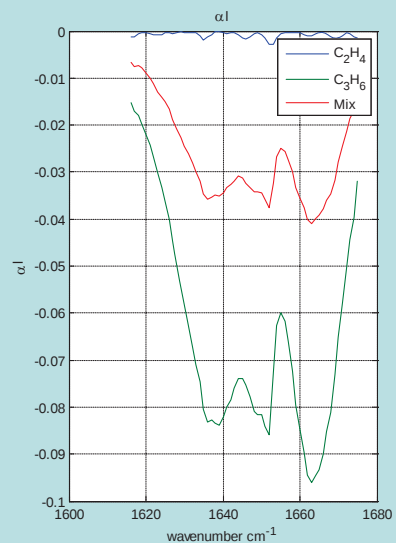
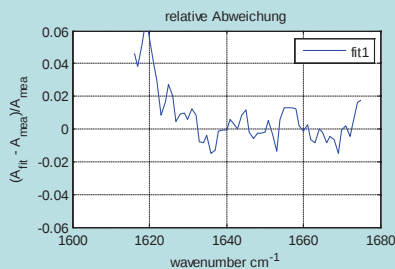
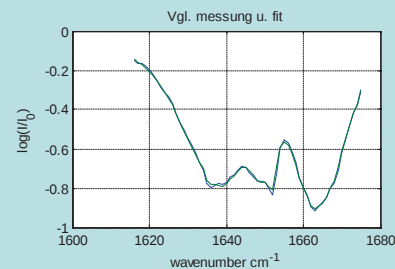
density: $\rho_{eth}=4.640 \text{ kg/m}^3$, $\rho_{prop}=9.348 \text{ kg/m}^3$

Can concentration be measured

Bande: 1620-1670 cm^{-1}

$$\bullet \quad l \begin{pmatrix} \alpha_{prop}(\nu_1) \\ \vdots \\ \alpha_{prop}(\nu_n) \end{pmatrix} \rho_1 = \begin{pmatrix} A(\nu_1) \\ \vdots \\ A(\nu_n) \end{pmatrix}$$

$\rho_{prop} = 9.438 \text{ kg/m}^3$



GC validation (Reference Method)

Validation of concentration with gas chromatograph

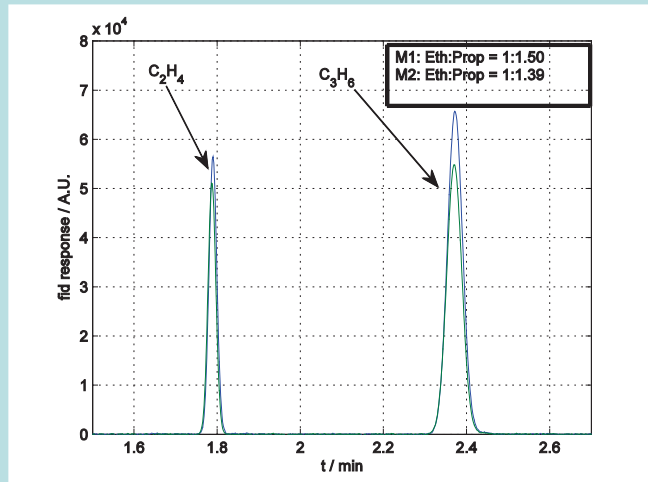
Obtained ratios:

1.51, 1.37, 1.35, 1.33

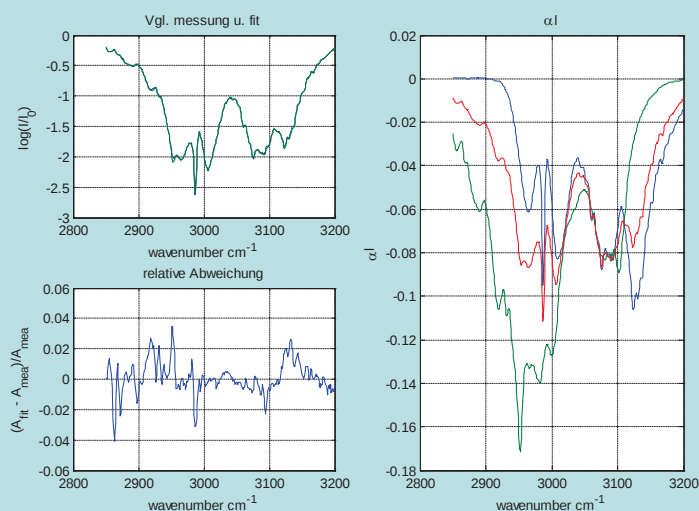
$\Rightarrow$ ratio = (1.39 $\pm$ 0.08):1

IR & GC measurement agree

Reference Method is not very accurate



• 2nd Mixture

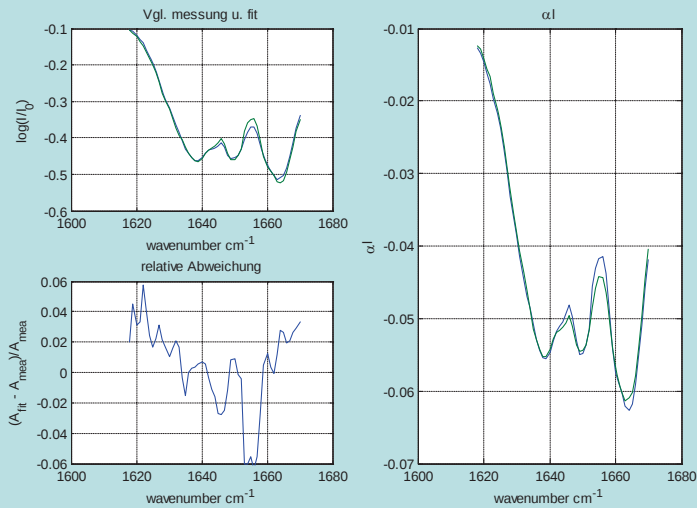


mol-ratio: 2.69:1(Ethene: Propene)

density: $\rho_{\text{eth}} = 15.184 \text{ kg/m}^3$

$\rho_{\text{prop}} = 8.479 \text{ kg/m}^3$

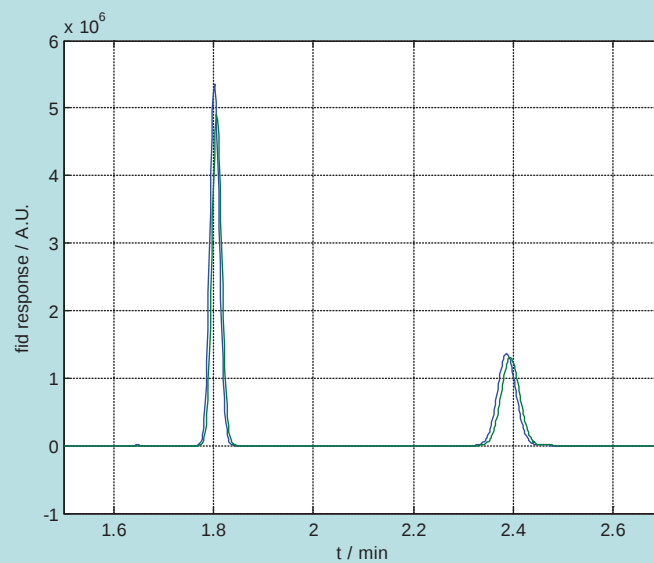
- 2nd Mixture



$$\rho_{\text{prop}} = 8.361 \text{ kg/m}^3$$

- GC measurement

- M1: $r=3.05$
- M2: $r= 2.96$



Questions

- Is GC accurate?
 - Measurement of more samples necessary for accurate value
- Is absorption coefficient proportional to total pressure? Does it depend on the partial pressures of the gas components?
 - Measurement of mixtures with exactly known concentration ratios.
 - due to limited accuracy of GC measurement many iterations are necessary
- Are specific wavenumbers suitable for concentration measurement without FTIR?
 - See above
 - PLS regression

Conclusion

- Density measurement with quartz tuning forks
 - continuous monitoring
 - accuracy: $\sim 0.075 \text{ kg/m}^3$ ($\sim 0.5 \%$)
 - Waiting for integration into polymerization reactor
- IR measurement
 - direct concentration of propene and/or ethene
 - More work needed....

Accelerated Statistical Inversion and Bayesian Calibration for Electrical Tomography

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30. 6. 2011

Outline

- Inverse Problems.
 - What are Inverse Problems
 - Statistical Inversion.
 - Model Errors.
- Computational methods.
 - Fast Computational Methods.
 - Approximation Techniques.
- Case Studies
 - Shape Reconstructions.
 - Gibbs Sampling.
 - Different Calibration Approaches

Inverse Problems

Determine $\mathbf{x}$ from

$$\tilde{\mathbf{d}} = P(\mathbf{x}) + \mathbf{v}, \quad (1)$$

Forward map (model) $F : \mathbf{x} \mapsto \mathbf{y}$.

$$\mathbf{y} = F(\mathbf{x}) \quad (2)$$

$$F(\mathbf{x}) = P(\mathbf{x}) \quad \forall \mathbf{x}, \quad (3)$$

Where does the name come from:

$$\mathbf{x} = F^{-1}(\tilde{\mathbf{d}}), \quad (4)$$

Does not work as inverse problems are ill posed. $\rightarrow$ Use Regularization terms or Prior knowledge to stabilize $F^{-1}(\cdot)$

$$\mathcal{F}^{-1}(\tilde{\mathbf{d}}). \quad (5)$$

Statistical Inversion

Bayes Law:

$$\pi(\mathbf{x}|\tilde{\mathbf{d}}) = \frac{\pi(\tilde{\mathbf{d}}|\mathbf{x})\pi(\mathbf{x})}{\pi(\tilde{\mathbf{d}})} \propto \pi(\tilde{\mathbf{d}}|\mathbf{x})\pi(\mathbf{x}). \quad (6)$$

- The approach is applicable to any forward problem.
- No derivatives have to be computed.
- Available prior knowledge can be incorporated in a natural way.
- Information about the measurement noise can be added in the same natural way.
- The result is a probability density function. Hence, complete information about the uncertainty of the result is available.

Statistical Inversion 2

Meaningful point estimates:

$$\mathbf{x}_{ML} = \arg \max \pi(\tilde{\mathbf{d}}|\mathbf{x}), \quad (7)$$

$$\mathbf{x}_{MAP} = \arg \max \pi(\mathbf{x}|\tilde{\mathbf{d}}). \quad (8)$$

... can be formulated as optimization problem.

$$\mathbf{x}_{CM} = \int \mathbf{x} \pi(\mathbf{x}|\tilde{\mathbf{d}}) d\mathbf{x}, \quad (9)$$

→ high dimensional integral.

- Analytic solution is often not possible.
- Also not suitable for quadrature techniques.

Solution: Monte Carlo integration → support points are generated from the density itself.

Metropolis Hastings Algorithm

- 1 Pick the actual state $\mathbf{x} = \mathbf{X}_n$ from the Markov chain.
 - 2 With proposal density $q(\mathbf{x}, \mathbf{x}')$ generate a new state $\mathbf{x}'$.
 - 3 Compute the likelihood ratio $\alpha = \min \left[1, \frac{\pi(\mathbf{x}'|\tilde{\mathbf{d}})q(\mathbf{x}, \mathbf{x}')}{\pi(\mathbf{x}|\tilde{\mathbf{d}})q(\mathbf{x}', \mathbf{x})} \right]$.
 - 4 With probability α accept $\mathbf{x}'$ and $\mathbf{X}_{n+1} = \mathbf{x}'$, otherwise reject $\mathbf{x}'$ and set $\mathbf{X}_{n+1} = \mathbf{x}$.
- Slow as every proposal requires an evaluation of the forward map.
 - Proposals can be rejected.
 - Samples are highly correlated (large IACT τ_{int}).
 - Problem with multi modal distributions.

Speedup possible with Delayed Acceptance MH (DAMH) algorithm ($F^*(\mathbf{x})$).

Gibbs Sampler

- 1 Pick the actual state $\mathbf{x} = \mathbf{X}_n$ from the Markov chain.
 - 2 For every element i of the vector $\mathbf{x}$:
 - 1 Set x_i of $\mathbf{x}$ as independent variable, while all other elements are fixed.
 - 2 Calculate $\Phi_i(t) = \int_{-\infty}^t \pi(\mathbf{x}) dx_i$.
 - 3 Draw $u \propto \mathcal{U}([0, 1])$ and set the i -th component of $\mathbf{x}$ as $x_i = \Phi_i^{-1}(u)$.
 - 3 Set $\mathbf{X}_{n+1} = \mathbf{x}$.
- Every proposal is accepted.
 - Evaluation of the conditional distribution is expensive.

Calibration and Model Errors

Useful approach to test the inversion algorithm

$$\mathcal{F}^{-1}(F(\mathbf{x}) + \mathbf{v}). \quad (10)$$

... is called "Inverse Crime". Fine if everything also works directly with real data ... but sometimes it completely fails!

Reason

$$F(\mathbf{x}) \approx P(\mathbf{x}). \quad (11)$$

- Absolute imaging
- Differential imaging

Calibration of Computer Models 1

Approach:

$$P(\phi) \approx \rho F(\mathbf{x}) + \mathbf{c}. \quad (12)$$

Hyperparameter $\xi = \{\rho, \mathbf{c}\}$.

$$\pi(\mathbf{x}, \xi | \tilde{\mathbf{d}}, \mathbf{d}_c) = \pi(\tilde{\mathbf{d}}, \mathbf{d}_c | \mathbf{x}, \mathbf{x}_c, \xi) \pi(\mathbf{x}) \pi(\xi), \quad (13)$$

Product rule:

$$\pi(\mathbf{x}, \xi | \tilde{\mathbf{d}}, \mathbf{d}_c) = \pi(\mathbf{x} | \xi, \tilde{\mathbf{d}}, \mathbf{d}_c) \pi(\xi | \tilde{\mathbf{d}}, \mathbf{d}_c) \quad (14)$$

→ ξ depends on the data!

Calibration of Computer Models 2

How to use calibration information

- Empirical Bayes: fix ξ

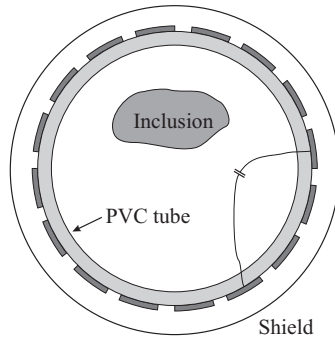
$$\xi = \arg \min_{\xi=\{\rho, \mathbf{c}\}} \|\rho F(\mathbf{x}_c) + \mathbf{c} - \mathbf{d}_c\|_2^2 \quad (15)$$

- Mutual inference: treat also ξ as random variable.
- Bayesian Forward map:

$$\mathcal{Y} = \tilde{F}(\mathbf{x}) + \mathcal{D}(\cdot). \quad (16)$$

Say $\tilde{F}(\mathbf{x})$ is the best available forward map and build an inadequacy function $\mathcal{D}(\cdot)$ to incorporate error knowledge from calibration measurements.

Electrical Capacitance Tomography



- Ω : whole domain
- Ω_{ROI} : interior of the pipe.
- $\partial\Omega_{ROI}$: interior of the pipe.

PDE:

$$\nabla \cdot (\epsilon_0 \epsilon_r \nabla V) = 0, \quad (17)$$

BC:

$$V_{\partial\Omega} = 0, \quad (18)$$

$$V_{\Gamma_j} = V_{\Gamma_j}, \quad (19)$$

$$V_{\Gamma_i} = 0 \quad \forall i \neq j, \quad (20)$$

Gauss law:

$$C_{i,j} = -\frac{1}{V_{\Gamma_j}} \oint_{\Gamma_i} \epsilon_0 \epsilon_r \nabla V_j \cdot \vec{n} d\Gamma. \quad (21)$$

Gives a $N_{elec} \times N_{elec}$ matrix.

Standard Computations: $F : \epsilon \mapsto C$

Finite element system:

$$K = \sum_{i=1}^{N_e} \epsilon_i K_{e,i}, \quad (22)$$

With BC:

$$\hat{K} v = r. \quad (23)$$

Charge method:

$$Q_{elec} = \sum_{n_{elec}} (K v)_{n_{elec}}, \quad (24)$$

Derivatives:

$$dC_{i,j} = \gamma_j^T \left[\left[\frac{\partial r}{\partial \epsilon_k} \right] - \left[\frac{\partial \hat{K}}{\partial \epsilon_k} \right] v_j \right] d\epsilon_k, \quad (25)$$

Solution with Greens Functions

PDE: $Lu = f$ solve by $u = L^{-1}f$ or $u = Gf$

- Jacobian operation $J : \varepsilon \mapsto \mathbf{Q}$:

$$d\mathbf{Q} = -\mathbf{G}_Q^T \hat{\mathbf{K}}_{d\varepsilon} \mathbf{G}_Q \quad (26)$$

$$d\mathbf{Q} = -\mathbf{G}_Q^T \left[\sum_I^p \mathbf{W}_I d\mathcal{E} \mathbf{W}_I^T \right] \mathbf{G}_Q. \quad (27)$$

- Jacobian transpose operation $J^T : \mathbf{Q} \mapsto \varepsilon$

$$\mathbf{J}^T \mathbf{q} = - \left(\sum_{l=1}^p (\mathbf{G}_Q^T \mathbf{W}_l)^T \otimes (\mathbf{Q} \mathbf{G}_Q^T \mathbf{W}_l) \right), \quad (28)$$

- Low rank updates

Neumayer and Fox 2011 Fast Forward Map Framework for Electrical Capacitance Tomography, submitted to IEEE Transactions

M. Neumayer

30. 6. 2011

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Low Rank Updates

How is $\mathbf{Q}$ effected when a low number of elements are updated?

Purpose: line search, conditional sampling

Woodburry Formula:

$$\mathbf{B}^{-1} = (\mathbf{A} + \mathbf{L}\mathbf{U})^{-1} = \mathbf{A}^{-1} - \underbrace{\mathbf{A}^{-1} \mathbf{L} (\mathbf{I} + \mathbf{U} \mathbf{A}^{-1} \mathbf{L})^{-1} \mathbf{U} \mathbf{A}^{-1}}_{\text{update term}}, \quad (29)$$

How can we use this:

$$\mathbf{B} = \hat{\mathbf{K}}_{new} = \hat{\mathbf{K}}_{old} + \gamma \sum_{l=1}^p \mathbf{W}_l \Delta \mathcal{E} \mathbf{W}_l^T = \hat{\mathbf{K}}_{old} + \gamma \mathbf{L}\mathbf{U} \quad (30)$$

With $\mathbf{G}_Q$ to replace $\mathbf{A}^{-1} = \hat{\mathbf{K}}_{old}^{-1}$

$$\Delta \mathbf{Q} = -\gamma \mathbf{G}_Q^T \mathbf{L} (\mathbf{I} + \gamma \mathbf{U}_{:,C} \mathbf{G}_{C,C} \mathbf{L}_{C,:})^{-1} \mathbf{U} \mathbf{G}_Q, \quad (31)$$

Neumayer and Fox 2011, to be published.

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A Speed Comparison

Operation/Method	t_{mesh1} ms	t_{mesh2} ms
Forward problem standard	96	640
Forward problem new	4.8	26
Standard material update	35.5	230
Fast material update	0.039	2
Matrix inversion	3.3	19
Jacobian by AVM	360	> 2000
Jacobian op. $J : \varepsilon \mapsto \mathbf{Q}$	0.48	3.9
Jacobian transp. op. $J^T : \mathbf{Q} \mapsto \varepsilon$	3.3	15.5
Exact low rank update (1 elem.)	3.5	16.3
$\mathbf{WSW}^T$ Woodbury (1 elem.)	0.66	4.2
Exact low rank update (20 elem.)	11.6	55.4
$\mathbf{WSW}^T$ Woodbury (20 elem.)	2.7	14.1
Exact update 1 elem $\times$ 20	5.6	18
$\mathbf{WSW}^T$ Woodbury 1 elem $\times$ 20	1.1	3
Domain d. by Schur c.	23.8	66
Schur c. with Cho.	2.9	8
Woodb. for Schur c. with Chol.	0.895	17.1

Approximation Techniques $F^*(x)$

- First order approximation.

$$F(\mathbf{x} + \Delta\mathbf{x}) \approx F(\mathbf{x}) + \left. \frac{\partial F(\mathbf{x})}{\partial \mathbf{x}} \right|_{\mathbf{x}} \Delta\mathbf{x}, \quad (32)$$

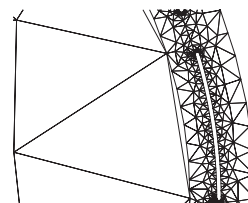
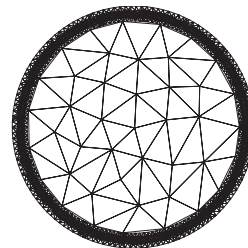
- Polynomial approximation.

$$F(\mathbf{x}) \approx \mathbf{P}\tilde{\mathbf{x}}, \quad (33)$$

Adaptive version

$$\mathbf{p}_{k+1} = \mathbf{p}_{k+1} + \mu(F(\mathbf{x}) - \mathbf{p}_k^T \tilde{\mathbf{x}})\tilde{\mathbf{x}}, \quad (34)$$

- Reduced physical model



Adaptive Error Learning within DAMH

How can the evaluation of $F(\cdot)$ be used:

$$\mathbf{e}_n = F(\cdot) - F^*(\cdot) \quad (35)$$

$$\mu_{\mathbf{e},n} = \frac{1}{n} ((n-1)\mu_{\mathbf{e},n-1} + \mathbf{e}_n), \quad (36)$$

$$\mathbf{C}_{\mathbf{e},n} = \mathbf{C}_{\mathbf{e},n-1} + \mathbf{e}_n \mathbf{e}_n^T, \quad (37)$$

$$\Sigma_{\mathbf{e},n} = \frac{1}{n-1} ((n-1)\mathbf{C}_{\mathbf{e},n} - n\mu_{\mathbf{e},n}\mu_{\mathbf{e},n}^T). \quad (38)$$

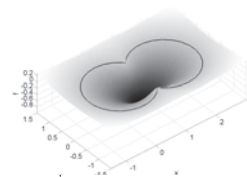
Likelihood function:

$$\pi_{\mathbf{x}^*}(\mathbf{x}|\tilde{\mathbf{d}}) = \exp \left\{ -\frac{1}{2} (\mathbf{y}^* + \mu_{\mathbf{e},n} - \tilde{\mathbf{d}})^T (\Sigma_{\mathbf{v}} + \Sigma_{\mathbf{e},n})^{-1} (\mathbf{y}^* + \mu_{\mathbf{e},n} - \tilde{\mathbf{d}}) \right\}. \quad (39)$$

RBF Shape Model

Contour description by

$$f(\mathbf{z}) = \sum_j^N \lambda_j \phi(\|\mathbf{z} - \mathbf{x}_j\|) + P(\mathbf{z}), \quad (40)$$



Thin plate RBF:

$$\phi(r) = r^2 \cdot \log(r), \quad (41)$$

Prior:

$$\pi(\mathbf{x}) = \exp \left(-\frac{1}{2\sigma_{pr}^2} \frac{c(\mathbf{x})}{\sqrt{\pi\Gamma(\mathbf{x})}} \right) l(\mathbf{x}), \quad (42)$$

Moves:



(a) Trans-
lation.



(b) Ro-
tation.

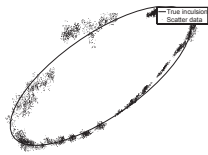


(c) Scale.

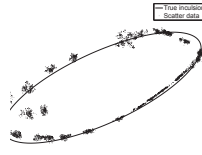


(d) Cor-
ner move.

Some DAMH Results



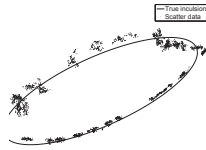
(e) Standard MH, $\varepsilon_r = 3.5$.



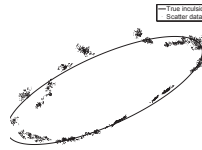
(f) Jacobian, $\varepsilon_r = 3.5$



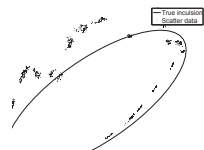
(g) Affine map, $\varepsilon_r = 3.5$.



(h) Adapt. affine map, $\varepsilon_r = 3.5$.



(i) Red. model, $\varepsilon_r = 3.5$.



(j) Standard MH, $\varepsilon_r = 80$.

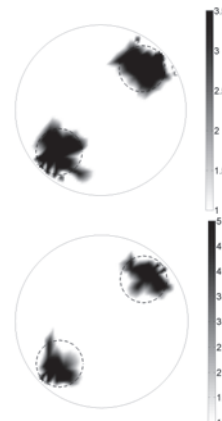
Gibbs Sampler for ECT

$$\pi(\mathbf{x}|\tilde{\mathbf{d}}) \propto \exp\left(-\frac{1}{2}\mathbf{e}^T \Sigma_v^{-1} \mathbf{e}\right) \exp\left(-\frac{1}{2}\alpha \mathbf{x}^T \mathbf{L}^T \mathbf{L} \mathbf{x}\right) l(\mathbf{x}) \quad (43)$$

- Bimodal Distributions
- Arbitrary Distributions: requires some support points of the conditional distribution.

→ low rank updates mandatory for efficient sampling.

IAC: $\tau_{int} = 1$!



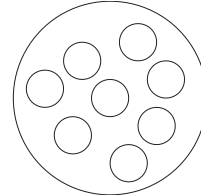
Incorporation of Calibration Information

Observations:

- Low level representations cover most calibration effects.
- Shape determination suffers for inclusions with high permittivities.

How to find a better set of calibration parameters ξ ?

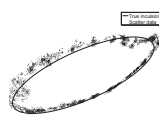
Or is there another way to incorporate calibration information?



Mutual Inference Approaches

$$\pi(\tilde{\mathbf{d}}, \mathbf{d}_c^{(N)} | \mathbf{x}, \xi, \mathbf{x}_c^{(N)}) \propto \exp \left\{ -\frac{1}{2} (\rho \mathbf{y} + \mathbf{c} - \tilde{\mathbf{d}})^T \boldsymbol{\Sigma}_v^{-1} (\rho \mathbf{y} + \mathbf{c} - \tilde{\mathbf{d}}) - \frac{1}{2} \sum_{i=1}^{N_c} (\rho \mathbf{y}_{c,i} + \mathbf{c} - \mathbf{d}_{c,i})^T \boldsymbol{\Sigma}_c^{-1} (\rho \mathbf{y}_{c,i} + \mathbf{c} - \mathbf{d}_{c,i}) \right\}. \quad (44)$$

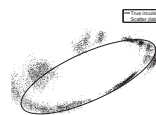
Implementation: sample from ξ with a Gibbs sampler.



(k) $\epsilon_r = 3.5$.



(l) $\epsilon_r = 80$.



(m) $\epsilon_r = 3.5$.



(n) $\epsilon_r = 80$.

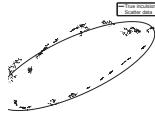
Decreased IACT but the gain in quality is comparatively low.

Bayesian Forward Map

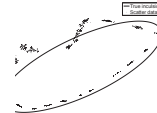
Use calibration measurements to build

$$\mathcal{Y} = \tilde{F}(\mathbf{x}) + \mathcal{G} \mathcal{P}_{\mathcal{G}_e}(\cdot). \quad (45)$$

$$\begin{bmatrix} \mathbf{e}_c \\ \mathbf{e} \end{bmatrix} = \mathcal{N} \left(\mathbf{0}, \begin{bmatrix} \Sigma(\mathbf{x}_{c,r}, \mathbf{x}_{c,r}) & \Sigma(\mathbf{x}_{c,r}, \mathbf{x}_r) \\ \Sigma(\mathbf{x}_r, \mathbf{x}_{c,r}) & \Sigma(\mathbf{x}_r, \mathbf{x}_r) \end{bmatrix} \right), \quad (46)$$



(o) No Bayesian Forward Map (Extreme high IACT).



(p) With Bayesian Forward Map (Low IACT).

Neumayer and Fox 2011 to be published

M. Neumayer

30. 6. 2011

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Thank you for your attention!

Yet another precision impedance analyzer

Readout electronics for resonating sensors

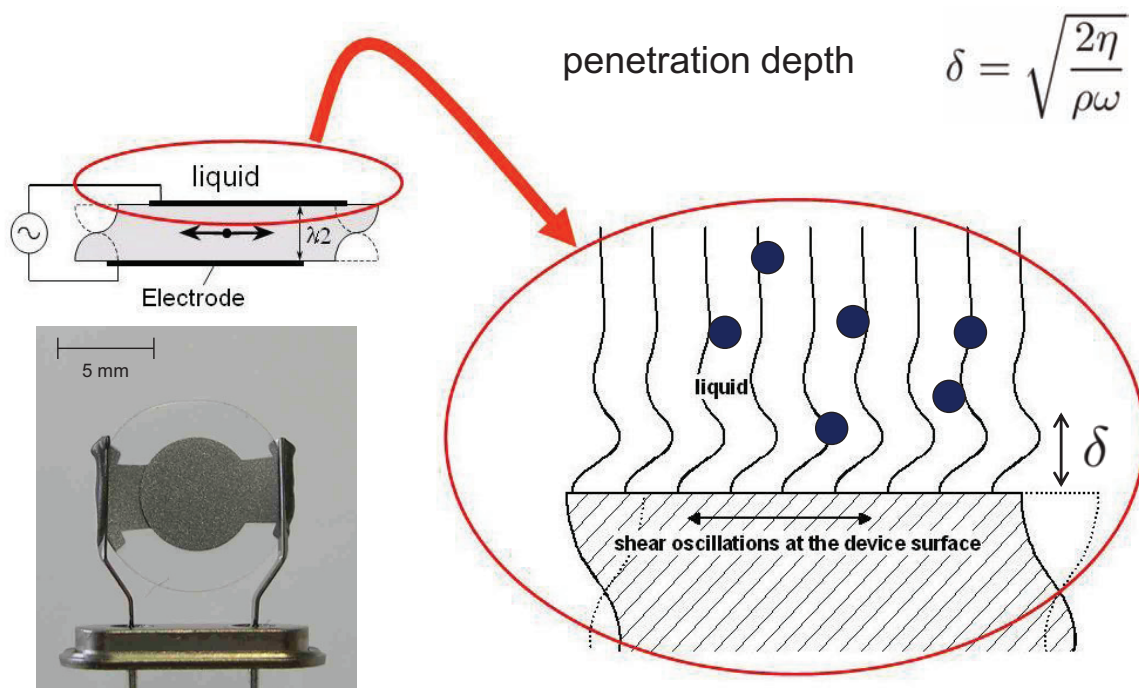
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Institute for
Microelectronics and
Microsensors



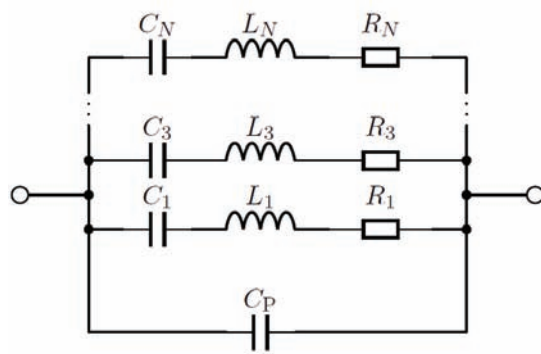
Modeling



Institute for
Microelectronics and
Microsensors



Modeling



motional branch resistance
of harmonic number N :

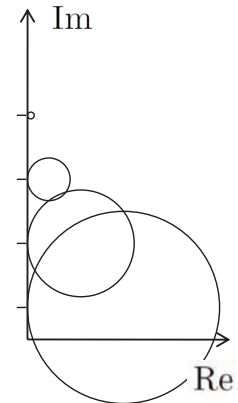
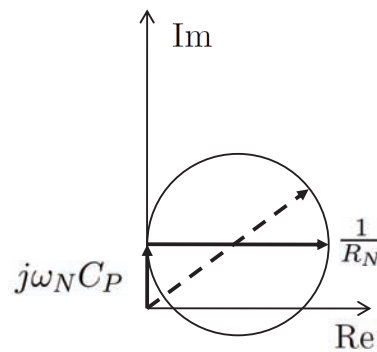
$$R_N = R_{N1} + R_{N2} = R_{11} \cdot N^2 + R_{12} \cdot N$$

unloaded
resonator

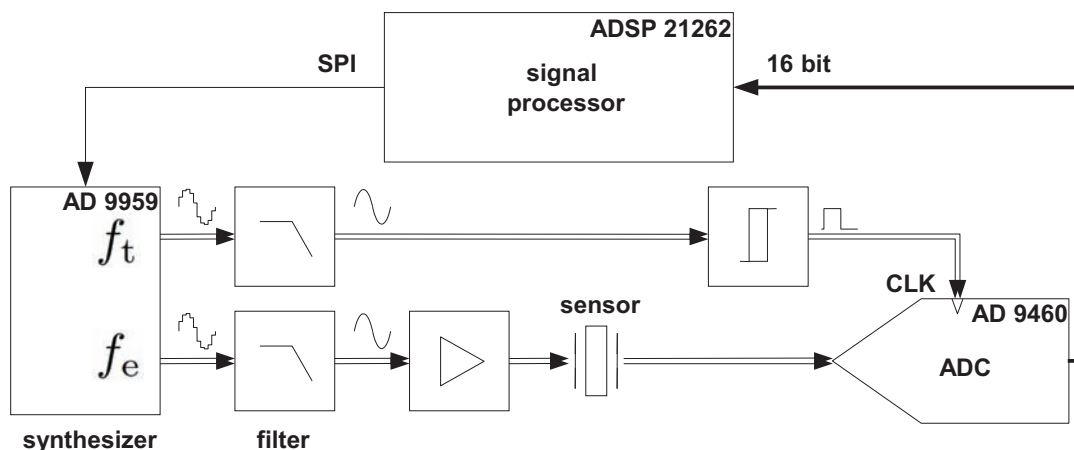
viscous
loading

[S. Martin '94]

sensor admittance



Circuit Concept



Synchronous subsampling

$$f_t = f_e \cdot \frac{n}{n - m}$$

n samples per m periods

Demodulation

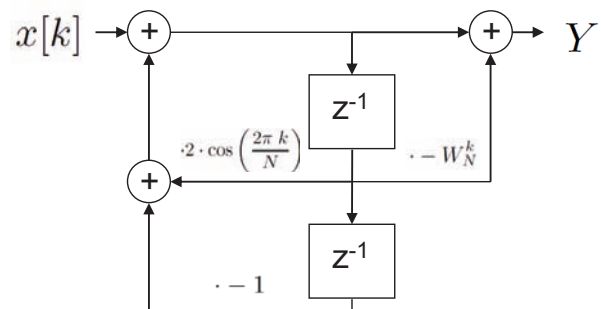
~~$$Y(f) = \sum_{k=0}^{N-1} \left(x[k] \cdot \cos\left(\frac{2\pi f k}{N}\right) + j x[k] \cdot \sin\left(\frac{2\pi f k}{N}\right) \right)$$~~

Synchronous sampling

$$f_t = f_e \cdot \frac{n}{n-m}$$

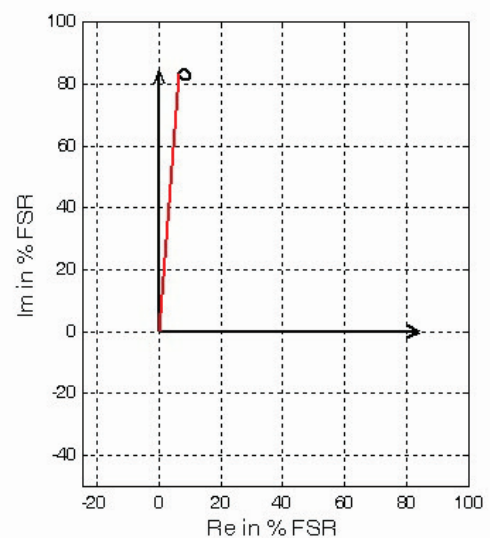
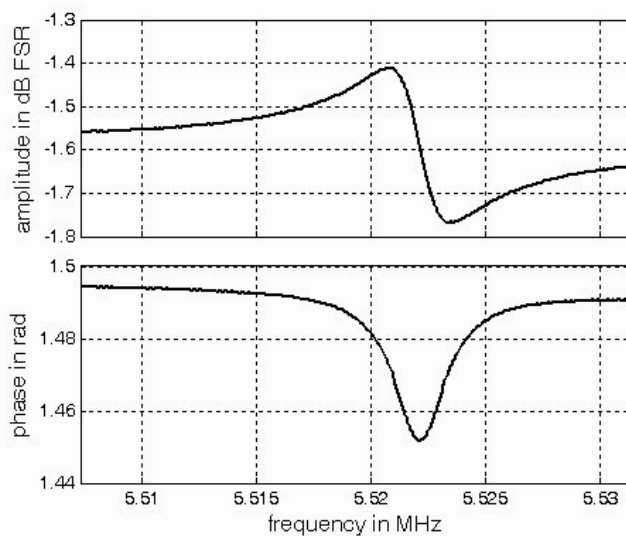
n samples per m periods

Goertzel Algorithm

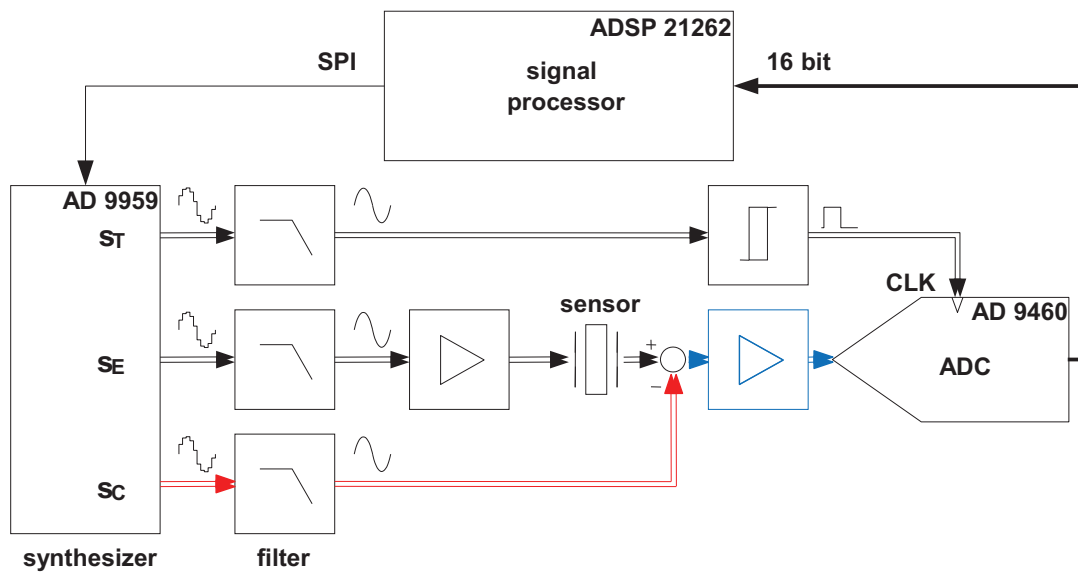


Sensor admittance

AT-cut QCR, $f_1 = 1.8432$ MHz, $N=3$, in Isopropanol

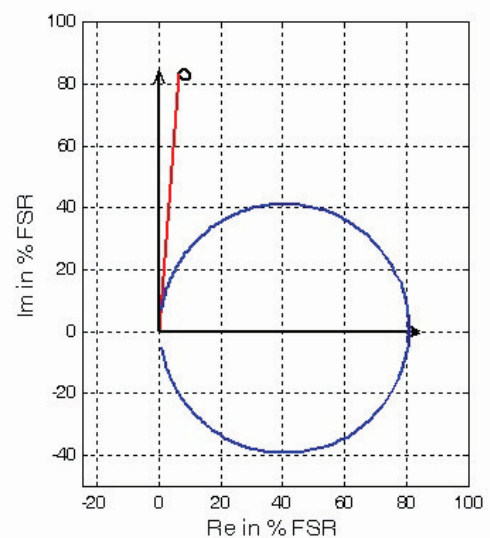
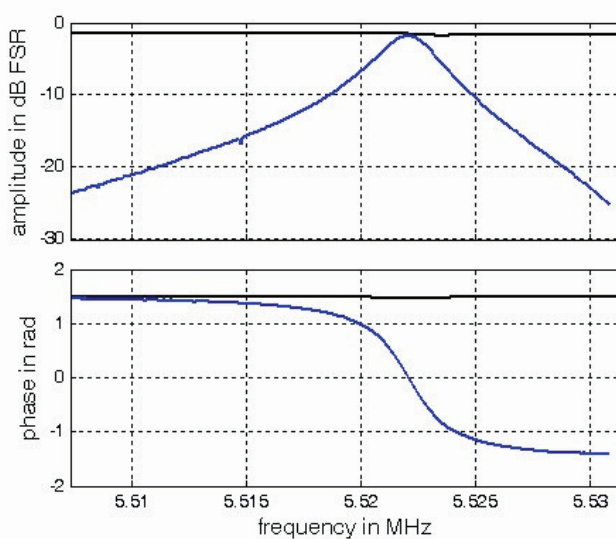


Circuit Concept



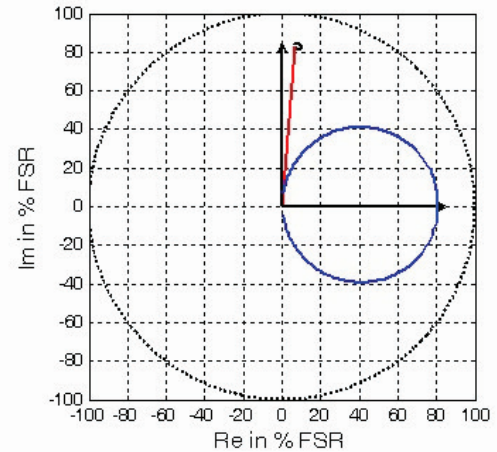
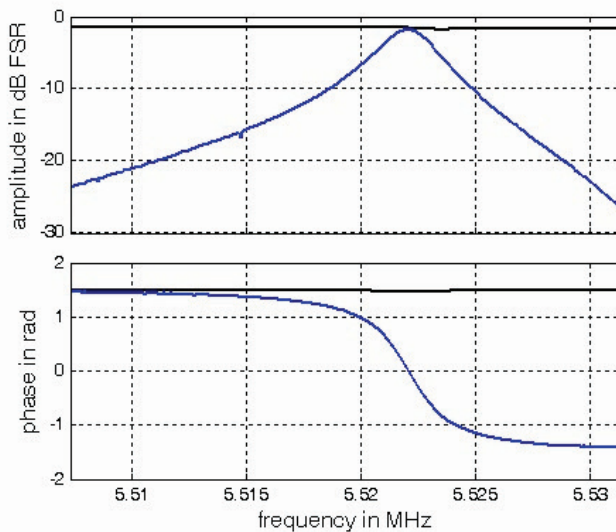
Sensor admittance

AT-cut QCR, $f_1 = 1.8432$ MHz, $N=3$, in Isopropanol, $t = 12$ s



Applying compensation signal

AT-cut QCR, $f_1 = 1.8432$ MHz, $N=3$, in Isopropanol, $t = 12$ s



Conclusion

- phase resolution is very important
- wide frequency range (subsampling)
- handle higher harmonics
- various types of resonating sensors
- very compact design

